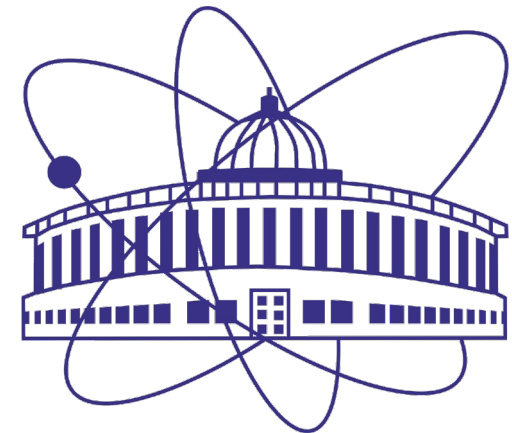


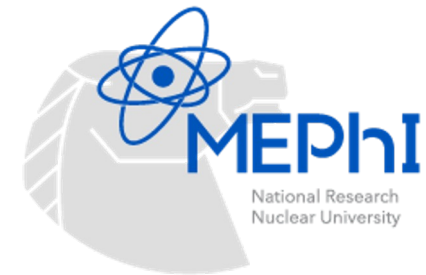
# Anisotropic flow and correlations at the MPD experiment

P. Parfenov (JINR, NRNU MEPhI) for the MPD Collaboration

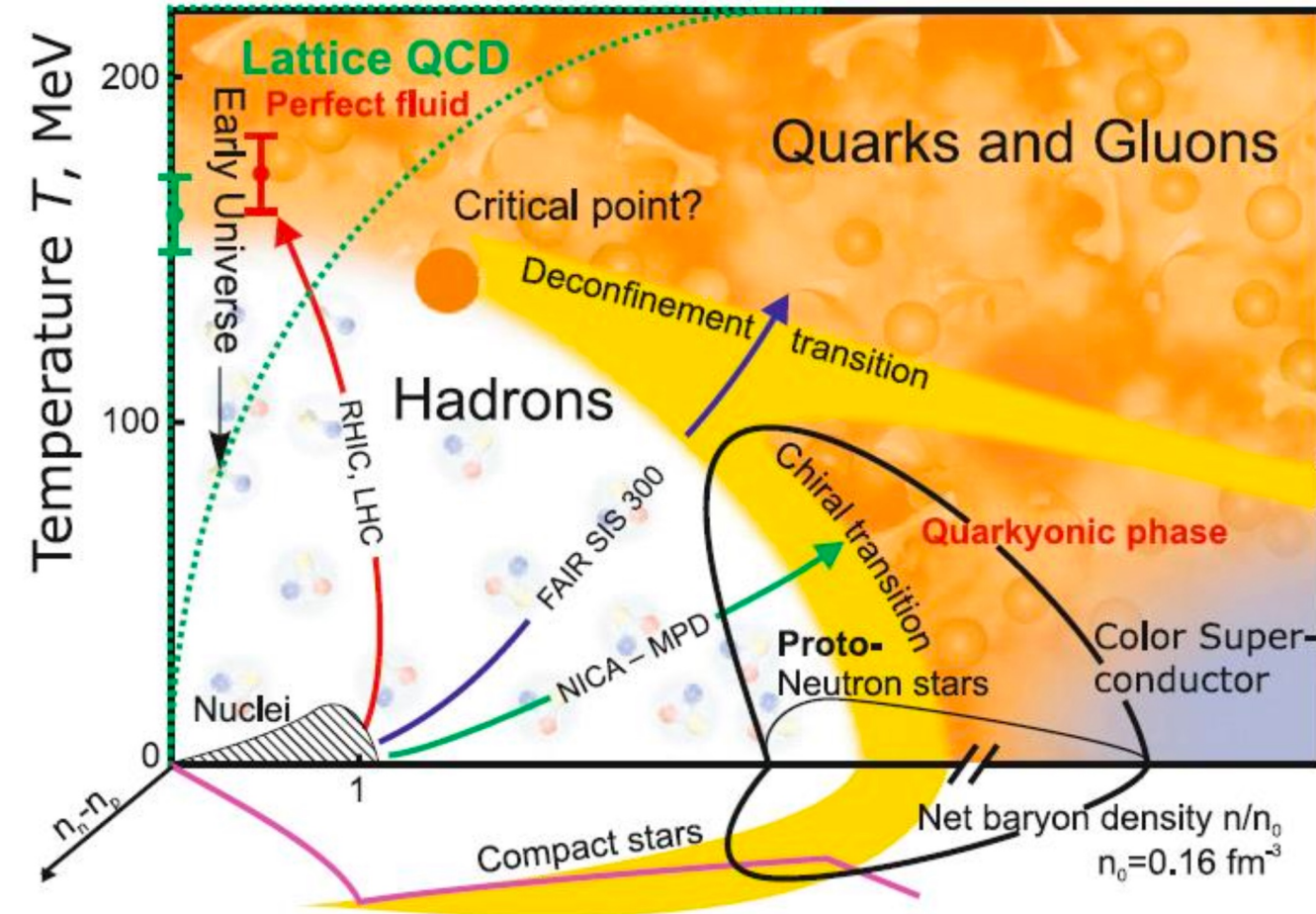
XXXVI International Workshop on High Energy Physics  
“Strong Interactions: Experiment, Theory, Phenomenology  
23-25 July 2024



The work has been supported by the Ministry of Science and Higher Education  
of the Russian Federation, Project "Fundamental and applied research at the  
NICA megascience experimental complex" № FSWU-2024-0024



# Relativistic heavy-ion collisions



Relativistic heavy-ion collisions allows us to study QCD phase diagram

➤ **High beam energies ( $\sqrt{s_{NN}} > 100 \text{ GeV}$ ):**

- High  $T$ ,  $\mu_B \approx 0$
- Evolution of the early Universe

➤ **Low beam energies ( $\sqrt{s_{NN}} \sim 10 \text{ GeV}$ ):**

- Intermediate  $T$ , high  $\mu_B$
- Inner study of the compact stars

**MPD and BM@N will study QCD matter at extreme  $\mu_B$**

**Several future (CBM) and ongoing (NA61/SHINE, STAR) experiments cover the same beam energy range**

# EOS for high baryon density matter

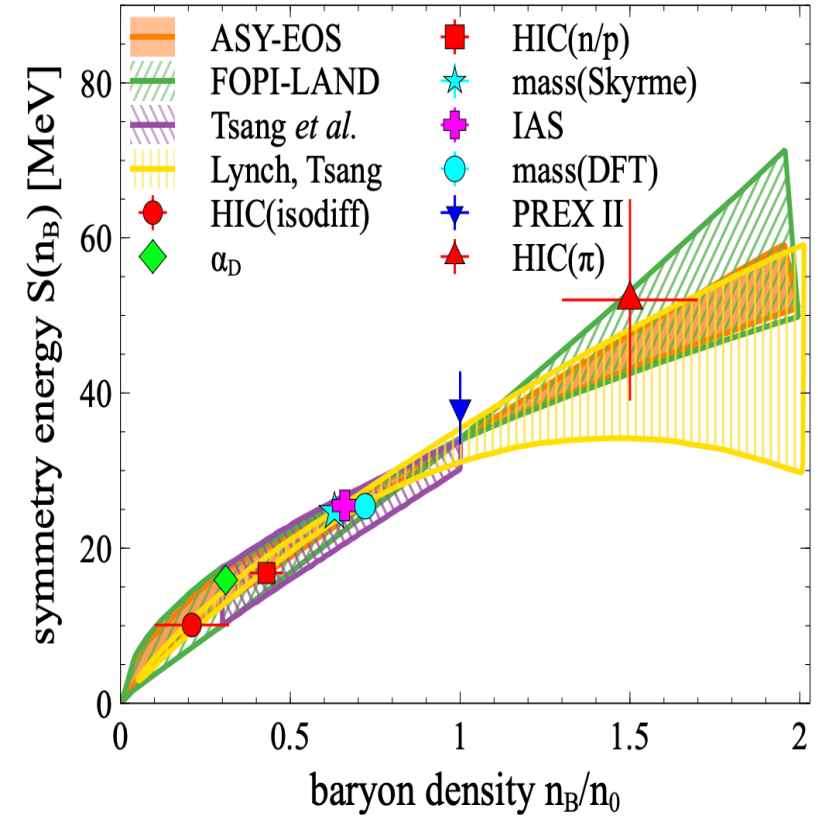
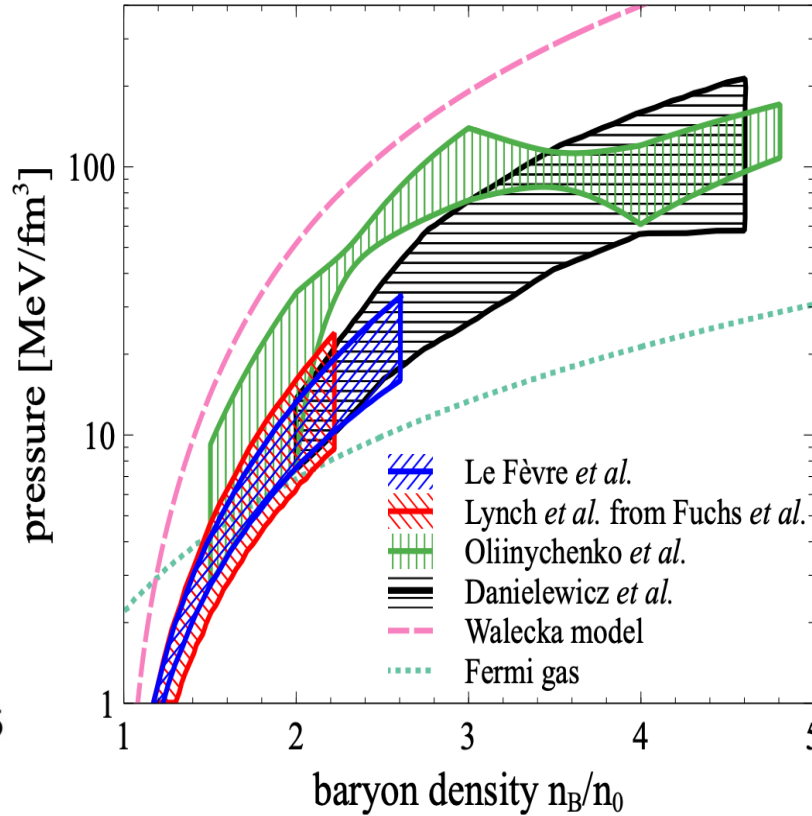
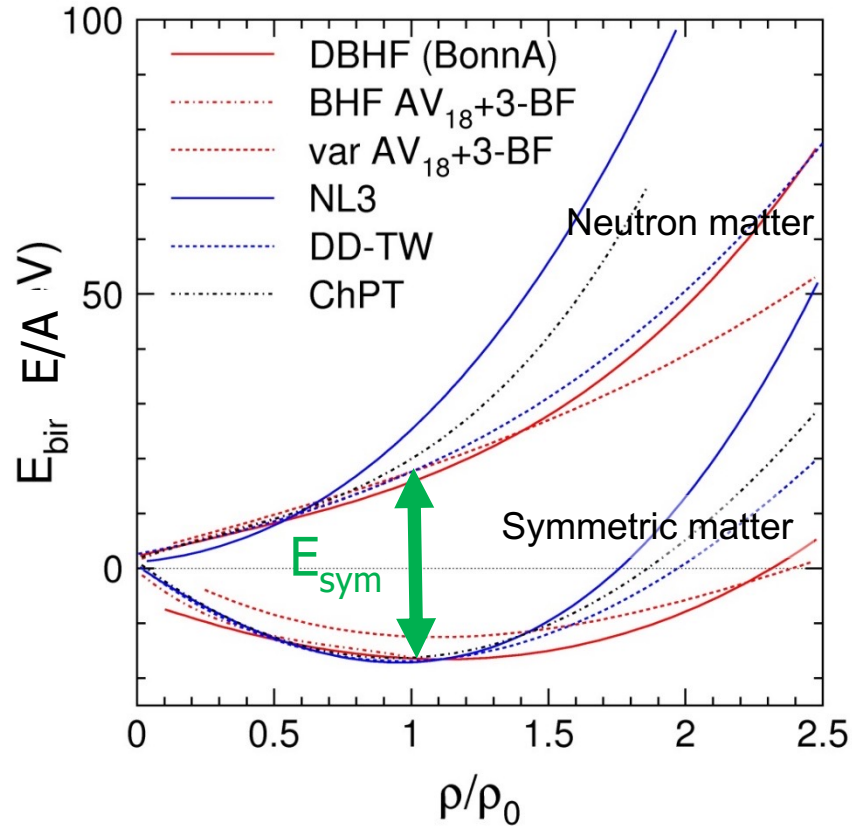
The binding energy per nucleon:  $E_A(\rho, \delta) = E_A(\rho, 0) + E_{sym}(\rho)\delta^2 + O(\delta^4)$

Isospin asymmetry:

$$\delta = (\rho_n - \rho_p) / \rho$$

Symmetric matter

Symmetry energy

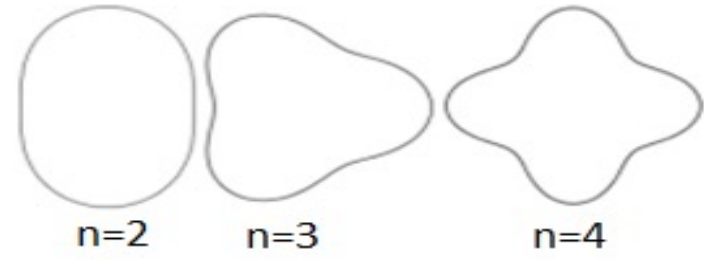
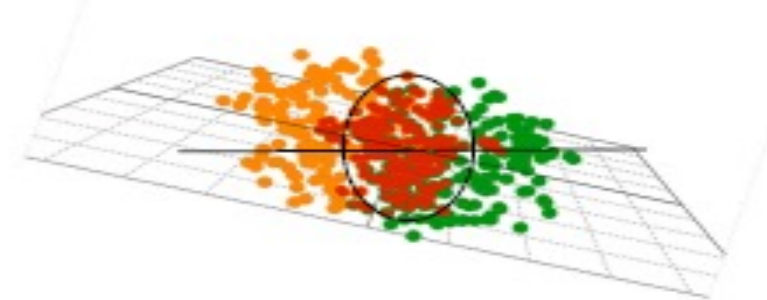


Ch. Fuchs and H.H. Wolter, EPJA 30 (2006) 5

A. Sorensen et. al., Prog.Part.Nucl.Phys. 134 (2024) 104080

**New data is needed to further constrain transport models with hadronic d.o.f.**

# Anisotropic flow



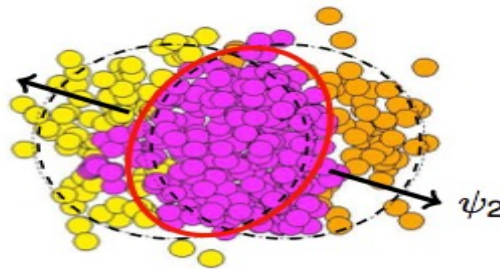
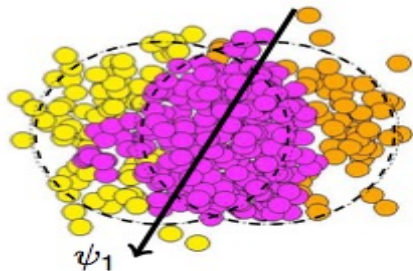
$$\epsilon_n = \sqrt{\frac{\langle r^n \cos n\phi \rangle + \langle r^n \sin n\phi \rangle}{\langle r^n \rangle}}$$



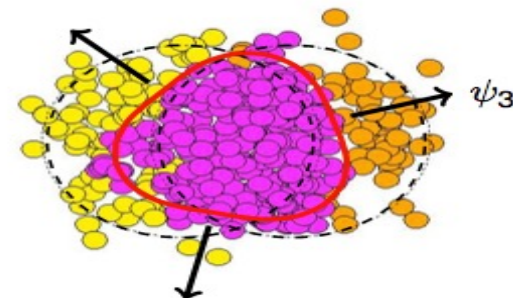
$$\frac{dN}{d\phi} \propto \left( 1 + 2 \sum_{n=1} v_n \cos[n(\phi - \Psi_n)] \right)$$

$$v_n = \langle \cos[n(\phi - \Psi_{RP})] \rangle$$

**Initial eccentricity (and its attendant fluctuations)  $\epsilon_n$  drive momentum anisotropy  $v_n$  with specific viscous modulation**



$v_2$  - elliptic flow

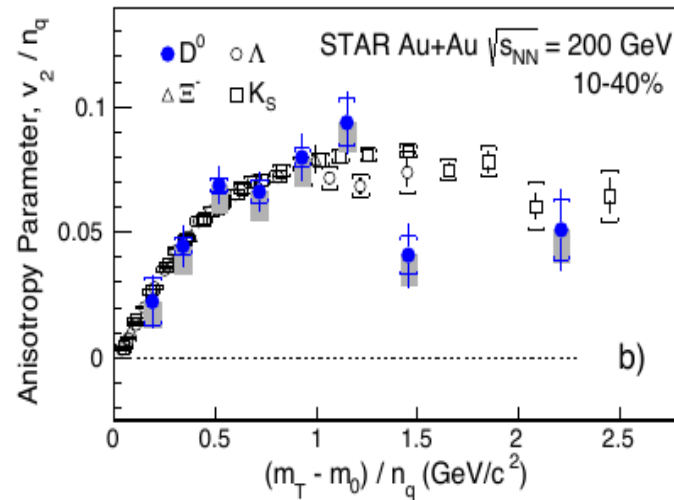
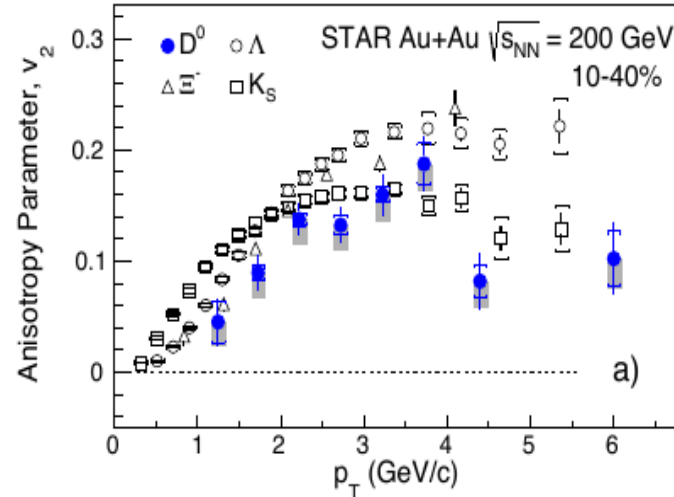
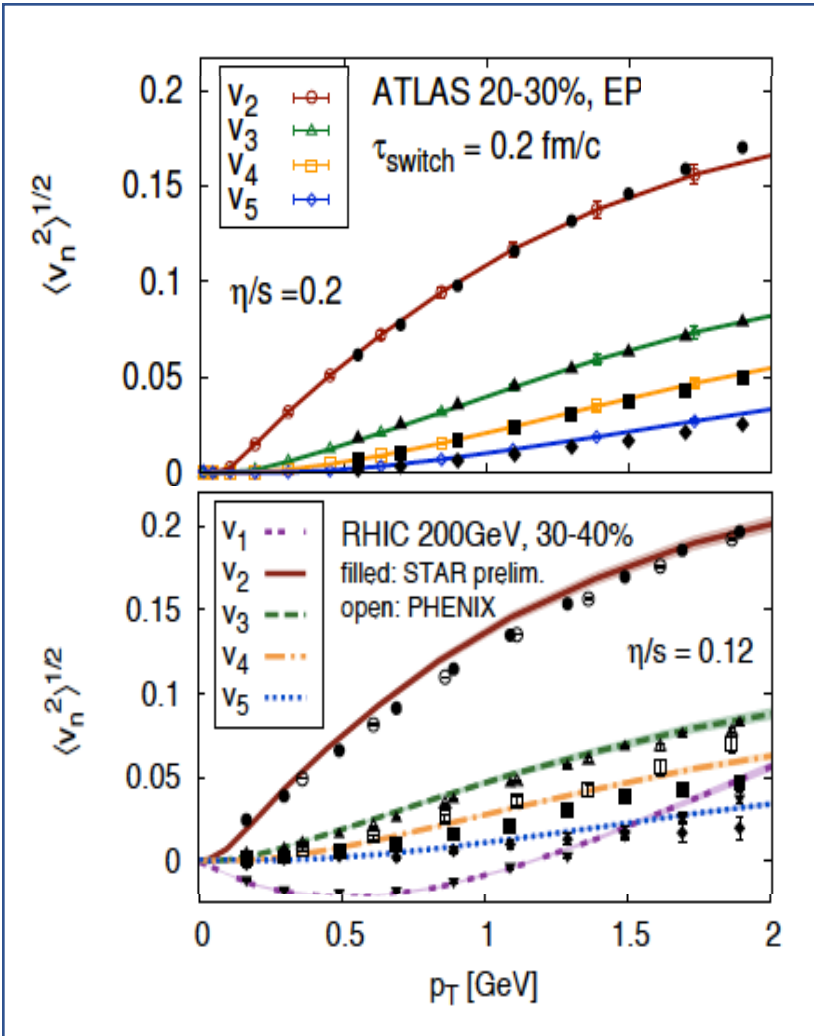


$v_3$  - triangular flow

# Anisotropic flow at LHC/RHIC

Gale, Jeon, et al., Phys. Rev. Lett. 110, 012302

STAR PRL118 (2017) 212301



$v_n(p_T, \text{Centrality})$  - sensitive to the early stages of the collision

Important constrain for transport properties and EOS ( $\eta/s$ ,  $\zeta/s$ , etc.)

$v_n$  of identified hadrons:

- **Mass ordering at  $p_T < 2$  GeV/c** (hydrodynamic flow, hadron rescattering)
- **Baryon/meson grouping at  $p_T > 2$  GeV/c** (recombination/coalescence) Number of constituent quark (NCQ) scaling

# Hybrid models for anisotropic flow at RHIC/LHC

## 1. UrQMD + 3D viscous hydro model vHLLE+UrQMD

Iurii Karpenko, Comput. Phys. Commun. 185 (2014), 3016

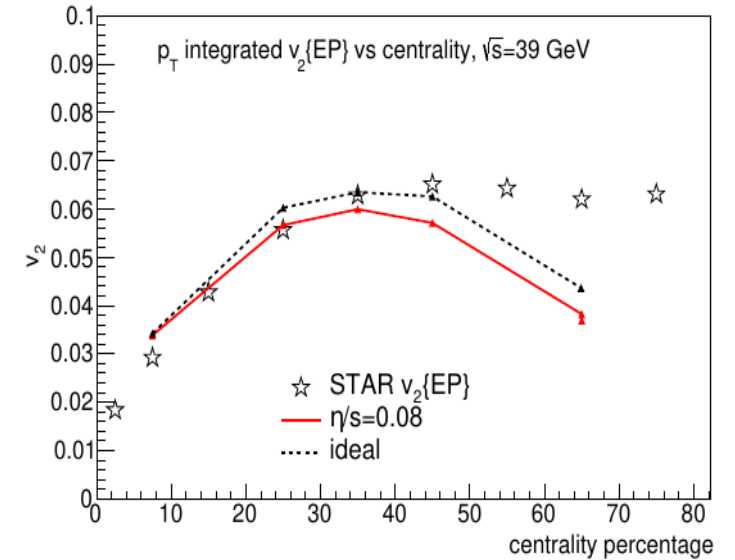
<https://github.com/yukarpenko/vhllle>

Parameters: from Iu. A. Karpenko, P. Huovinen, H. Petersen, M. Bleicher, Phys. Rev. C91 (2015) no.6, 064901 – good description of STAR BES results for  $v_2$  of inclusive charged hadrons (7.7-62.4 GeV)

**Initial conditions:** model UrQMD

**QGP phase:** 3D viscous hydro (vHLLE) with crossover EOS (XPT)

**Hadronic phase:** model UrQMD



## 2. A Multi-Phase Transport model (AMPT) for high-energy nuclear collisions

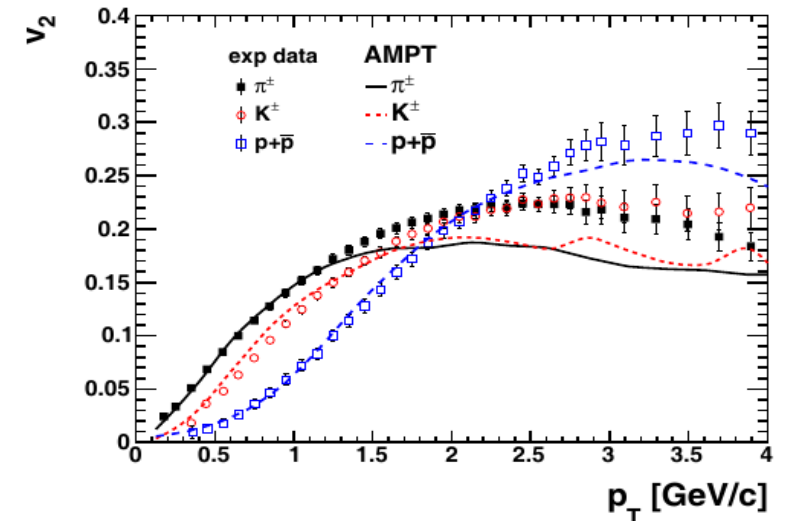
The main source code (Zi-Wei Lin):

<https://myweb.ecu.edu/linz/ampt/v1.26t9b/v2.26t9b>

**Initial conditions:** model HIJING

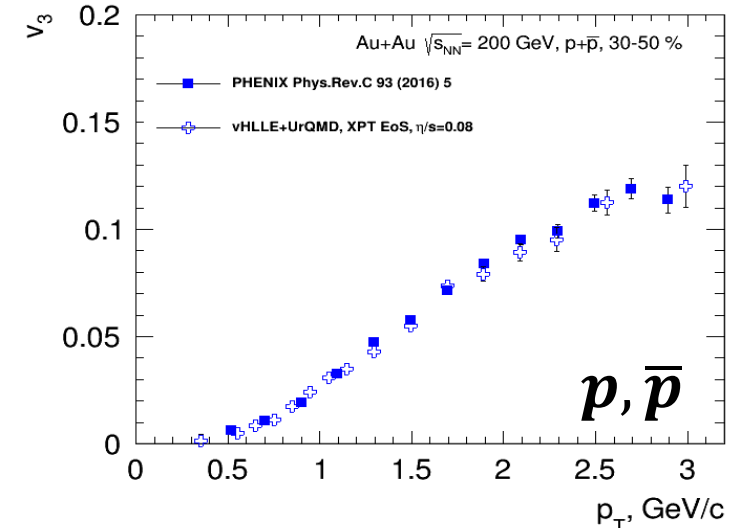
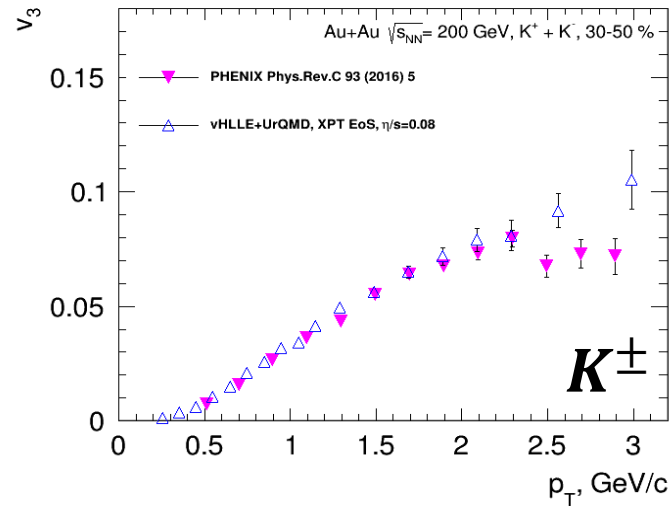
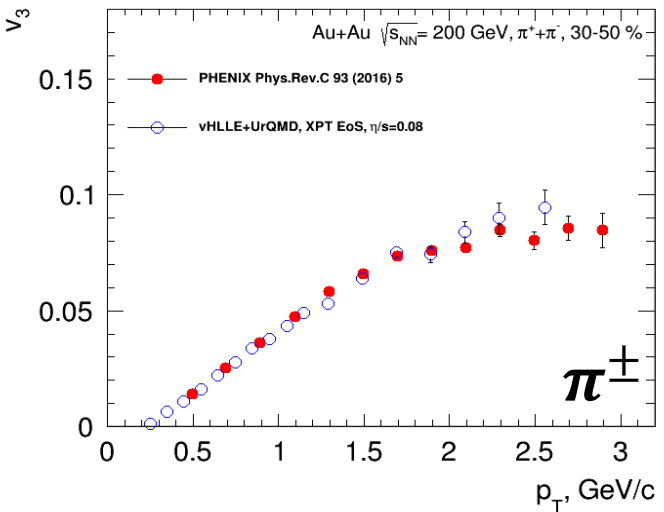
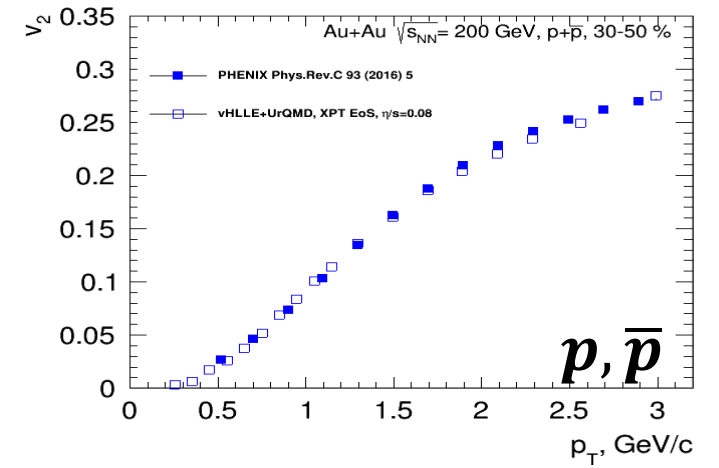
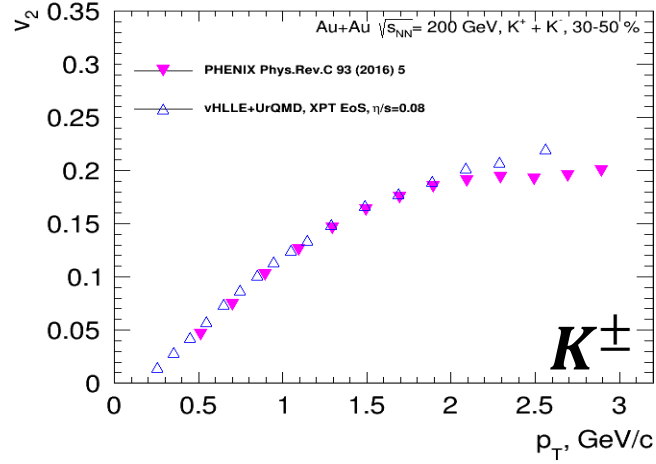
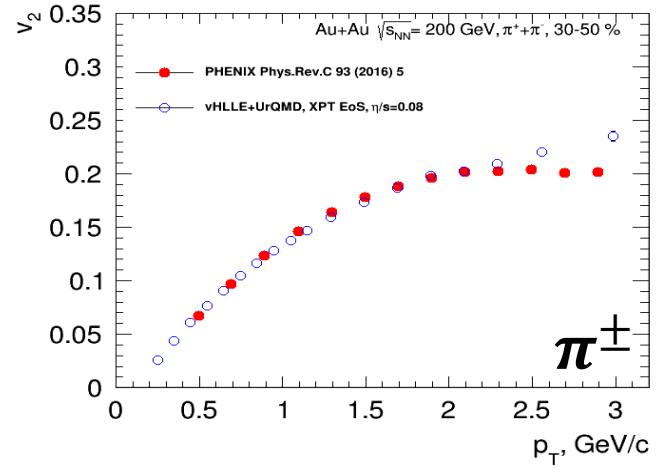
**QGP phase:** Zhang's parton cascade for modeling partonic scatterings

**Hadronic phase:** model ART



Z.W. Lin, C. M. Ko, B.A. Li, B. Zhang and S. Pal:  
Physical Review C 72, 064901 (2005).

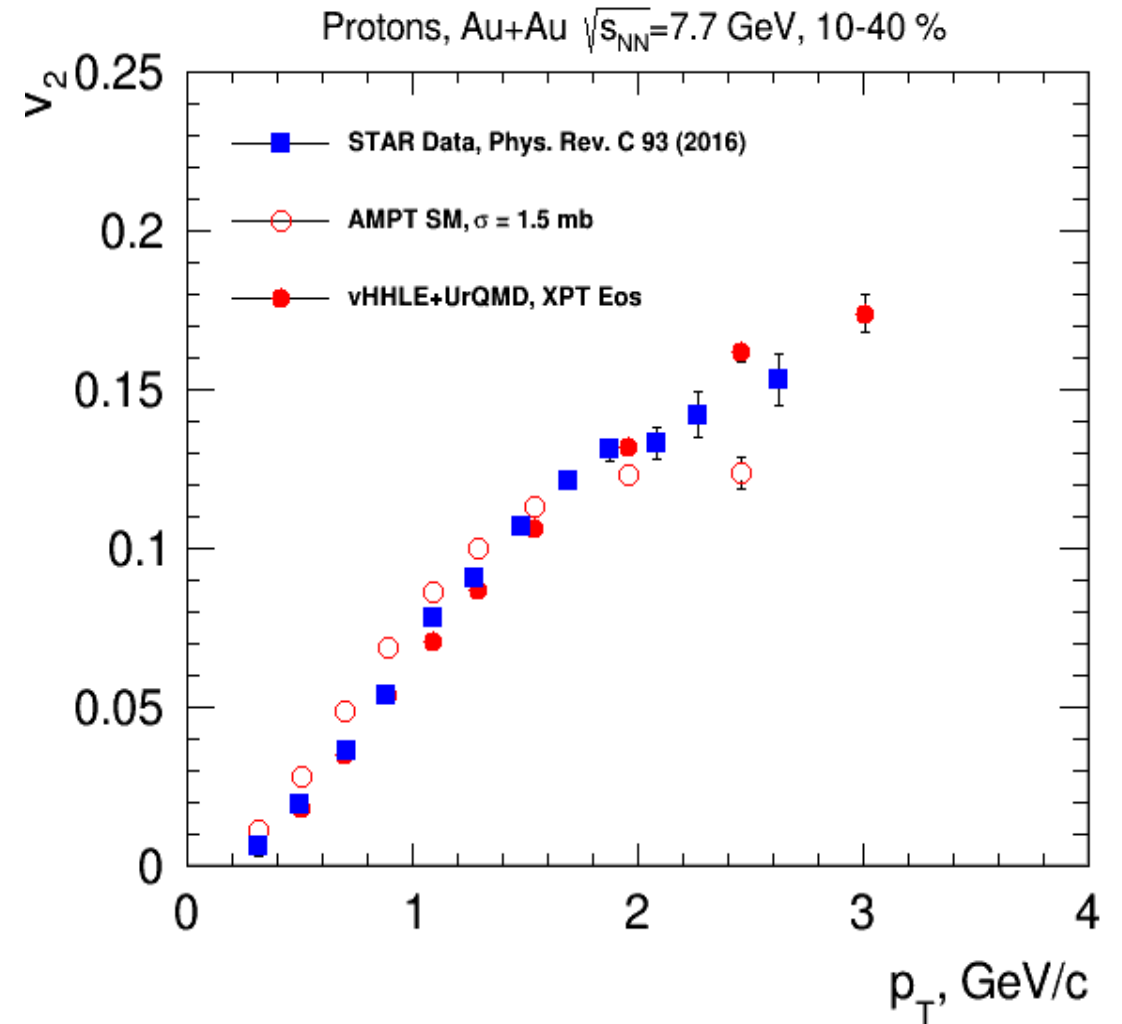
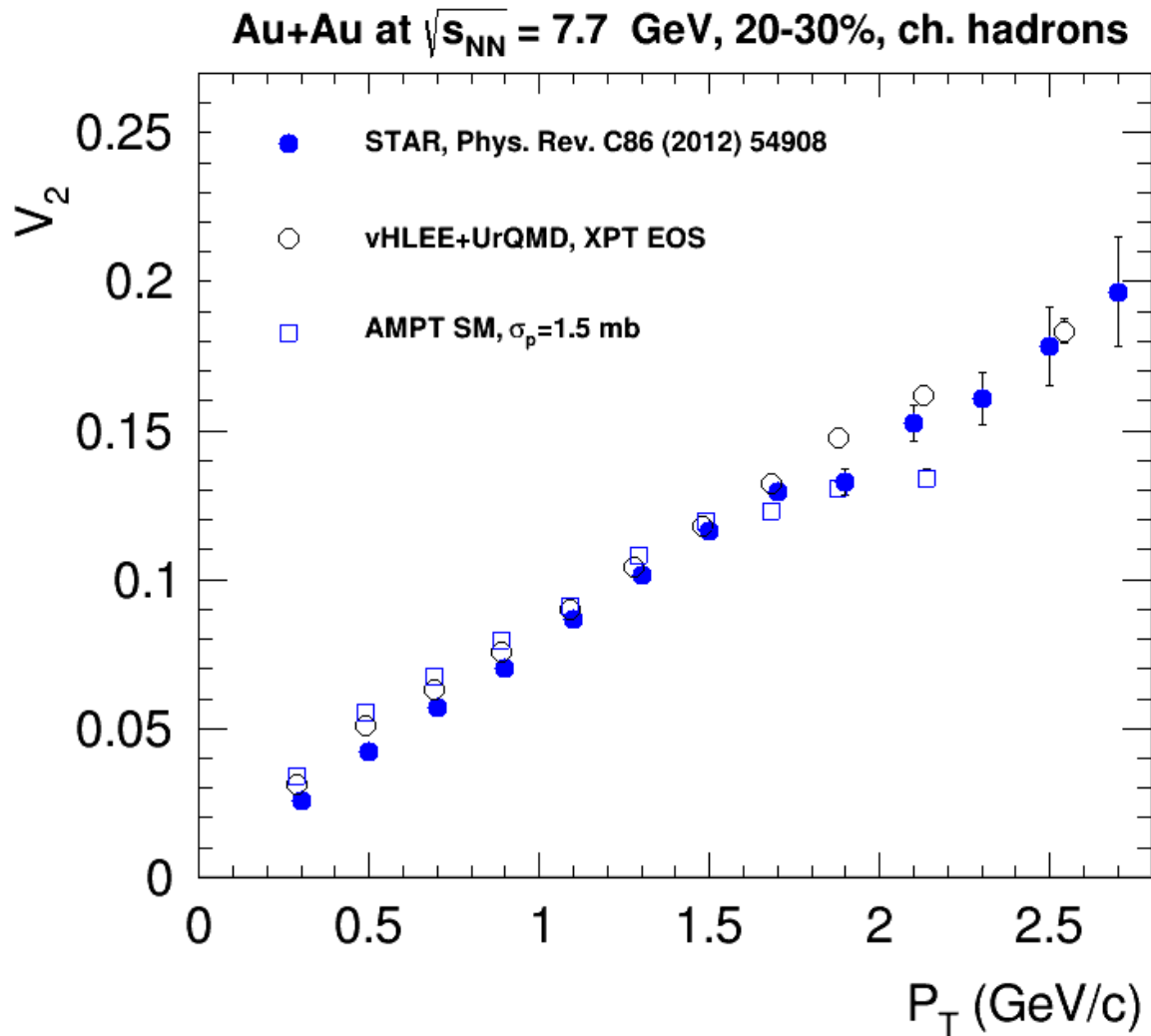
# vHLE+UrQMD: Elliptic and triangular flow in Au+Au collisions at 200 GeV



3D hydro model vHLE + UrQMD (XPT EOS),  $\eta/s=0.08$  + param from Iu.A. Karpenko, P. Huovinen, H. Petersen, M. Bleicher, Phys.Rev. C91 (2015) no.6, 064901

**Reasonable agreement between results of vHLE+UrQMD model and published PHENIX data**

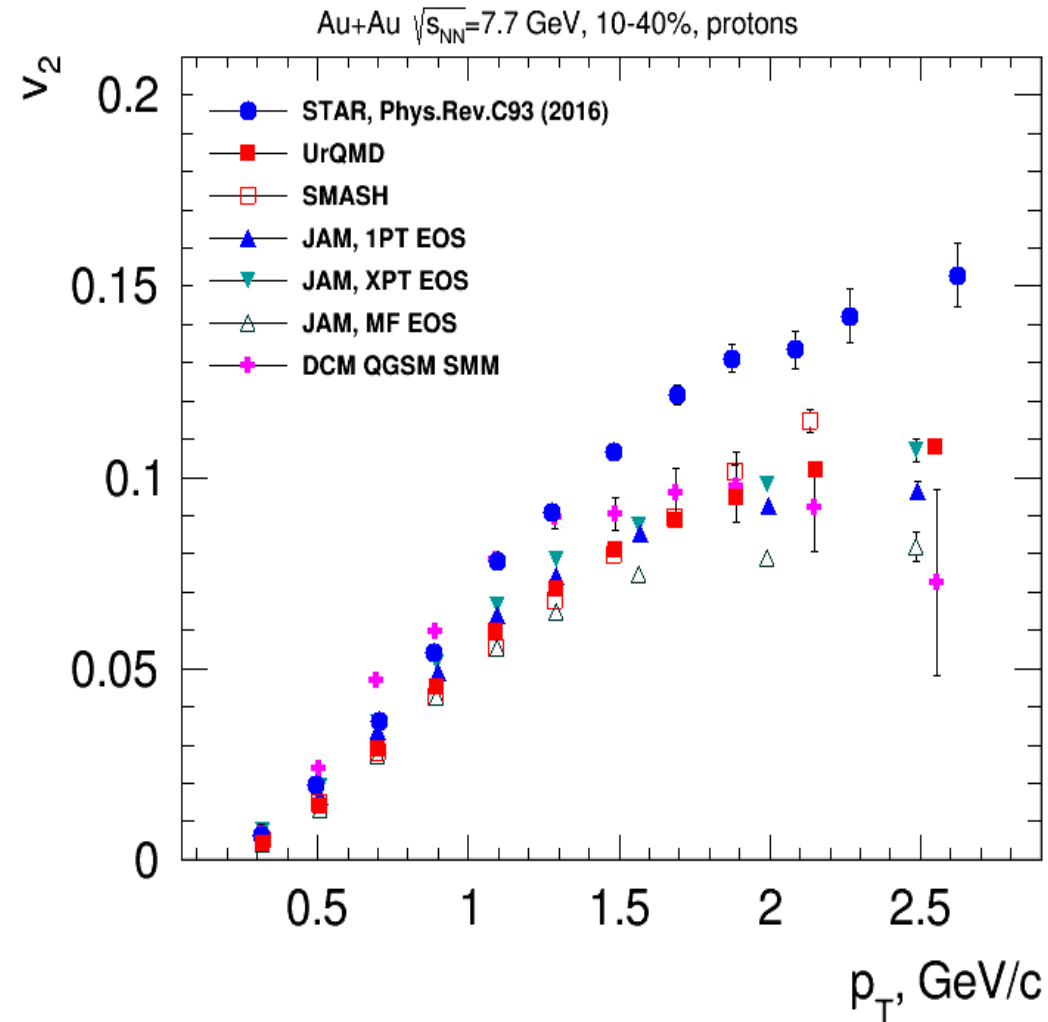
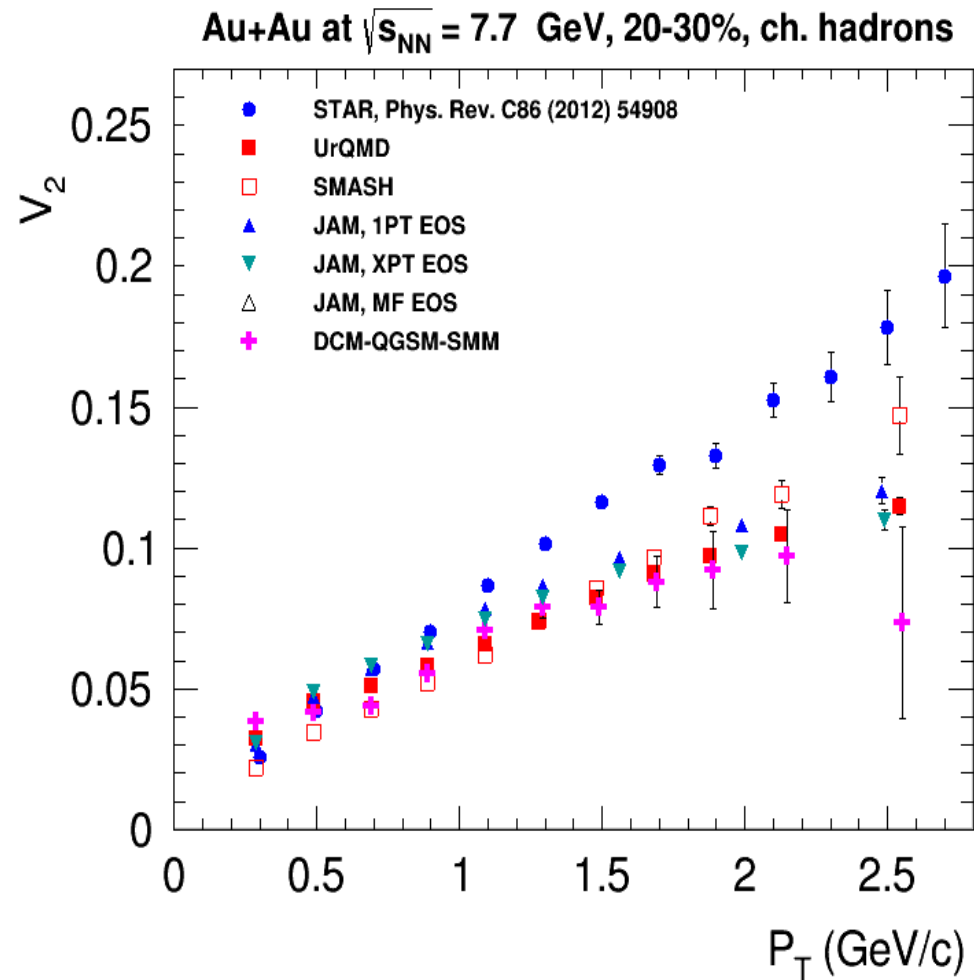
# Elliptic flow at NICA energies: Models vs. Data comparison



Good agreement between vHLEE+UrQMD ( $\eta/s = 0.2$ , XPT EOS), AMPT models and STAR data for  $\sqrt{s_{NN}} \geq 7.7$  GeV



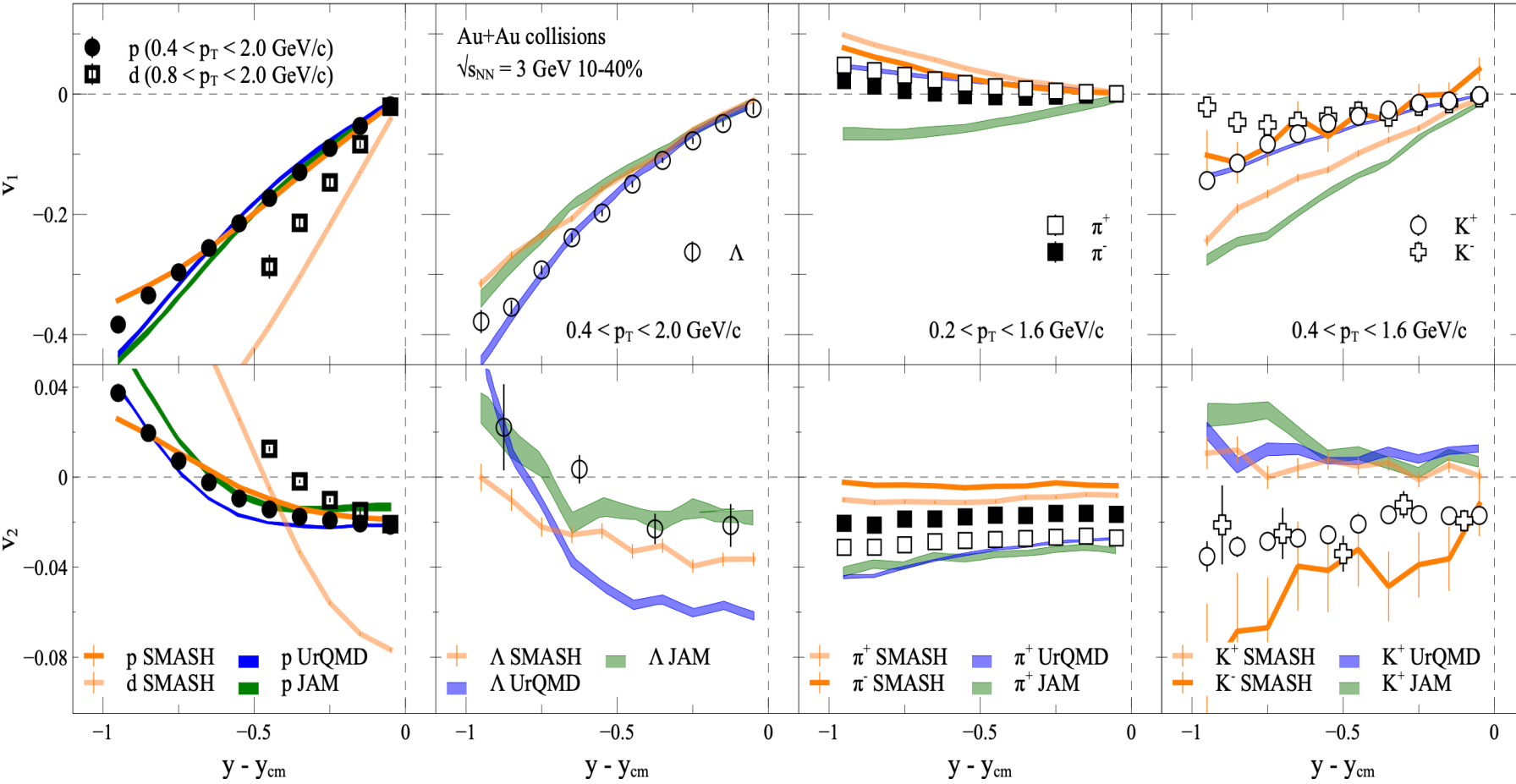
# Elliptic flow at NICA energies: Models vs. Data comparison



Pure String/Hadronic Cascade models give smaller  $v_2$  signal compared to STAR data for  $\sqrt{s_{NN}} \geq 7.7$  GeV

# $v_{1,2}(y)$ in Au+Au $\sqrt{s_{NN}}=3$ GeV: model vs. STAR data

A. Sorensen et. al., Prog.Part.Nucl.Phys. 134 (2024) 104080

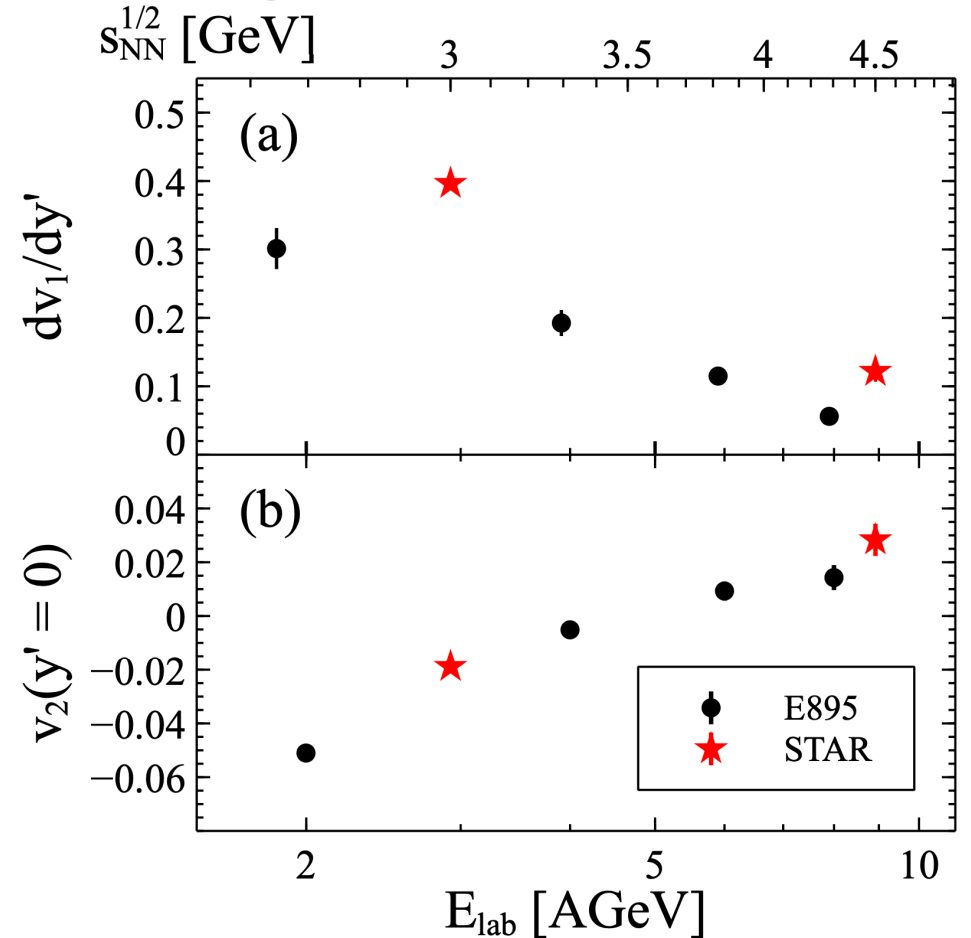
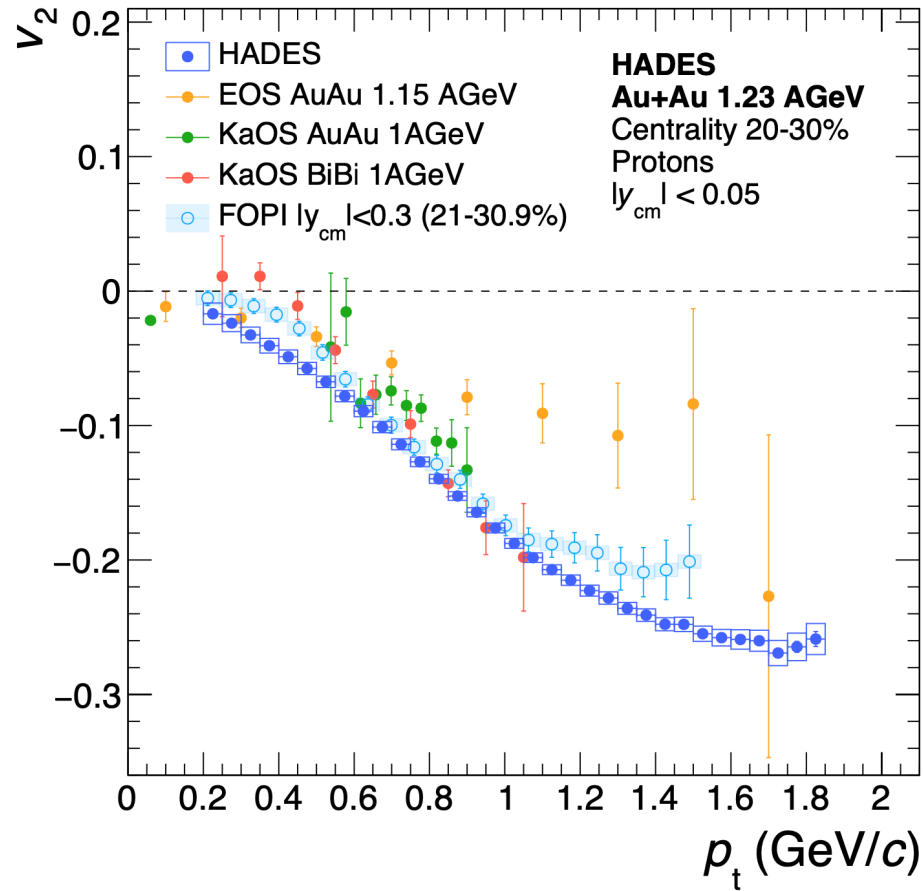


Model description of  $v_n$ :

- Good overall agreement for  $v_n$  of protons
- $v_n$  of light nuclei is not described
- $v_n$  of  $\Lambda$  is not well described
  - **nucleon-hyperon** and **hyperon-hyperon** interactions
- Light mesons ( $\pi, K$ ) are not described
  - No mean-field for mesons

**Models have a huge room for improvement in terms of describing  $v_n$**

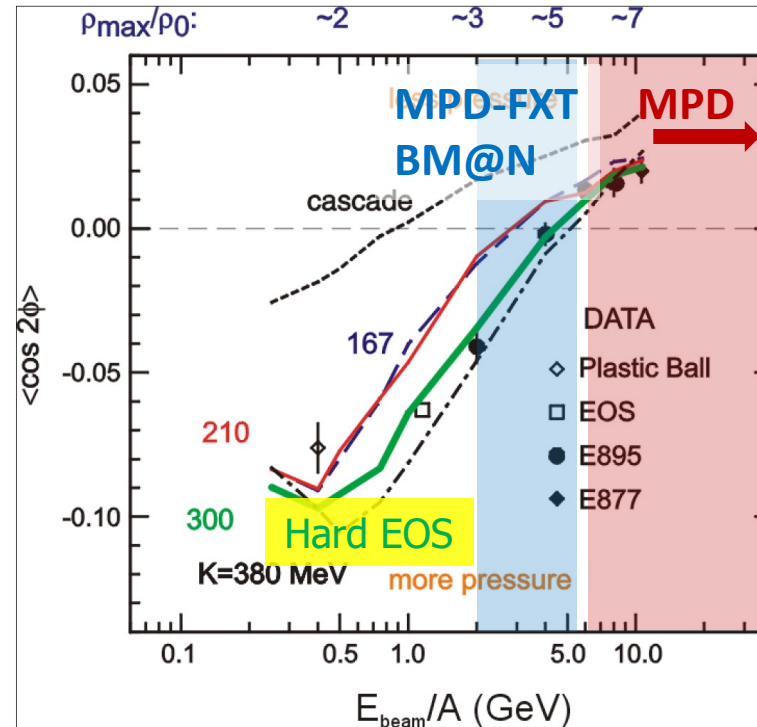
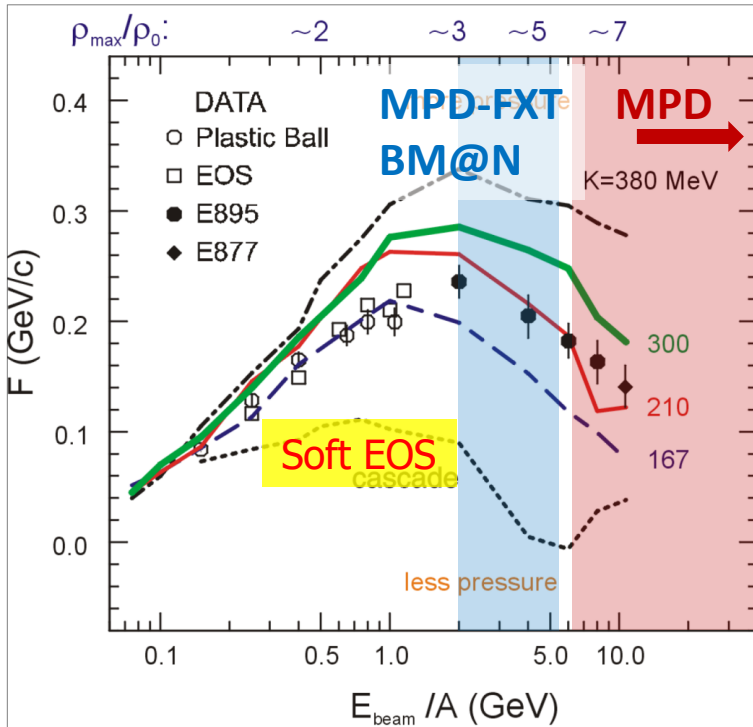
# Why do we need new measurements at BM@N and MPD?



- The main source of existing systematic errors in  $v_n$  measurements is the difference between results from different experiments (for example, FOPI and HADES, E895 and STAR)
- New data from the future BM@N ( $\sqrt{s_{NN}}=2.3-3.3$  GeV) and MPD ( $\sqrt{s_{NN}}=4-11$  GeV) experiments will provide more detailed and robust  $v_n$  measurements

# Sensitivity of the collective flow to the EOS

P. Danielewicz, R. Lacey, W.G. Lynch, Science 298 (2002) 1592



**EoS extraction: define incompressibility**

$$K_0 = 9\rho^2 \frac{\partial^2(E_A)}{\partial \rho^2}$$

Discrepancy in the interpretation:

- $v_1$  suggests soft EoS ( $K_0 \approx 210$  MeV)
- $v_2$  suggests hard EoS ( $K_0 \approx 380$  MeV)

**New measurements using new data and modern analysis techniques might address this discrepancy**

$$F = \left. \frac{d\langle p_x/A \rangle}{d(y/y_{\text{cm}})} \right|_{y/y_{\text{cm}}=1}$$

$$v_2 \equiv \langle \cos(2(\phi - \Psi_{RP})) \rangle$$

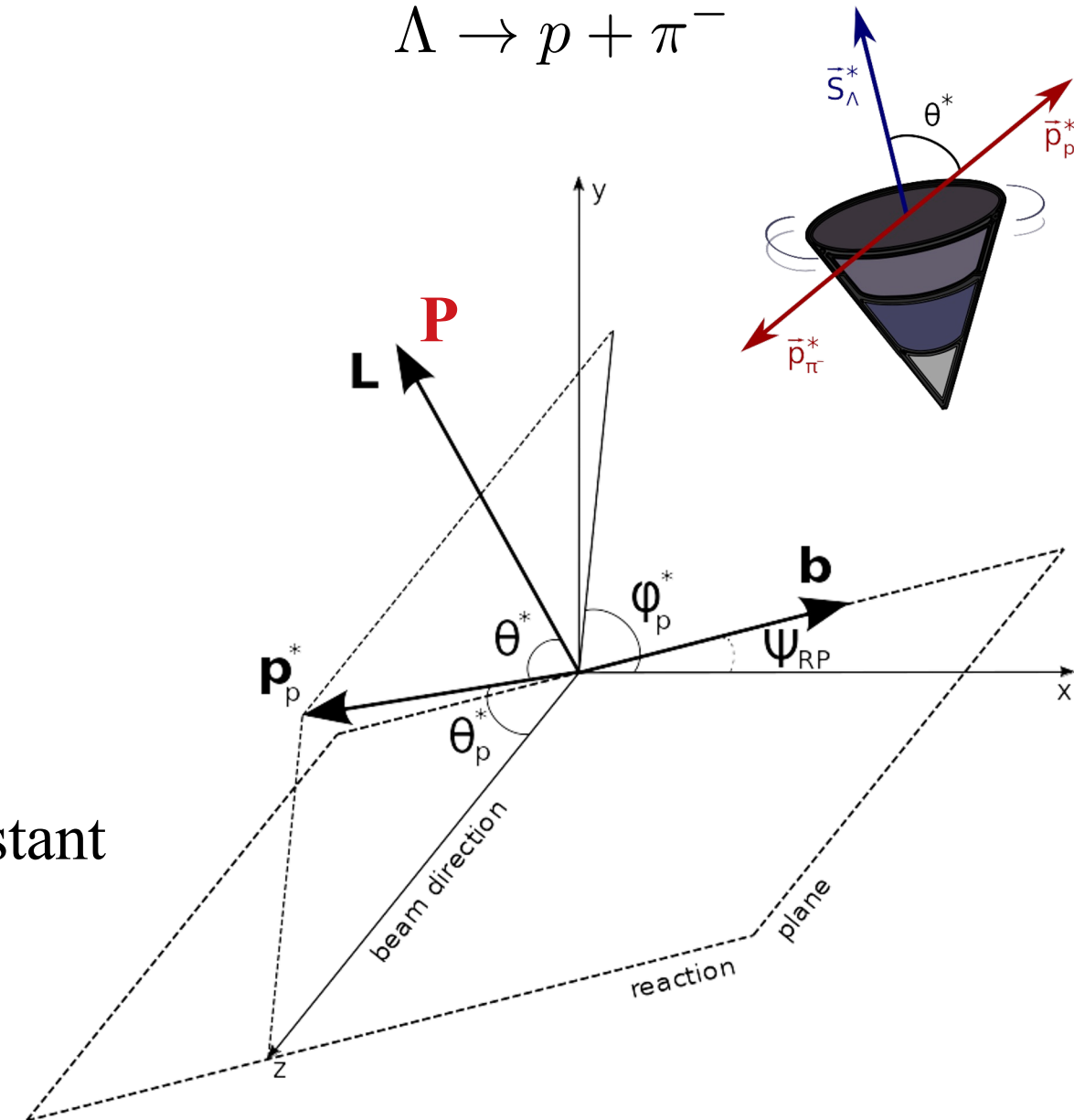
**Additional measurements are essential to clarify the previous results**

# Global hyperon polarization

- w.r.t. reaction plane (RP)
- Emerges in HIC due to the system angular momentum
- Measured through the weak decay:

$$\frac{dN}{d \cos \theta^*} = \frac{1}{2} (1 + \alpha_H |\vec{P}_H| \cos \theta^*)$$

- \* — denotes hyperon rest frame
- $\theta^*$  — angle between the decay particle (proton) and polarization direction
- $\alpha_\Lambda \simeq -\alpha_{\bar{\Lambda}} \simeq 0.732$  - hyperon decay constant

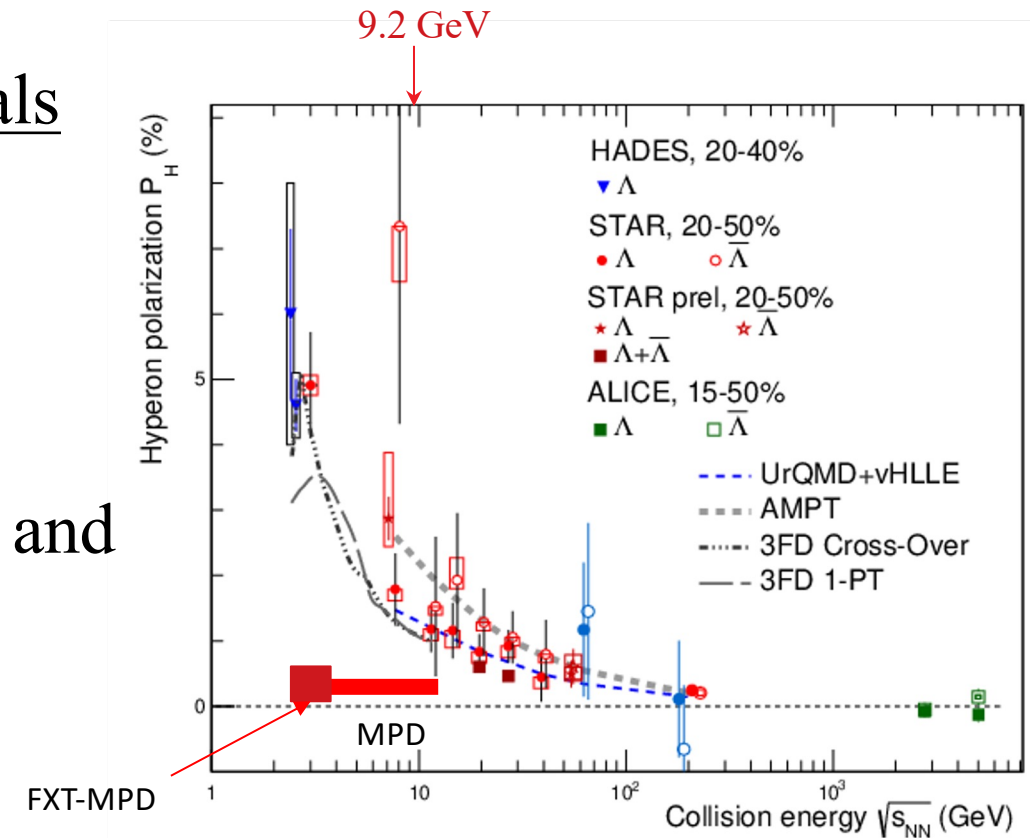


# Global Polarization at Nuclotron-NICA energies

- Predicted and observed global polarization signals rise as the collision energy is reduced:

NICA energy range will provide new insight

- $\Lambda(\bar{\Lambda})$  - splitting of global polarization
- Comparison of models, detailed study of energy and kinematical dependences, improving precision
- Probing the vortical structure using various observables



S. Singha, EPJ Web Conf. 276 (2023) 06012

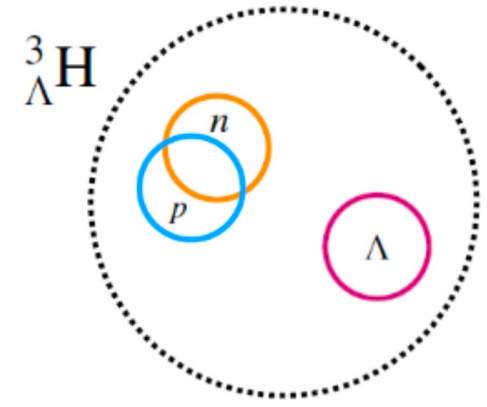
J. Adam et al. (STAR Collaboration), Phys. Rev. C 98, 014910 (2018)

O. Teryaev and R. Usubov, Phys. Rev. C 92, 014906 (2015)

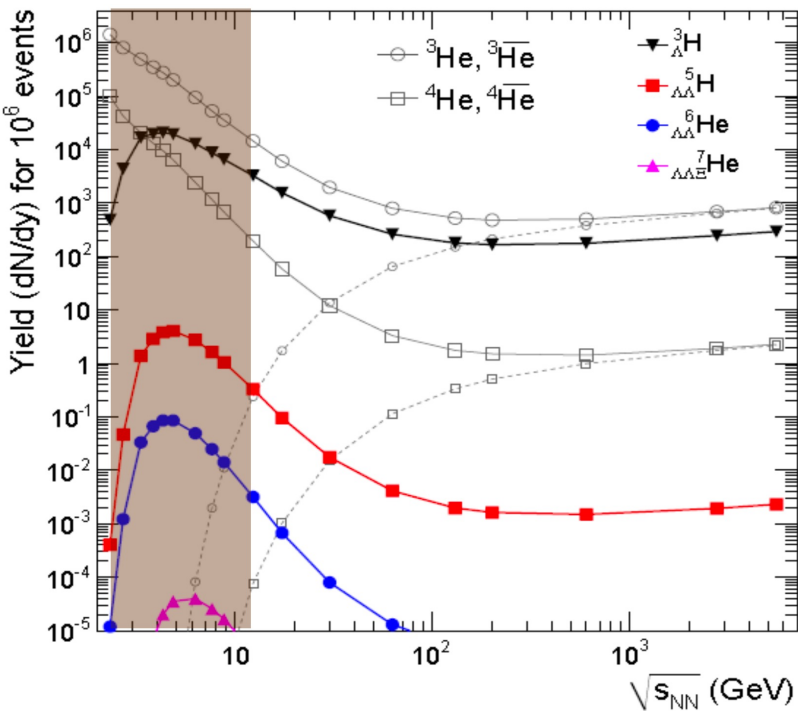
# Hypernuclei

Hypernuclei are nuclei containing at least one hyperon:

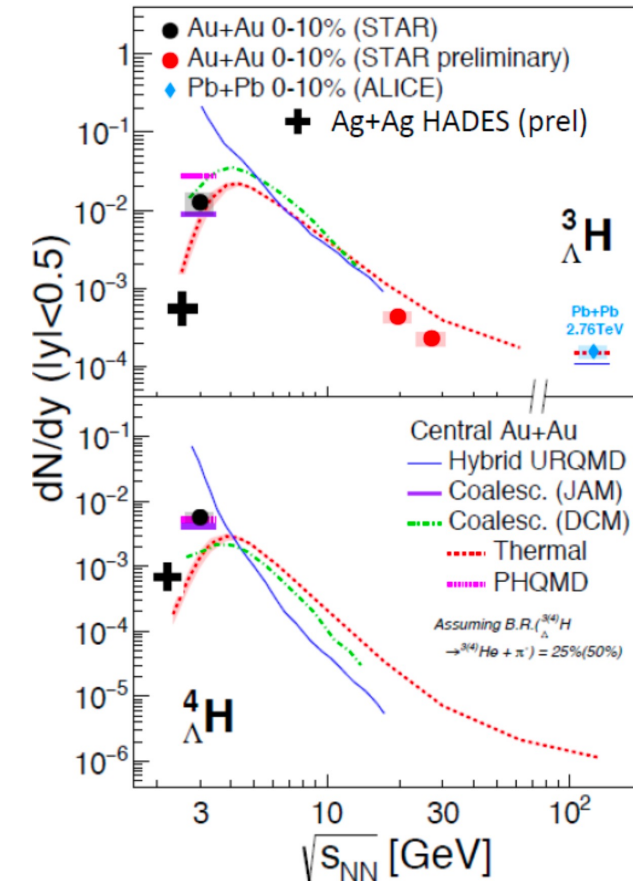
- **nucleon-hyperon (NY)** and **hyperon-hyperon (YY)** interactions are poorly studied compared to nucleon-nucleon (NN) interactions
  - To study EOS we need to have better define NY and YY potentials
- Study of hypernuclei might help us with that



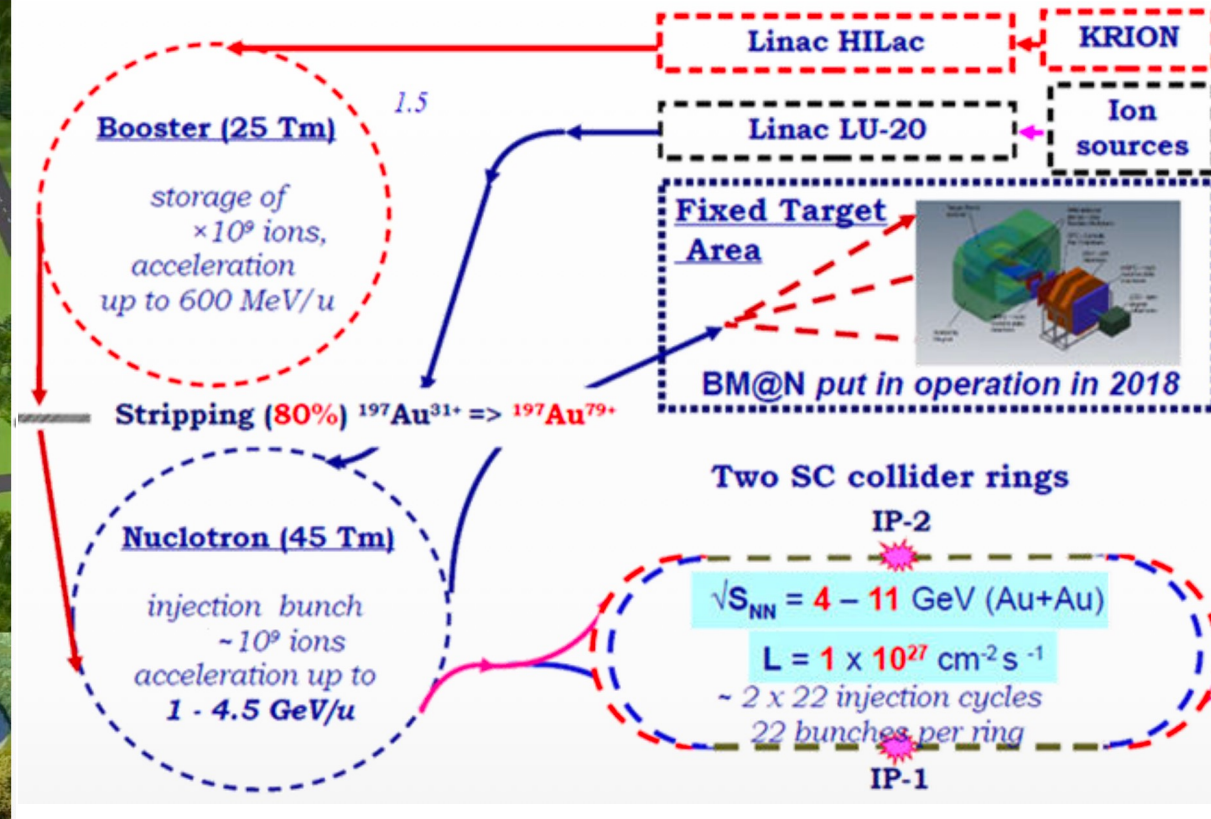
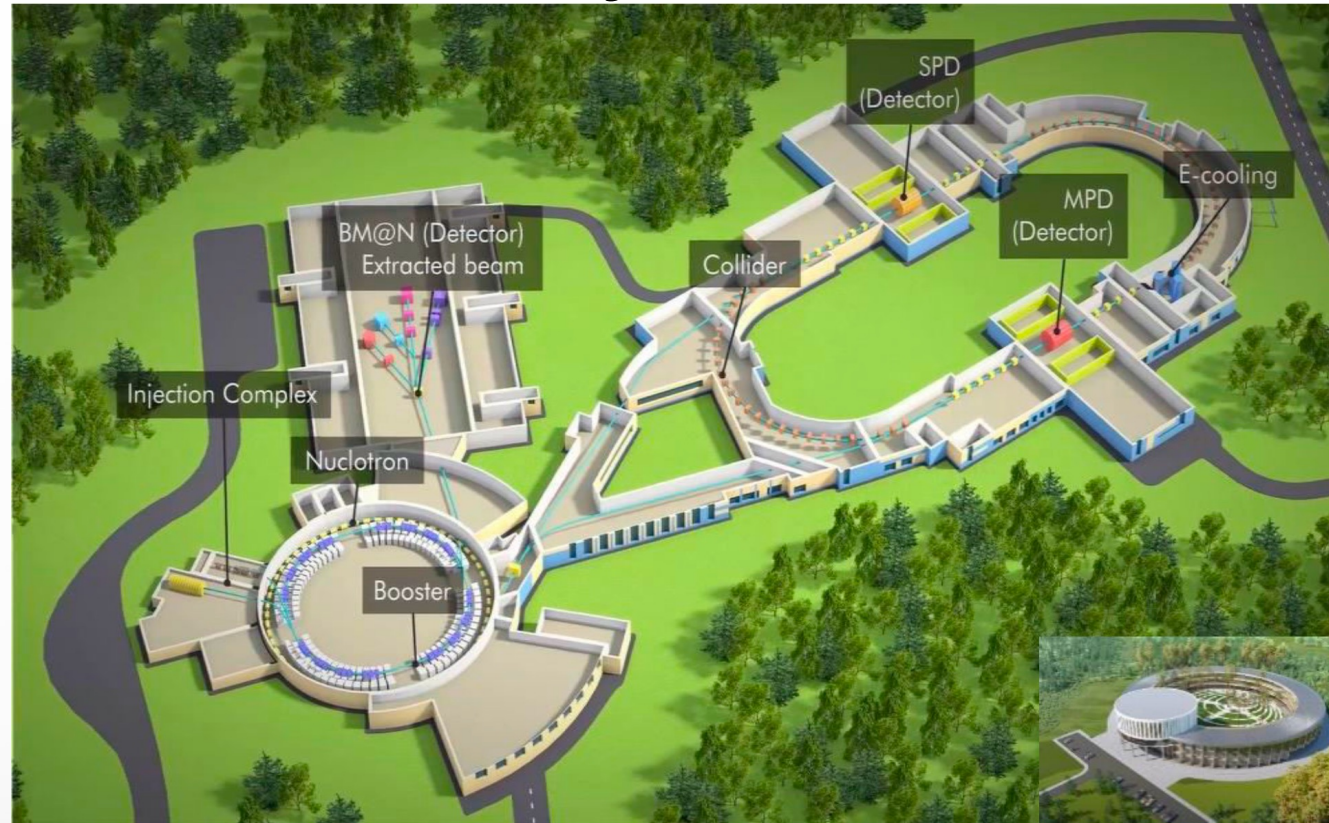
A. Andronic et al, PLB 697 (2011) 203



- Few data on the production of hypernuclei in heavy-ion collisions
- Available data leaves space for various model predictions (thermal, coalescence, hybrid)
- Thermal model predicts an enhanced production of (hyper)nuclei within the NICA energy range
- Further and deeper investigations of the hypernuclei formation mechanisms require additional measurements (beam energy and system size scans)



# NICA Project

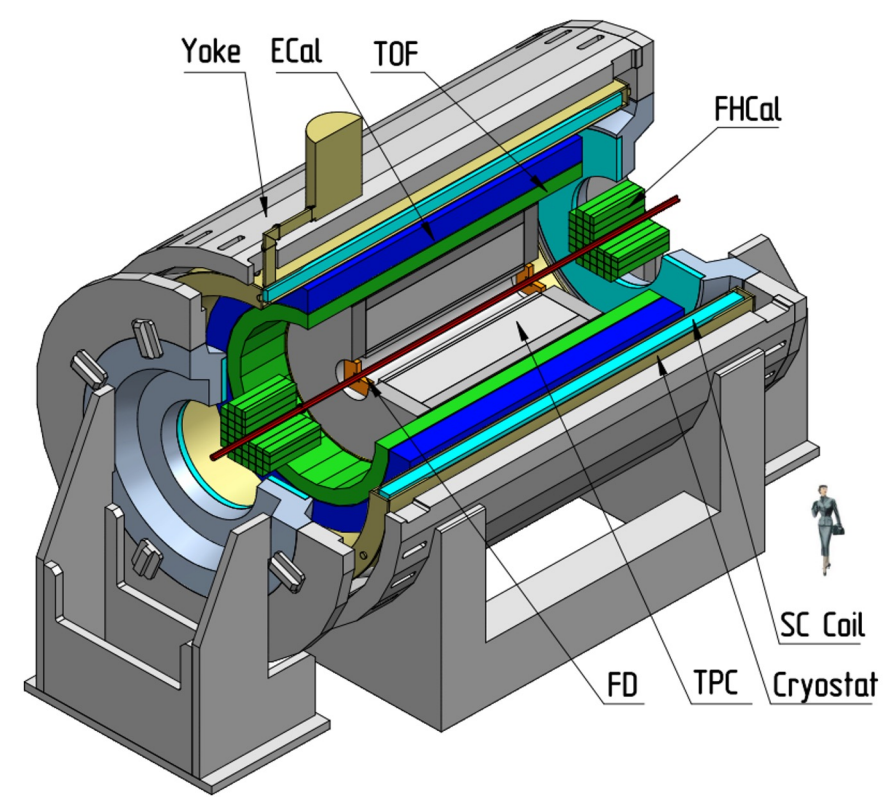


➤ The first megascience project in Russia, which is approaching its full commissioning:

- Baryonic matter at Nuclotron (BM@N) – already running in the fixed-target mode
- Multi-Purpose Detector (MPD) – start of operation in 2025
- Spin Physics Detector (SPD) – operating on polarized deuterons later on



# MPD experiment at NICA

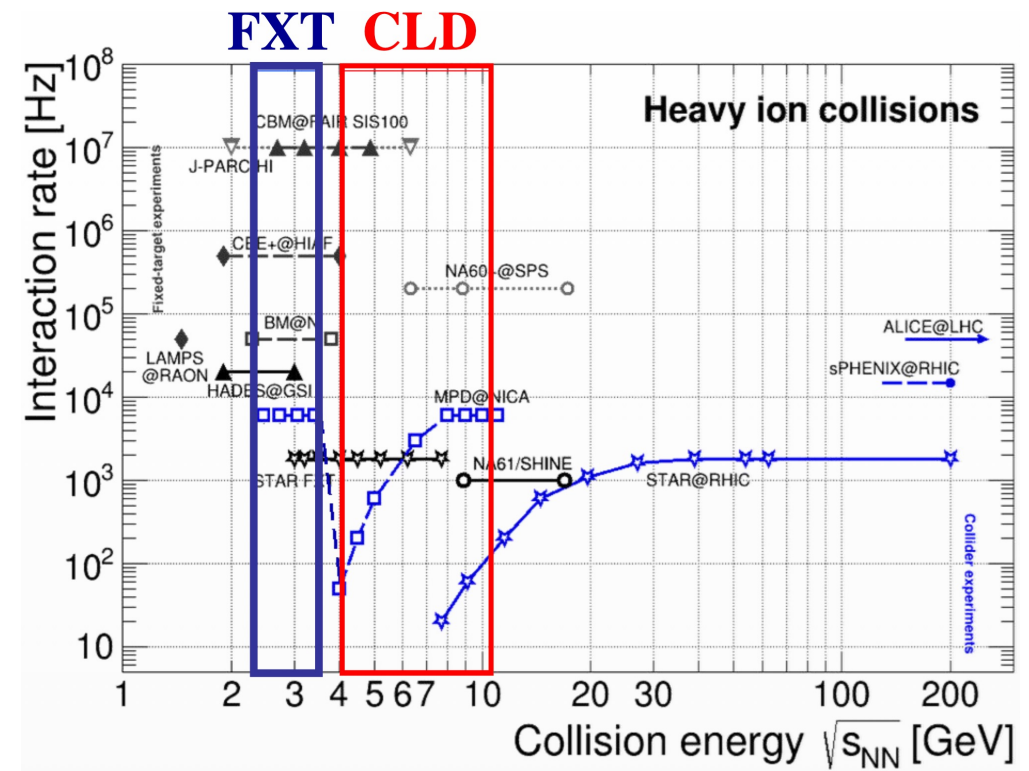
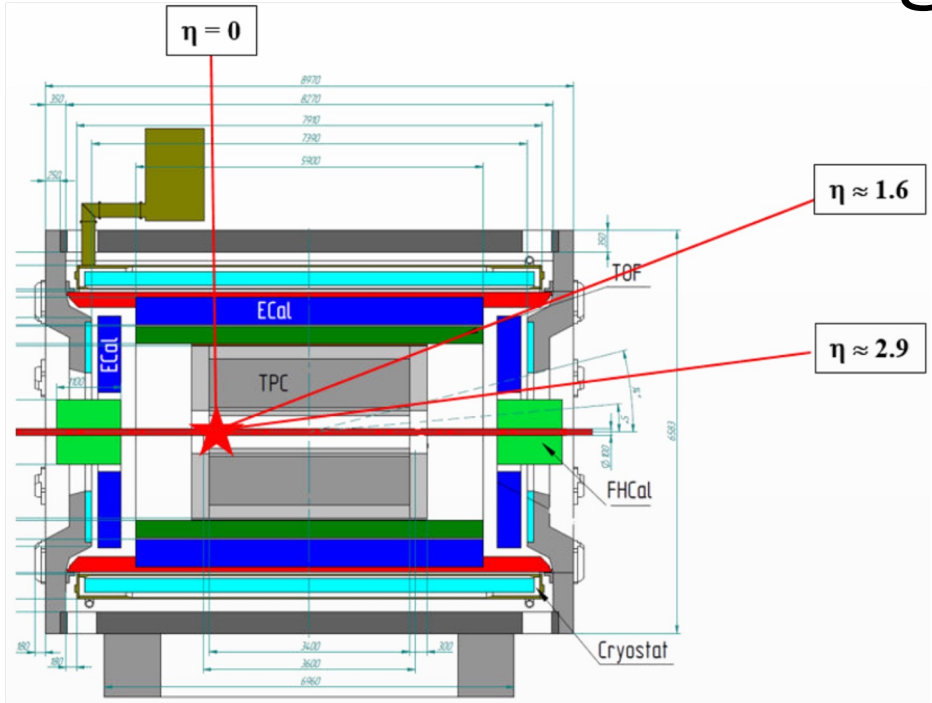


One of the two experiments at NICA collider to study heavy-ion collisions at  $\sqrt{s_{NN}} = 2.4-11$  GeV

## Main subsystems:

- **TPC** ( $|\Delta\varphi| < 2\pi, |\eta| \leq 1.6$ ): charged particle tracking + momentum reconstruction + dE/dx identification
- **TOF** ( $|\Delta\varphi| < 2\pi, |\eta| \leq 1.6$ ): charged particle identification
- **EMC** ( $|\Delta\varphi| < 2\pi, 2.9 < |\eta| < 3.3$ ): energy and PID for  $\gamma/e^\pm$  + charged particle identification (limited ability)
- **FHCAL** ( $|\Delta\varphi| < 2\pi, 2 < |\eta| < 5$ ) and **FFD** ( $|\Delta\varphi| < 2\pi, 2.9 < |\eta| < 3.3$ ): event triggering + event geometry +  $T_0$
- **ITS**: secondary vertex reconstruction for heavy-flavor decays (considered for later runs)

# MPD – fixed-target mode



➤ **Collider mode (MPD-CLD):** two beams,  $\sqrt{s_{NN}} = 4-11$  GeV

➤ **Fixed-target mode (MPD-FXT):** one beam, thin ( $\sim 50-100$   $\mu\text{m}$ ) wire close to the edge of the central barrel:

- Extends energy range of the MPD to  $\sqrt{s_{NN}} = 2.4-3.5$  GeV – overlap with HADES, BM@N, and CBM
- Allows to maintain high interaction rate at lower beam energies compared to MPD-CLD

➤ **Expected beams at the first year(s) of operation:**

- MPD-CLD: Xe+Xe at  $\sqrt{s_{NN}} \sim 7$  GeV, reduced luminosity ( $\sim 50$  Hz interaction rate)
- MPD-FXT: Xe+W at  $\sqrt{s_{NN}} \sim 3$  GeV

# MPD subsystem status (I)

## Magnet and cryogenics



- Test cooling performed to 70°K in February-March
- Start of cooling to LHe and magnetic field measurements in the second half of the 2024

## TPC – central tracker



- TPC cylinders, central membrane, service wheels, readout chambers, gas system - ready
- Final vessel assembly expected to be finished by the end of the year

# MPD subsystem status (II)

## Support structure



- Carbon fiber support frame delivered and ready for installation

## ECAL

### Half-sector at different stages of assembly



- 83% of the calorimeters will be ready in 2024
- The remaining modules will be produced (delays with fiber supply)

# MPD subsystem status (III)

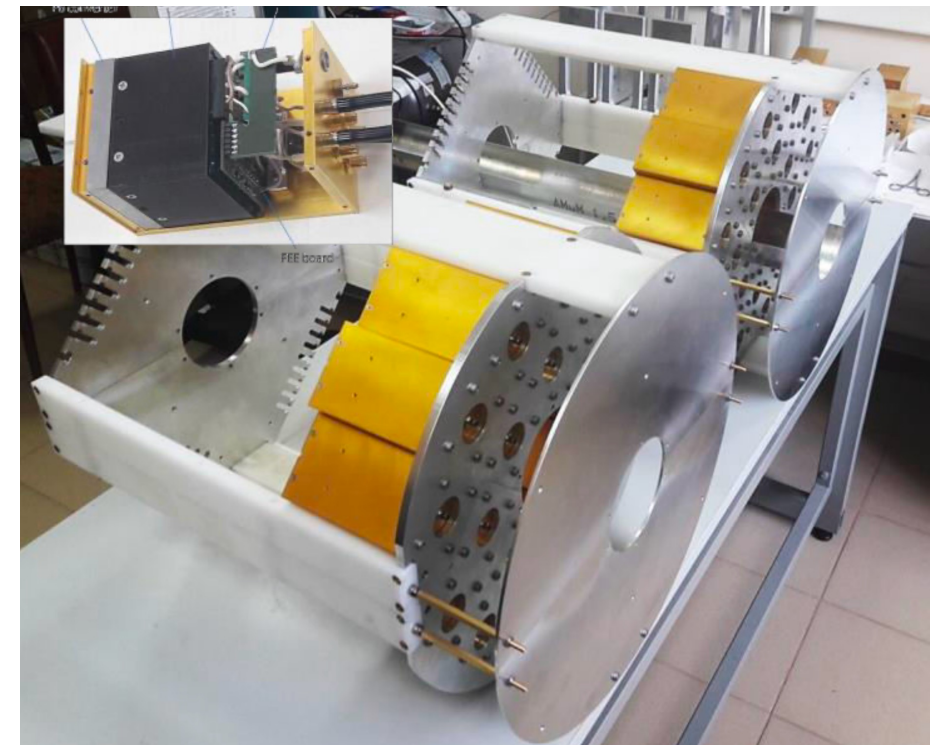
TOF



FHCal



FFD



- 28 modules are produced and ready for installation

- FHCal assembled on the platform and ready to be installed

- Cherenkov modules, mechanics for installation in container with the beam pipe are available and ready for installation

# MPD physics program

**G. Feofilov, P. Parfenov**

## **Global observables**

- Total event multiplicity
- Total event energy
- Centrality determination
- Total cross-section measurement
- Event plane measurement at all rapidities
- Spectator measurement

**V. Kolesnikov, Xianglei Zhu**

## **Spectra of light flavor and hypernuclei**

- Light flavor spectra
- Hyperons and hypernuclei
- Total particle yields and yield ratios
- Kinematic and chemical properties of the event
- Mapping QCD Phase Diag.

**K. Mikhailov, A. Taranenko**

## **Correlations and Fluctuations**

- Collective flow for hadrons
- Vorticity,  $\Lambda$  polarization
- E-by-E fluctuation of multiplicity, momentum and conserved quantities
- Femtoscopy
- Forward-Backward corr.
- Jet-like correlations

**D. Peresunko, Chi Yang**

## **Electromagnetic probes**

- Electromagnetic calorimeter meas.
- Photons in ECAL and central barrel
- Low mass dilepton spectra in-medium modification of resonances and intermediate mass region

**Wangmei Zha, A. Zinchenko**

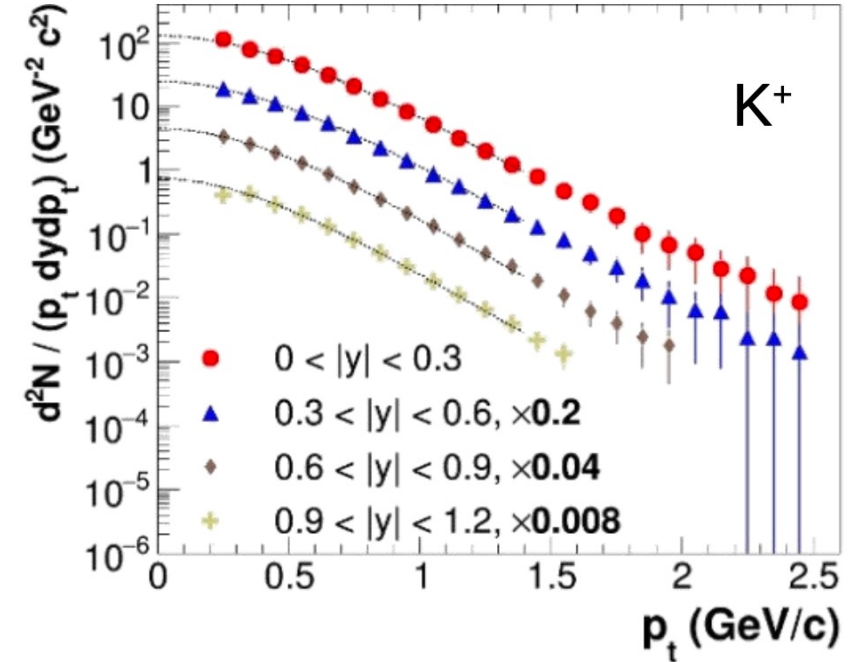
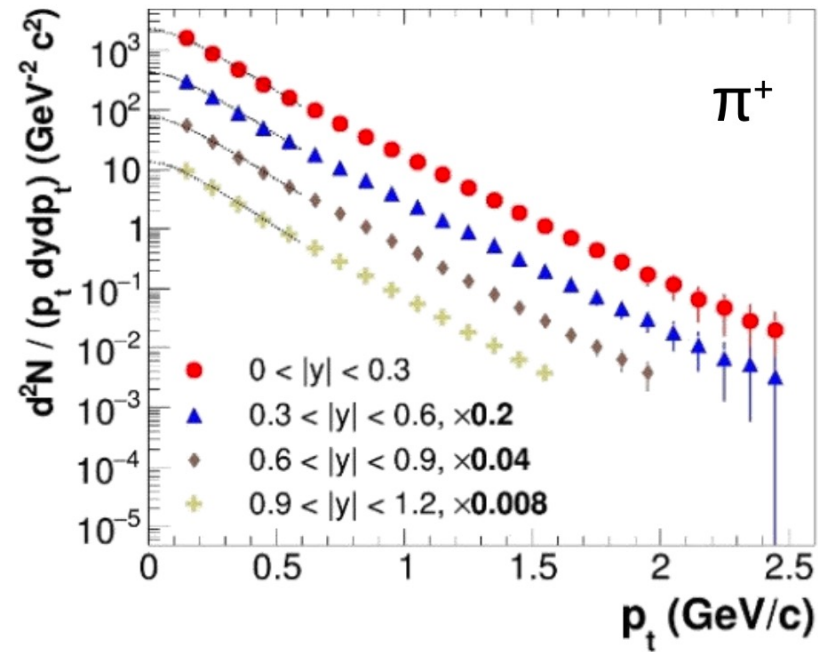
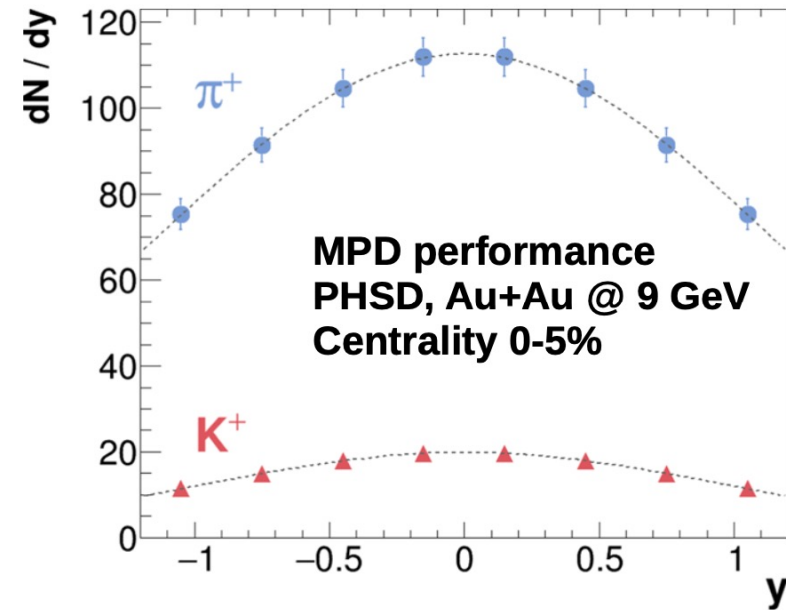
## **Heavy flavor**

- Study of open charm production
- Charmonium with ECAL and central barrel
- Charmed meson through secondary vertices in ITS and HF electrons
- Explore production at charm threshold

# Charged identified hadron production

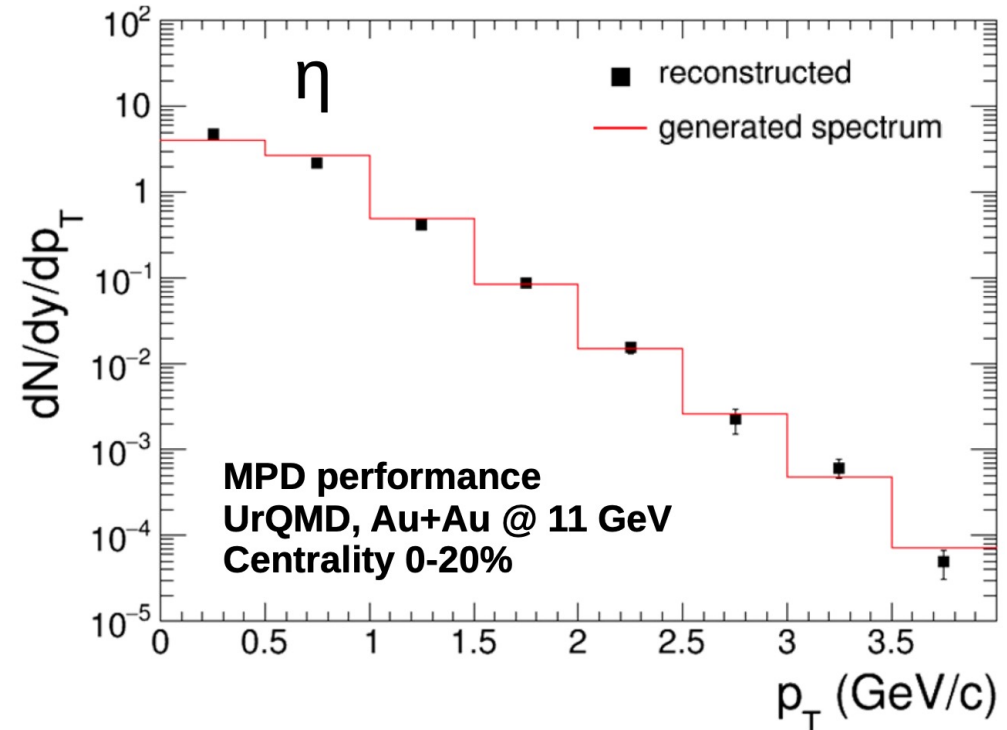
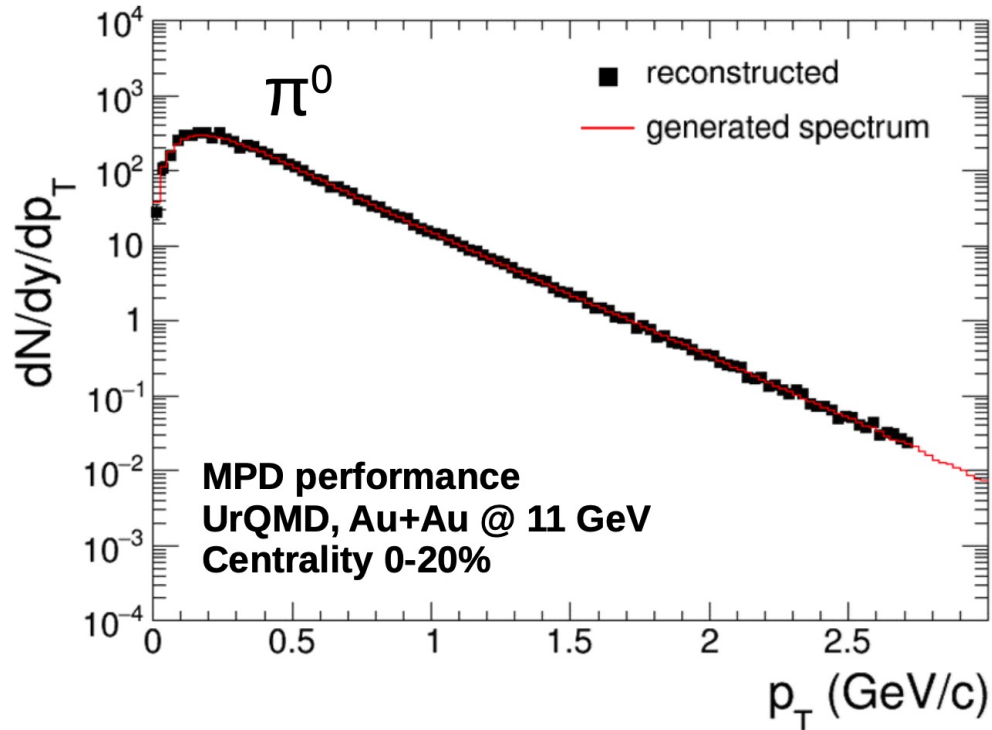
0-5% central AuAu@9 GeV (PHSD), 5 M events

Phys.Part.Nucl. 53 (2022) 2, 203-206



- Probe freeze-out conditions, collective expansion, hadronization mechanisms, strangeness production (“horn” for  $K/\pi$ ), parton energy loss, etc. with particles of different masses, quark contents/counts
- Charged hadrons: large ( $\sim 70\%$  of  $\pi/K/p$ ) and uniform acceptance + excellent PID capabilities of TPC and TOF down to  $p_T \sim 0.1 \text{ GeV}/c$

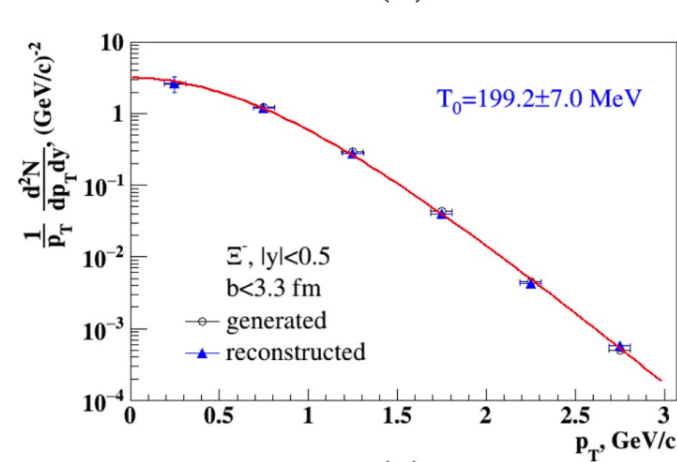
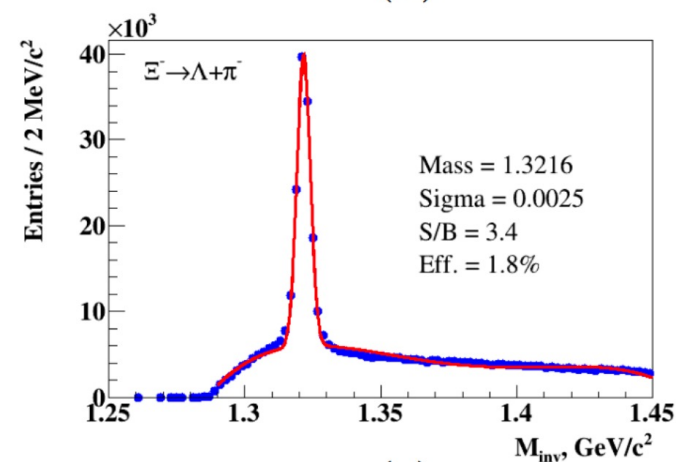
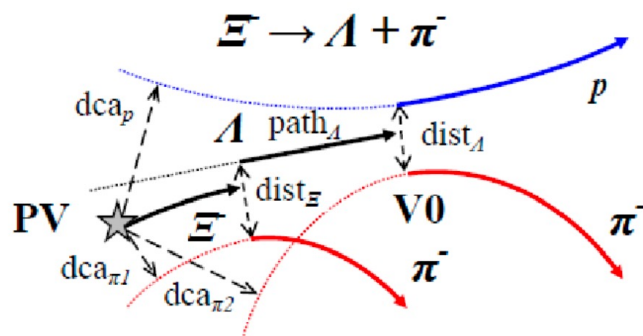
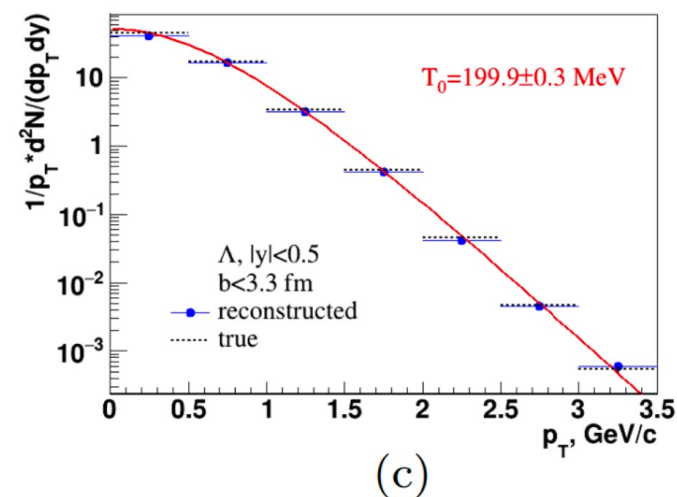
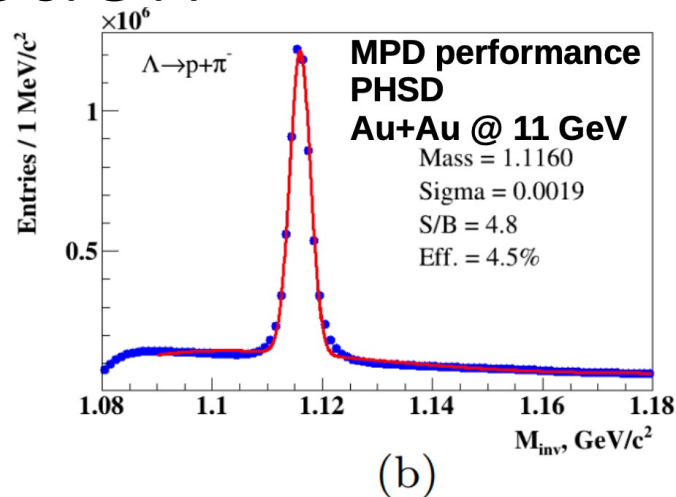
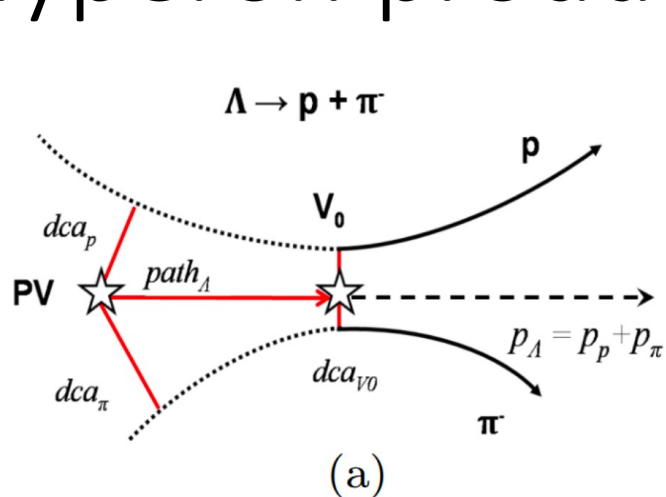
# Neutral identified hadron production



- MPD will be able to measure differential production spectra, integrated yields and  $\langle p_T \rangle$ , particle ratios, multiplicity distributions for a variety of identified hadrons ( $\pi$ ,  $K$ ,  $\eta$ ,  $\omega$ ,  $\rho$ , ...)
- Neutral mesons ( $\pi^0$ ,  $K_S$ ,  $\eta$ ,  $\omega$ ,  $\eta'$ ): ECAL reconstruction + photon conversion method (PCM)
- Will be helpful to extend  $p_T$  ranges of charged particle measurements and assess systematics

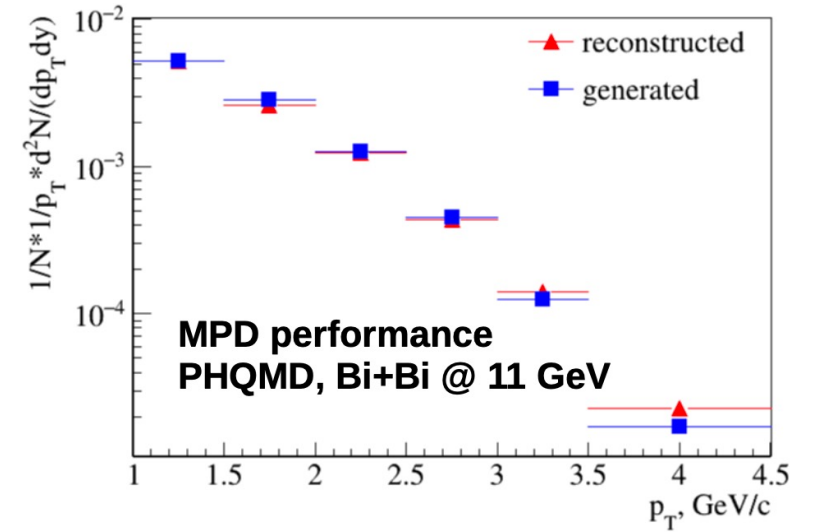
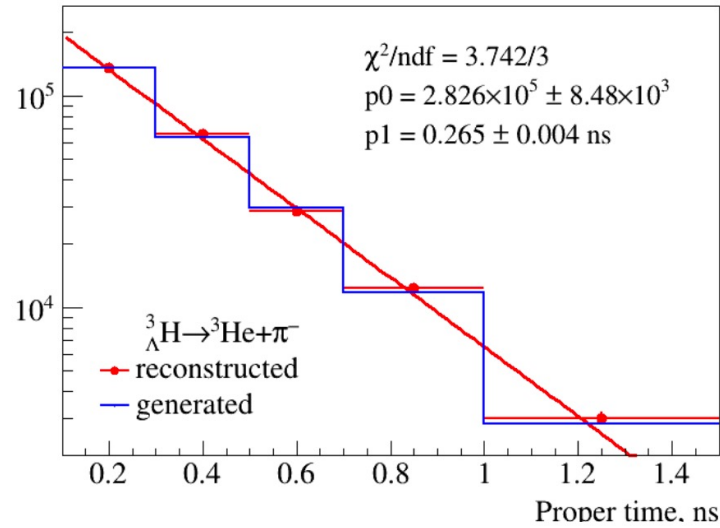
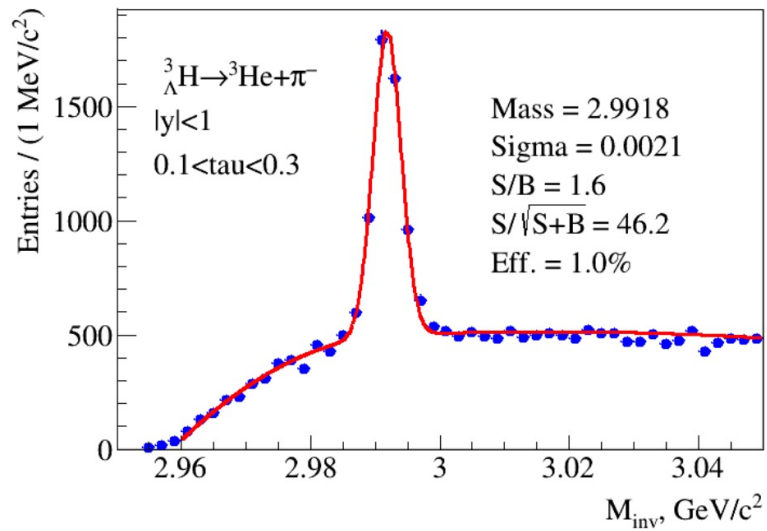


# Hyperon production



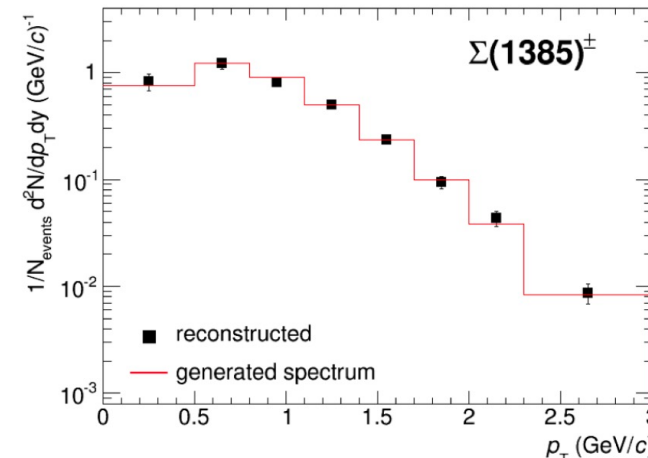
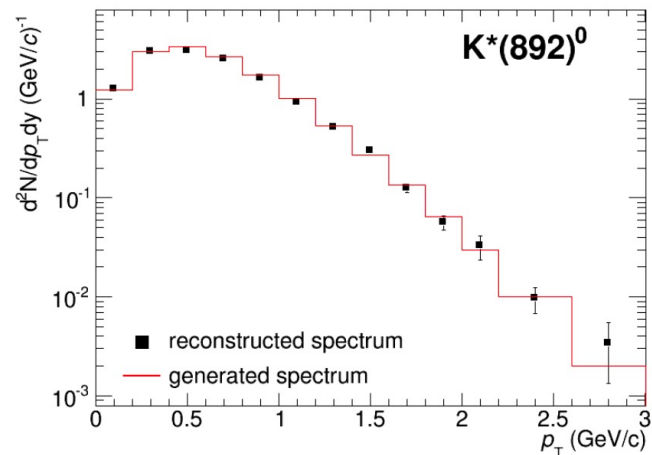
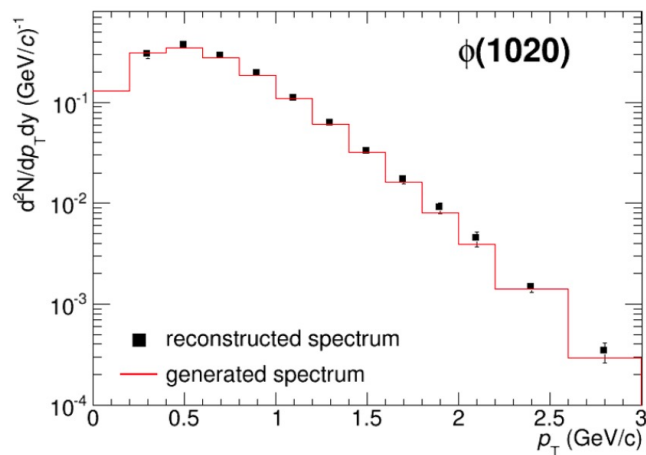
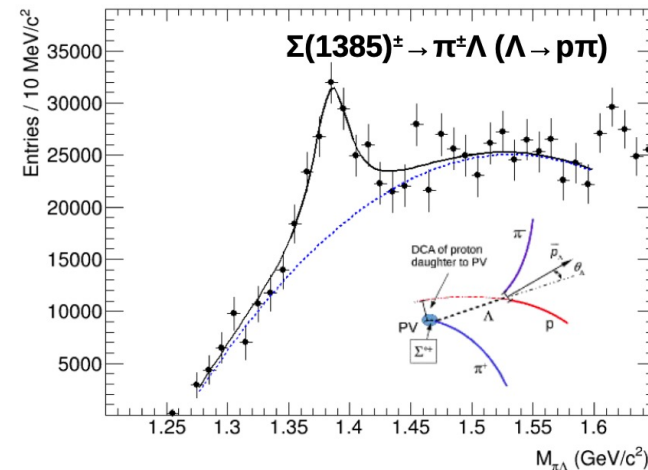
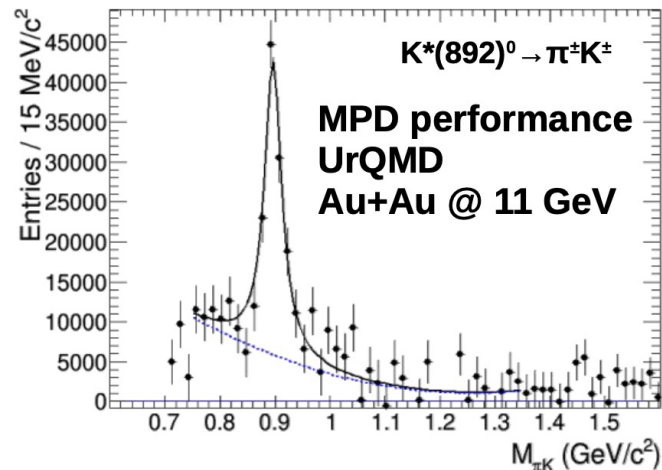
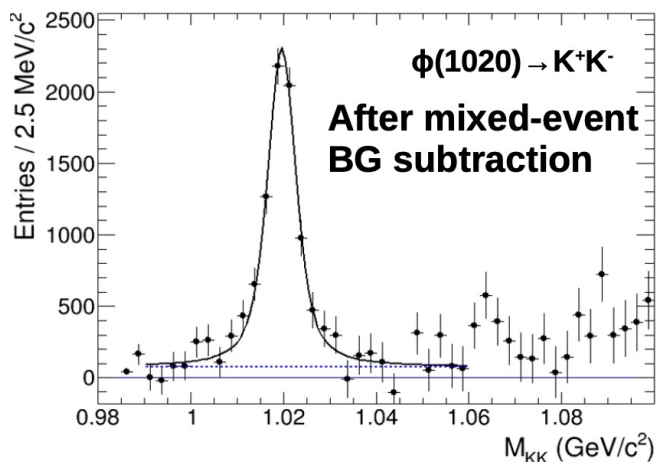
- Strangeness enhancement is considered to be a signature of the QGP formation with no consensus on the dominant mechanisms of strangeness enhancement – precise measurements are needed in pp, pA, AA
- Strange baryons can be reconstructed with a good level of significance (S/B ratios) with PID using TPC+TOF and different topology selections

# Hypernuclei production



- Hypernuclei measurements may shed light on their production mechanism (statistical hadronisation, coalescence)
- Statistical models predict enhanced hypernuclei production at NICA energies – more hypernuclei are available for measurements
- Yields and lifetimes from the models are well reproduced in MPD performance studies with 40M events for  ${}^3_{\Lambda}H$

# Resonance production

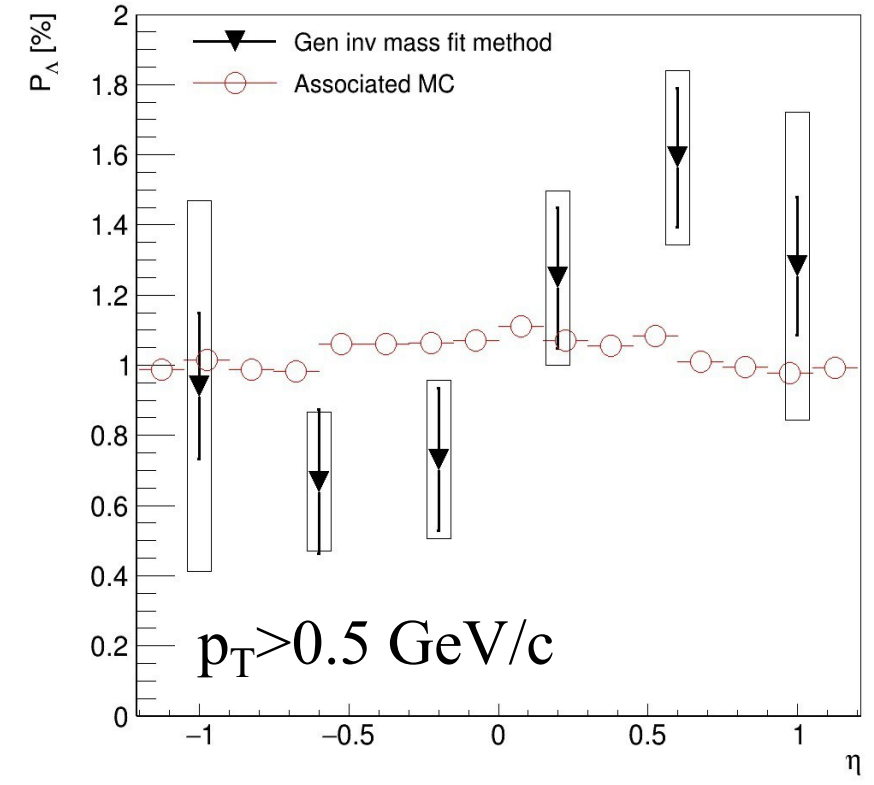
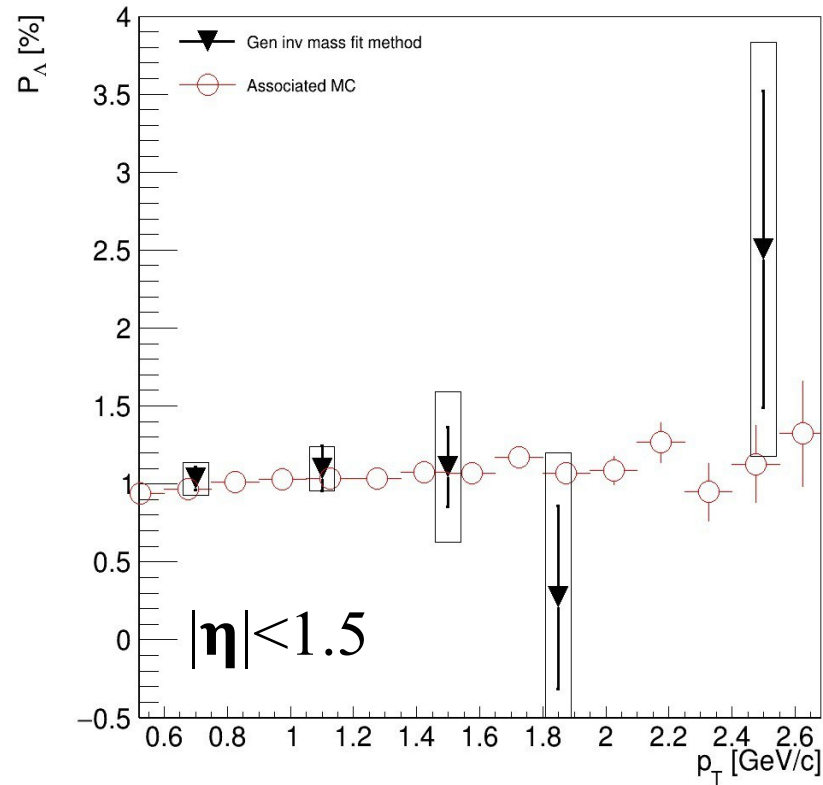
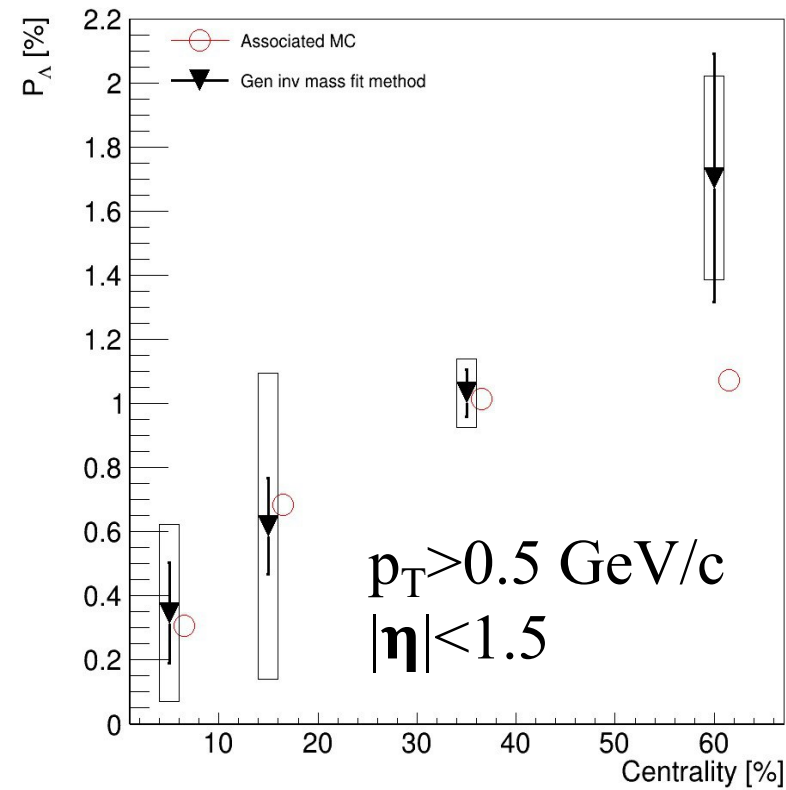


MPD is capable of resonance reconstruction using TPC and TOF for PID and selection based on the topology of the decay

First measurements are feasible with 10M events

# Global polarization of $\Lambda$ hyperon $P_\Lambda$

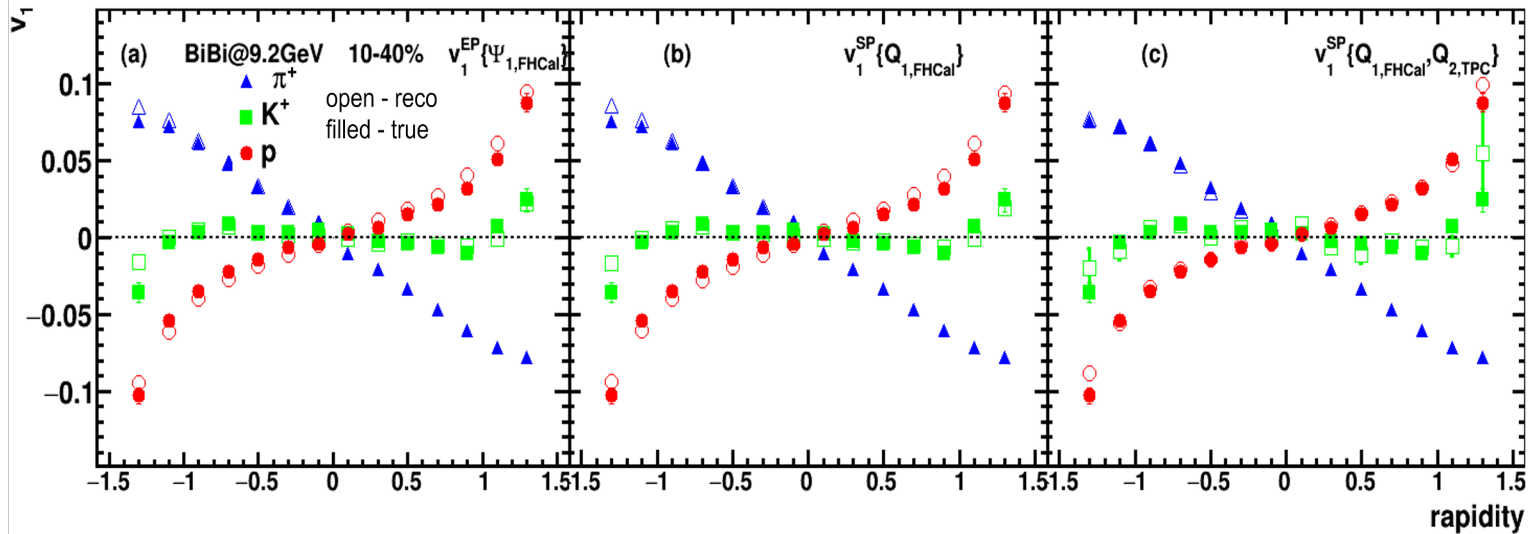
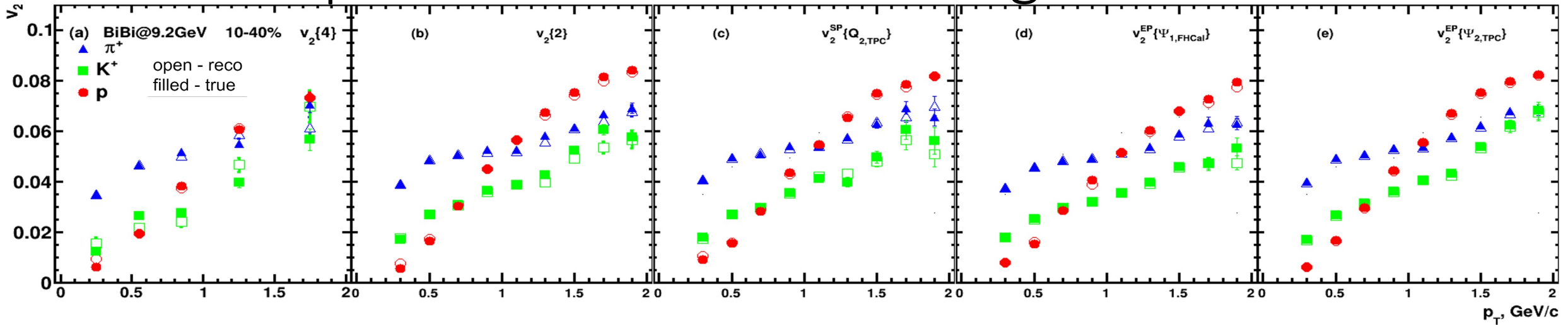
Eur.Phys.J.A 60 (2024) 4, 85



Good agreement with Associated MC

More statistics needed for differential ( $p_T, \eta$ ) measurements

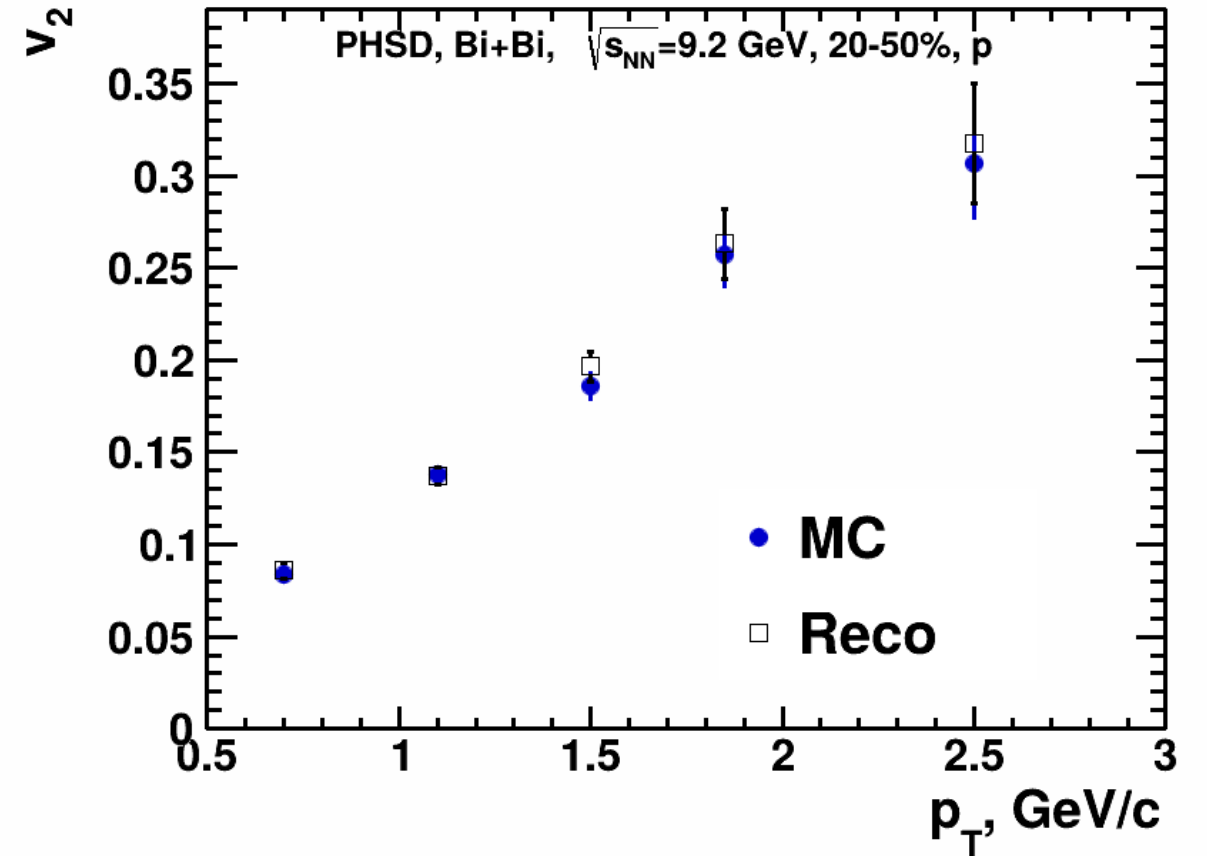
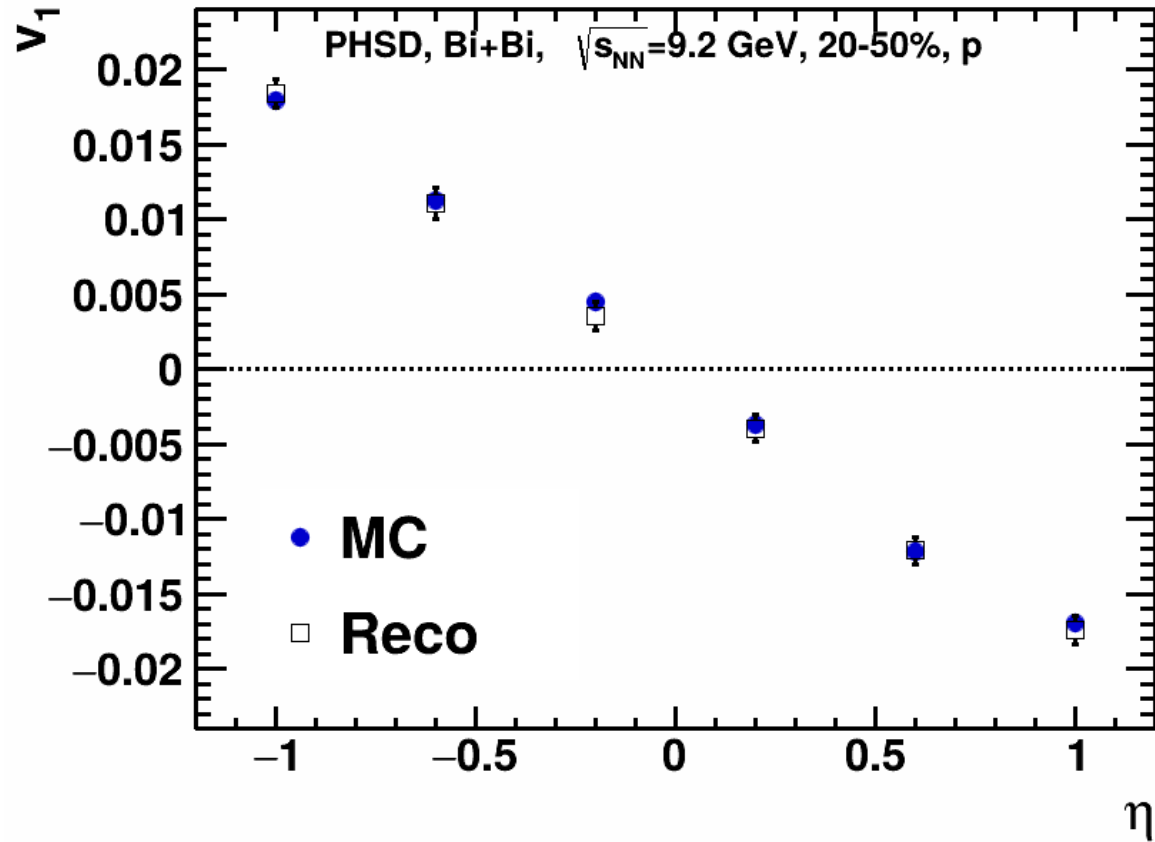
# Anisotropic flow of identified charged hadrons



Good performance for  $v_1$ ,  $v_2$  using several methods for flow measurements (EP, SP, Q-Cumulants)

**Good performance for flow measurements for all methods used (EP, SP, Q-cumulants)**

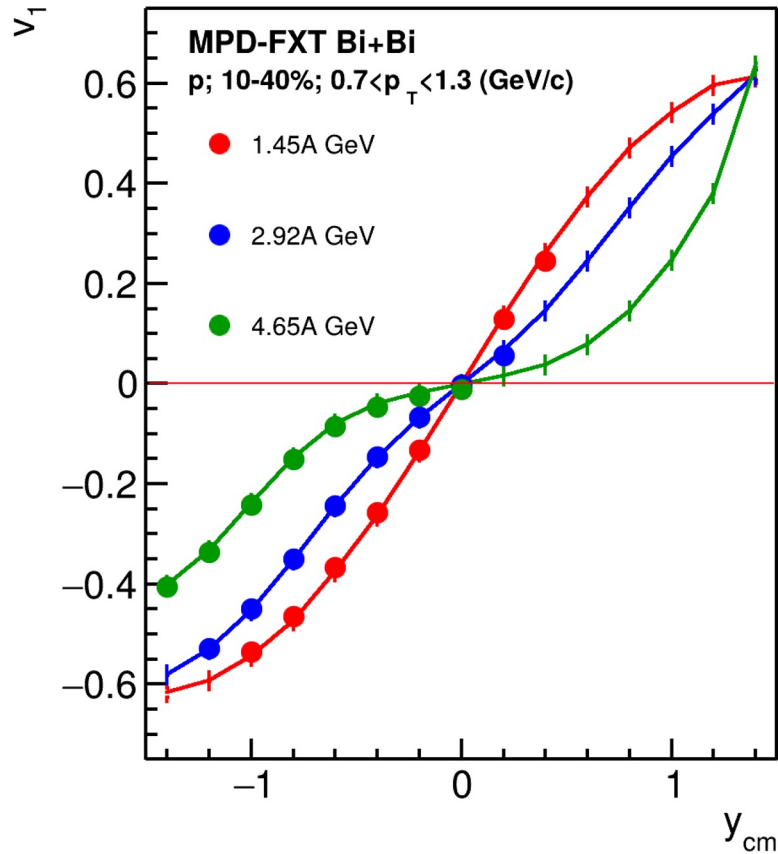
# Anisotropic flow of V0 particles



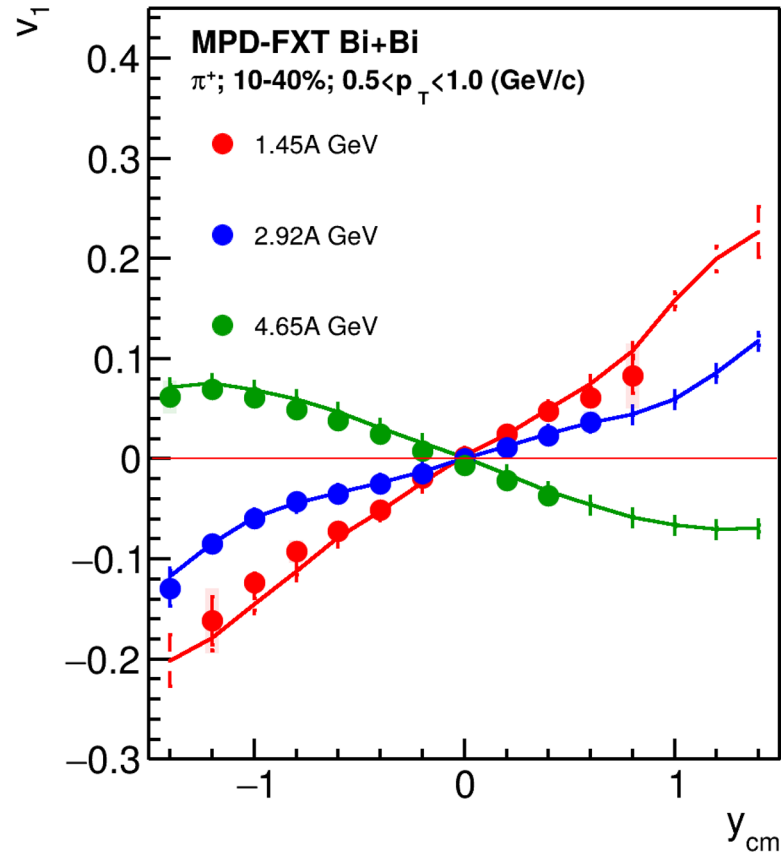
Good performance for  $v_1$ ,  $v_2$  using invariant mass fit and event plane methods

# Anisotropic flow in MPD-FXT: $v_1(y)$

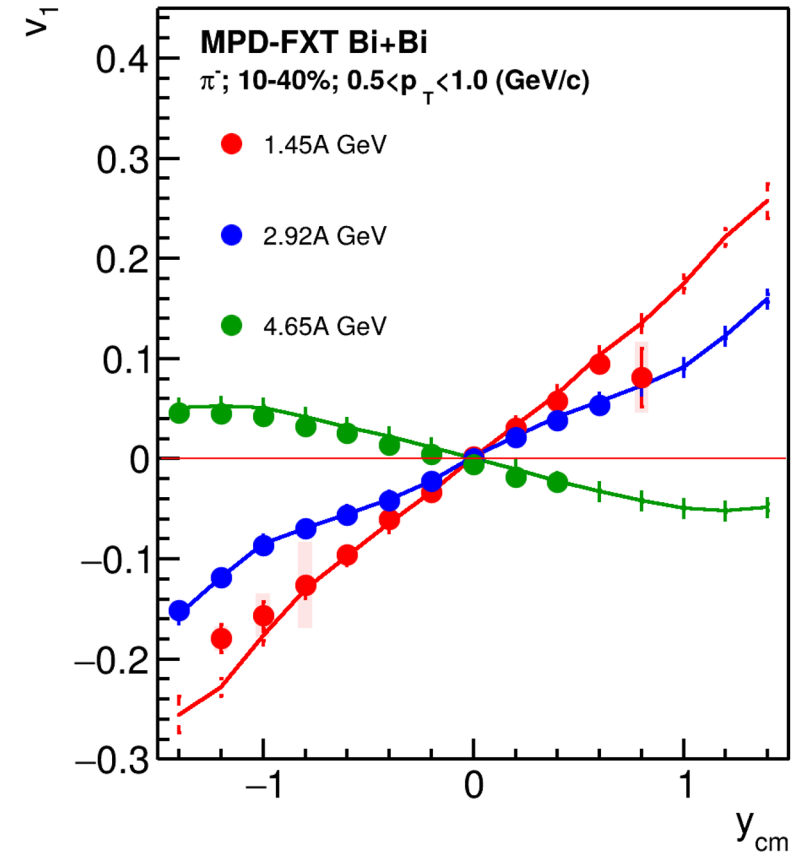
p



$\pi^+$



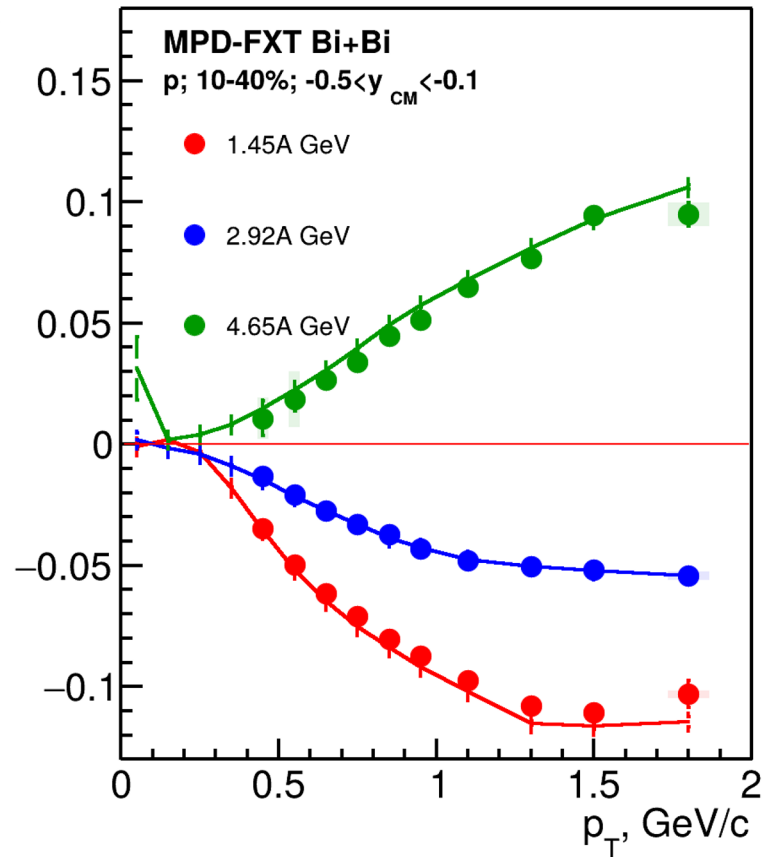
$\pi^-$



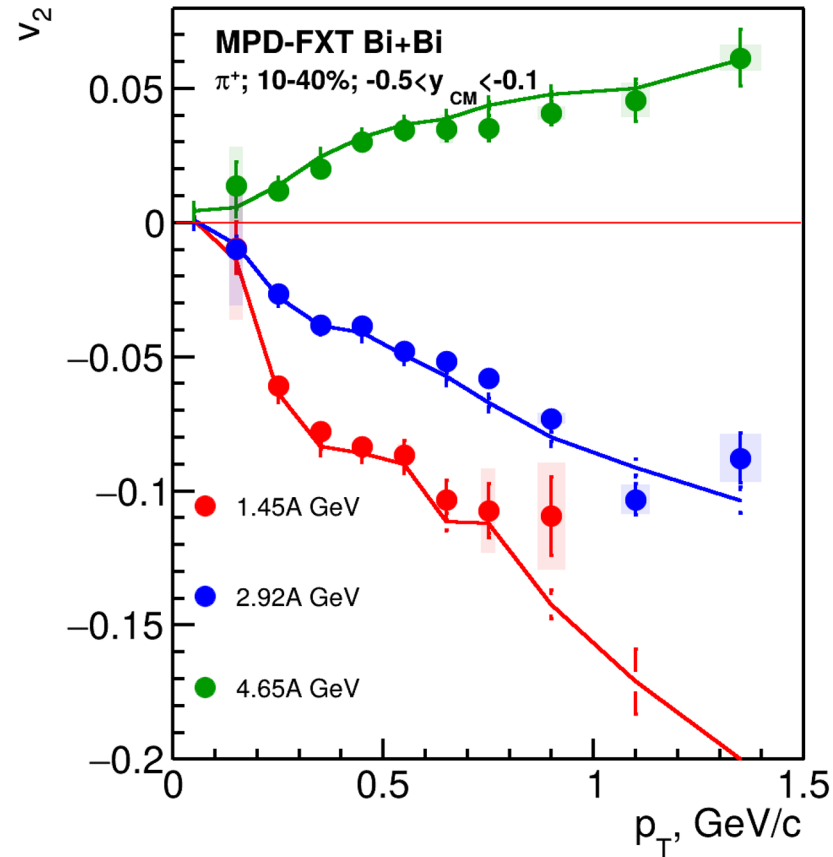
Good agreement with MC data

# Anisotropic flow in MPD-FXT: $v_2(p_T)$

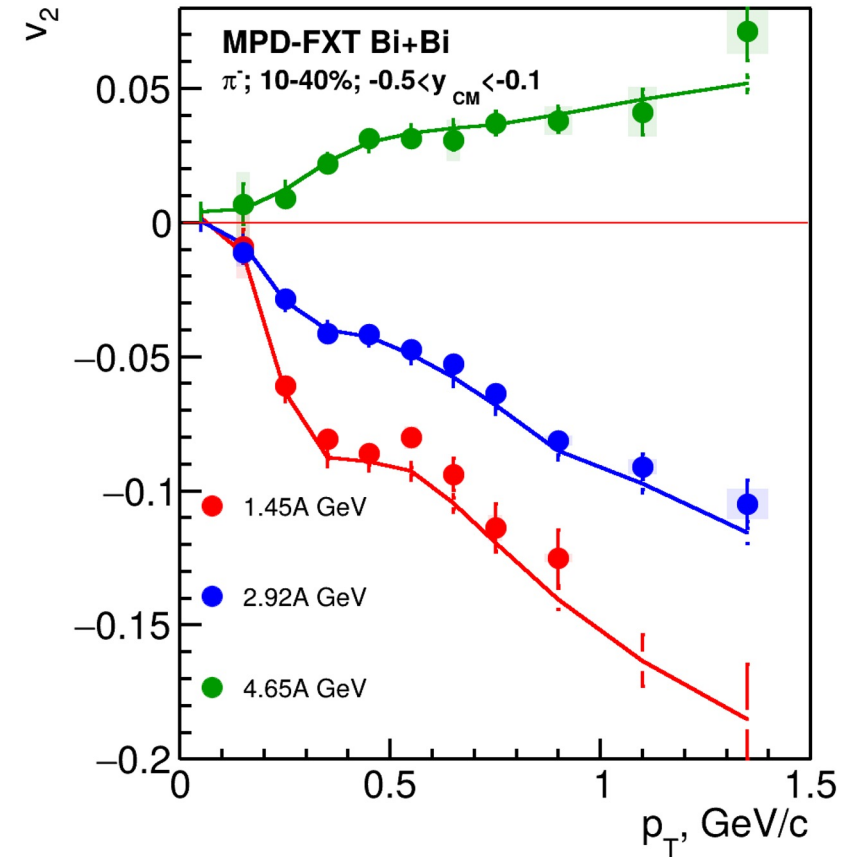
p



$\pi^+$



$\pi^-$

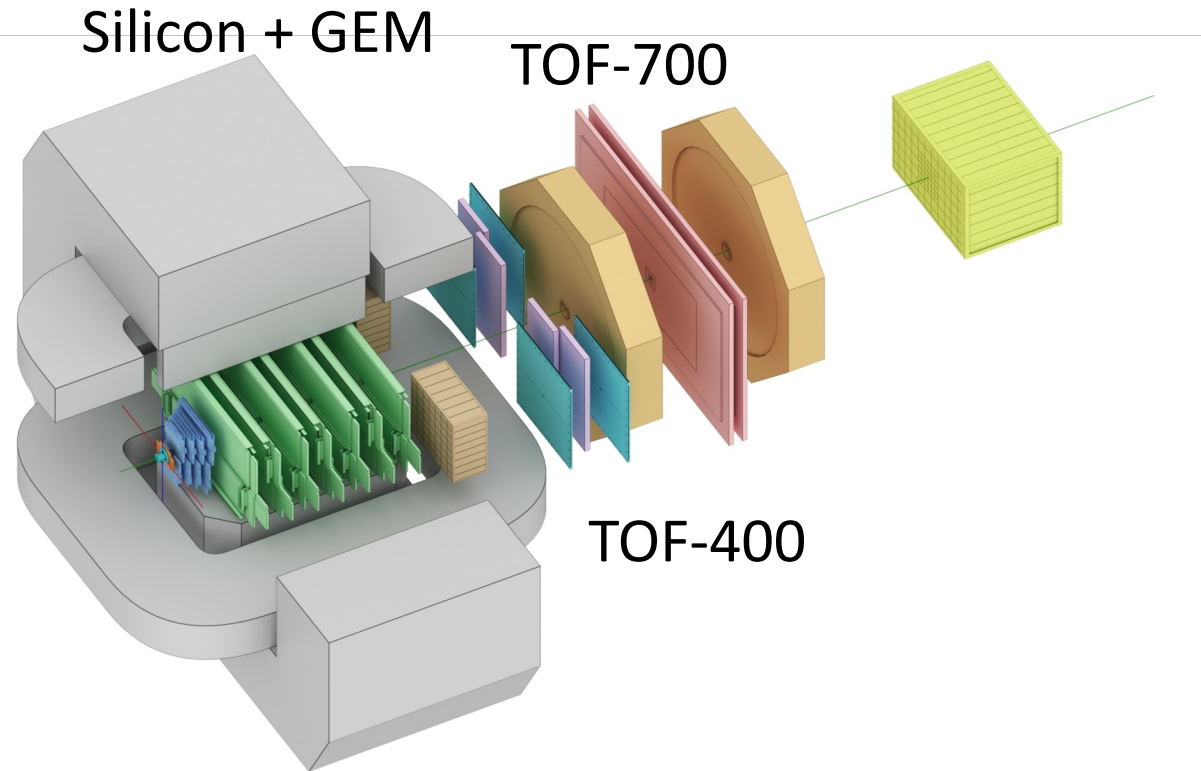


Good agreement with MC data

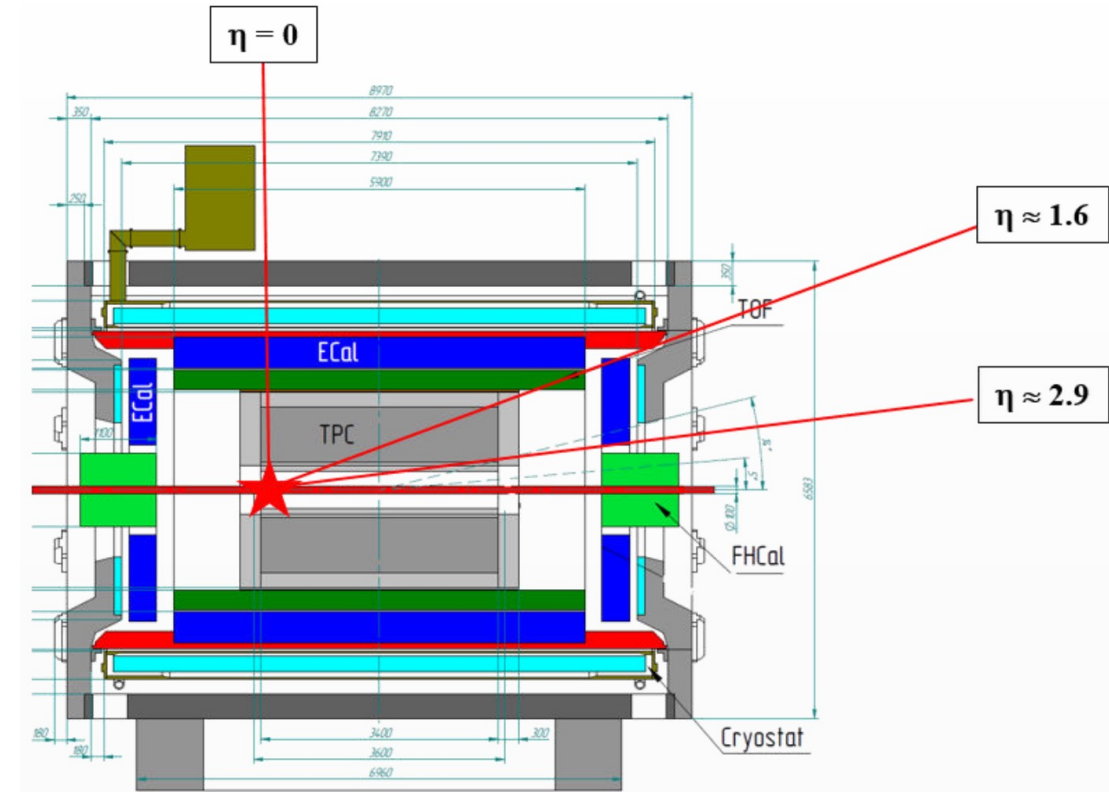


# The BM@N and MPD-FXT experiments

## BM@N



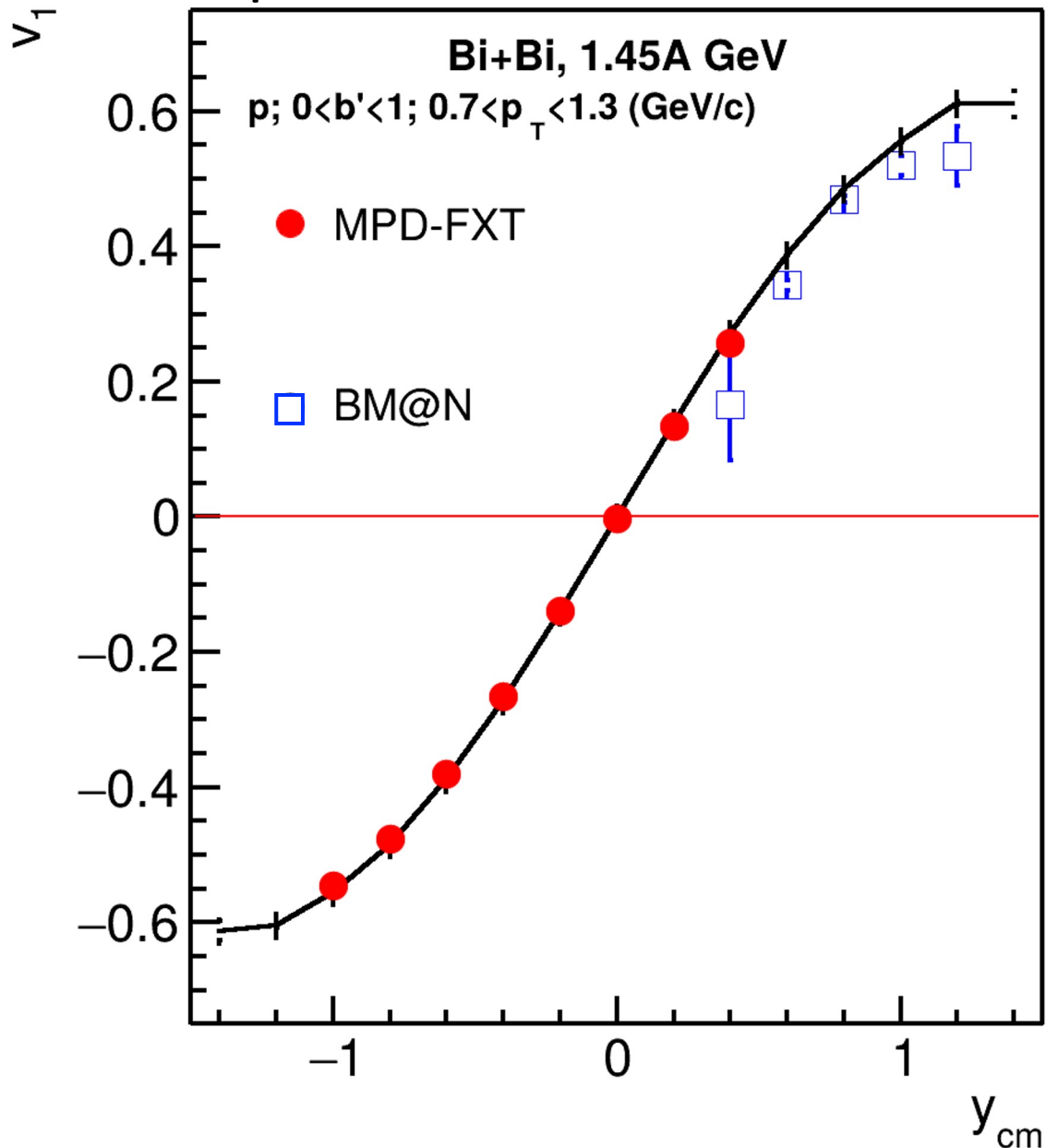
## MPD-FXT



## Detectors used for anisotropic flow measurements:

- **Tracking system:** FSD+GEM (BM@N); TPC (MPD-FXT)
- **PID:** TOF-400, TOF-700 (BM@N); TPC, TOF (MPD-FXT)
- **EP measurements:** FHCaI (BM@N), FHCaI (MPD-FXT)

# Comparison with BM@N performance



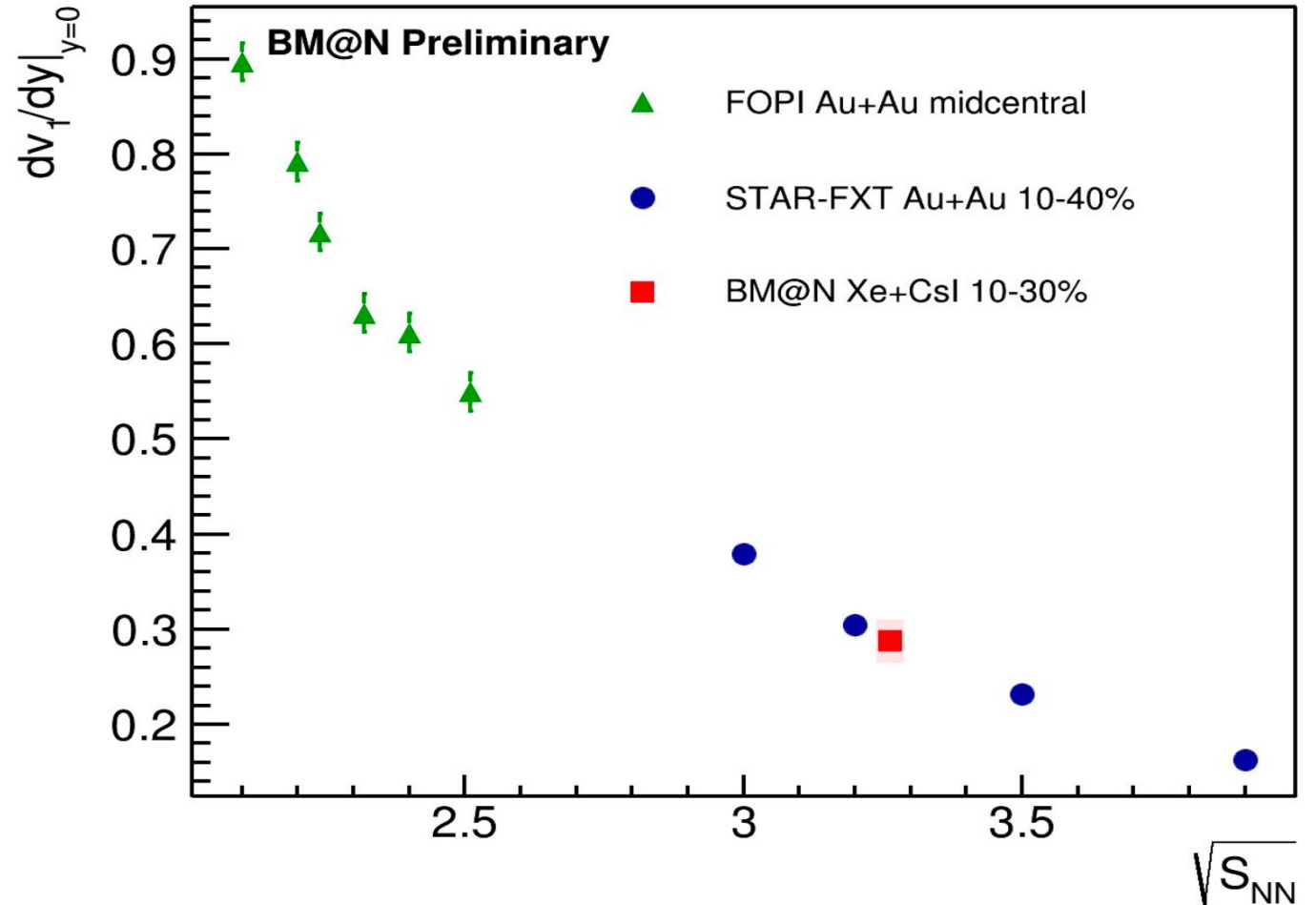
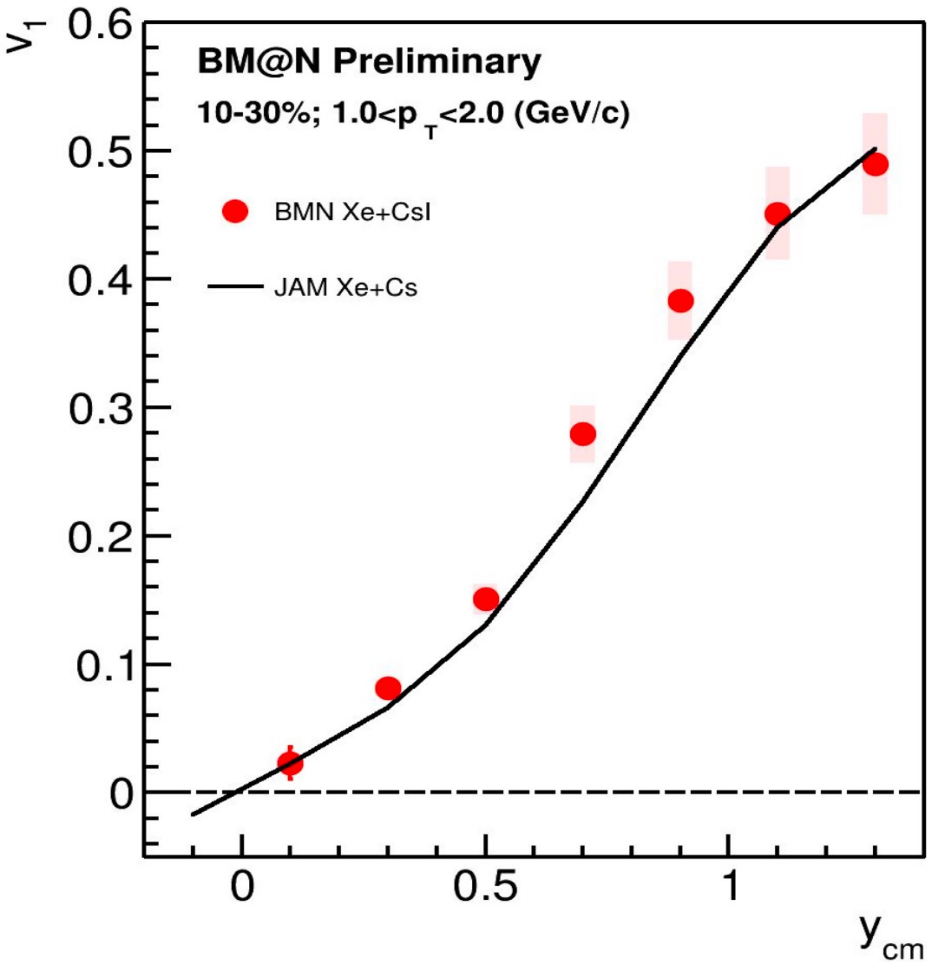
BM@N TOF system (TOF-400 and TOF-700) has poor midrapidity coverage at  $\sqrt{s_{NN}} = 2.5$  GeV

- One needs to check higher energies ( $\sqrt{s_{NN}} = 3, 3.5$  GeV)
- More statistics are required due to the effects of magnetic field in BM@N:
  - Only “yy” component of  $\langle uQ \rangle$  and  $\langle QQ \rangle$  correlation can be used

**Despite the challenges, both MPD-FXT and BM@N can be used in  $v_n$  measurements:**

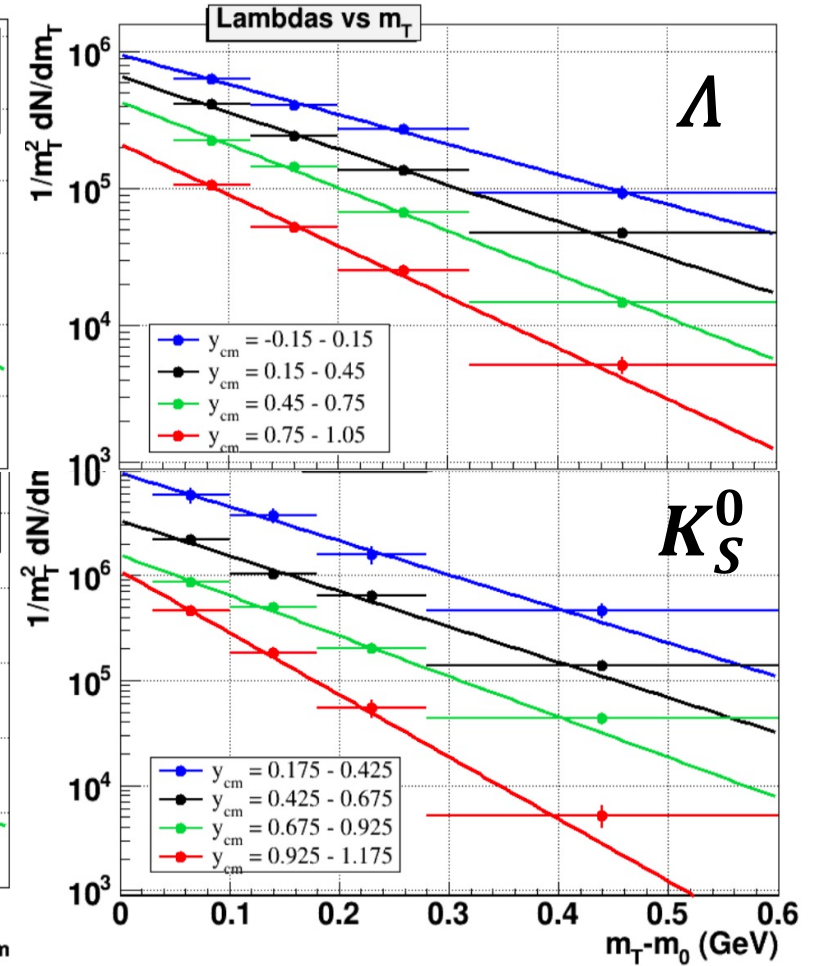
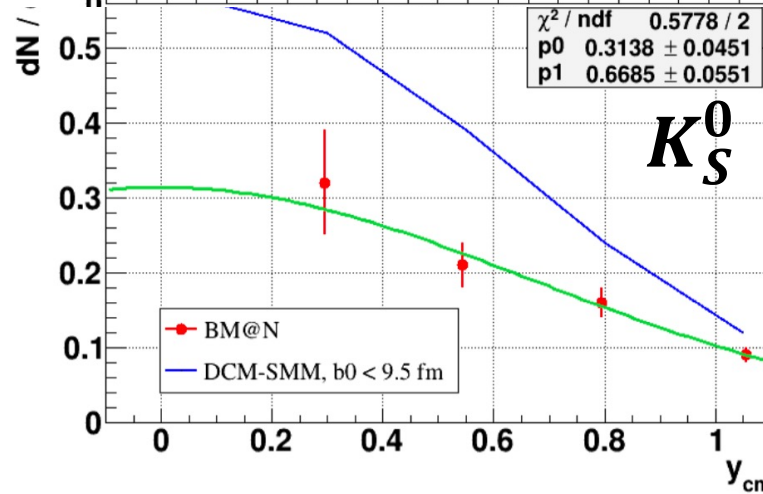
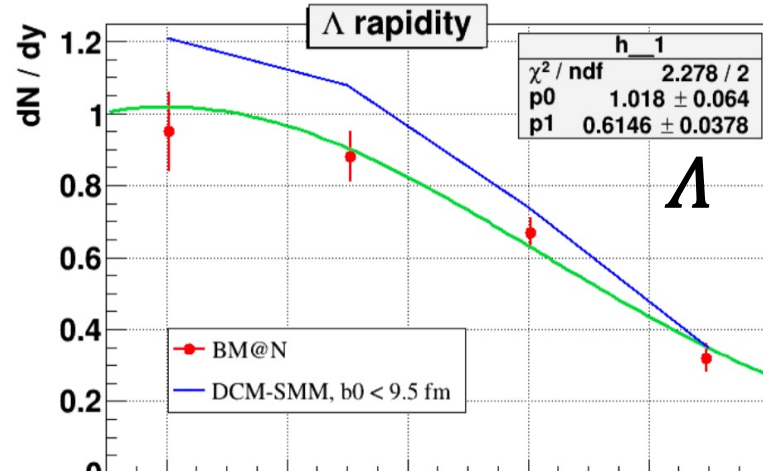
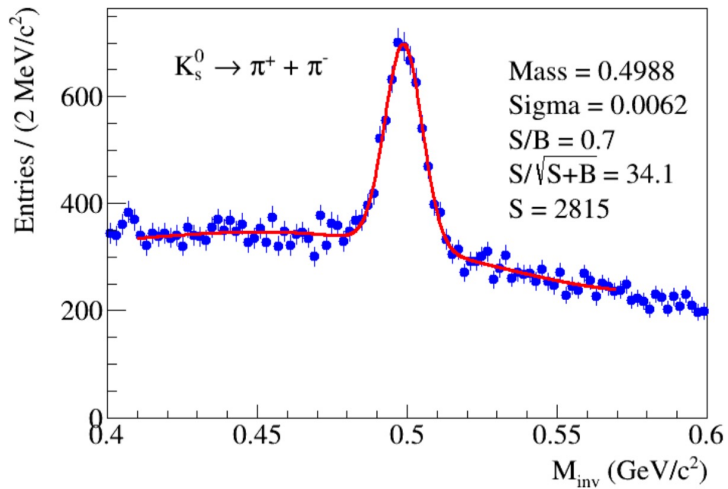
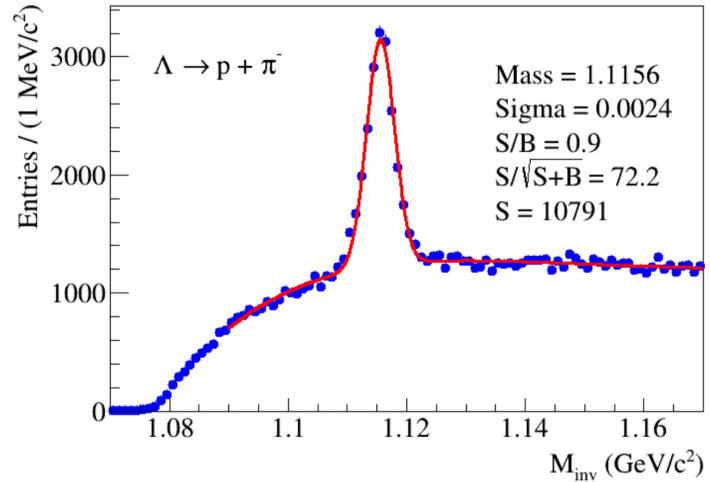
- To widen rapidity coverage
- To perform a cross-check in the future

# First results from the Xe run at BM@N



- All analysis techniques and required corrections were tested with the BM@N experimental data
- JAM model with hard momentum-dependent EOS describes  $v_1(y)$  dependence of protons reasonably well
- $dv_1/dy|_{y=0}$  from BM@N is in a good agreement with the world data

# First results from the Xe run at BM@N



Procedure for  $\Lambda$  and  $K_S^0$  measurements is implemented and tested – first results are ready  
**Next:** analysis on the full statistics from the Xe run, anisotropic flow and global polarisation

# Summary

**Thank you for your attention!**



- MPD collaboration is steadily coming to final integration of the detector and first data taking on the beams from NICA
- Physics program for the first years of MPD data taking is formulated and the first physics paper was published. Second paper under preparation.
- First operations of the MPD detector are expected at the end of 2025
- MPD will provide a unique opportunity for investigating properties of nuclear matter at maximal densities to map the QCD phase diagram, to search for phase transition and the Critical End Point

# Backup

# Collaboration activity

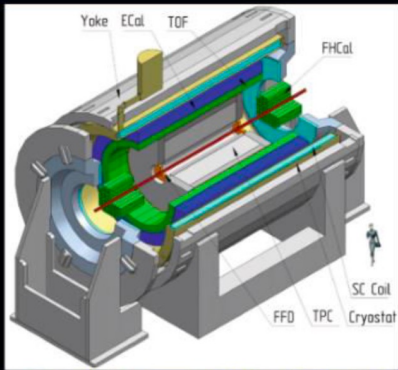
The European Physical Journal

volume 58 · number 7 · july · 2022

# EPJ A

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## Hadrons and Nuclei



Schematic 3D-view of the MPD (Multipurpose Detector) subsystems in the first stage of operation at NICA. The yoke of the magnet, the Electromagnetic, the Forward Hadronic Calorimeters, the Fast Forward Detector and Time Projection Chamber are indicated.

From V. Abgaryan et al. [The MPD Collaboration], Status and initial physics performance studies of the MPD experiment at NICA



Springer

Eur. Phys. J. A manuscript No.  
(will be inserted by the editor)

## Status and initial physics performance studies of the MPD experiment at NICA

The MPD Collaboration<sup>1</sup>

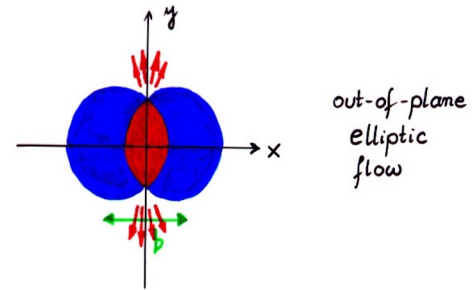
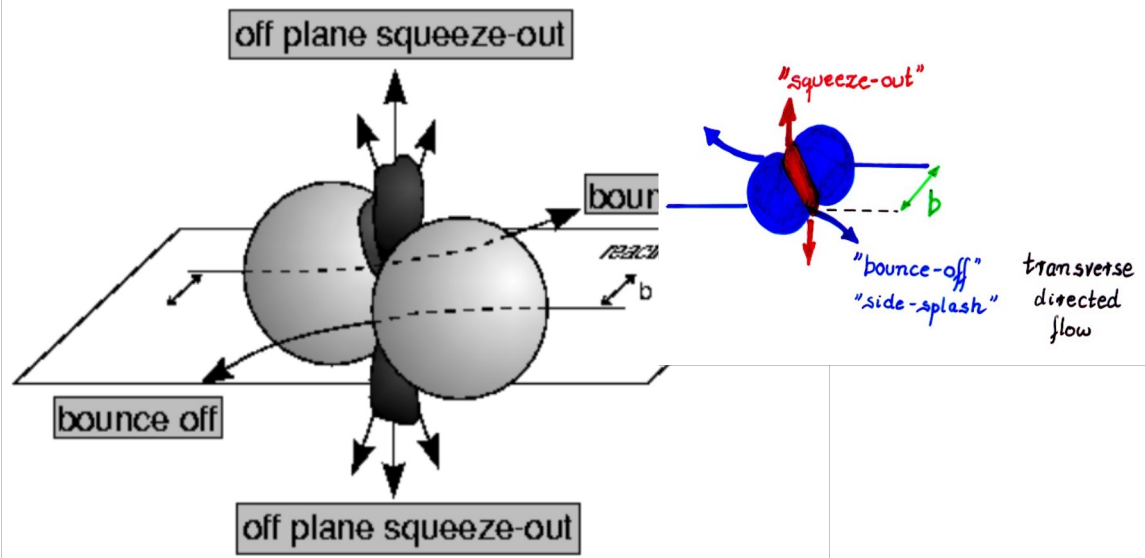
<sup>1</sup>The full list of Collaboration Members is provided at the end of the manuscript

Received: April 20, 2022/ Accepted: date

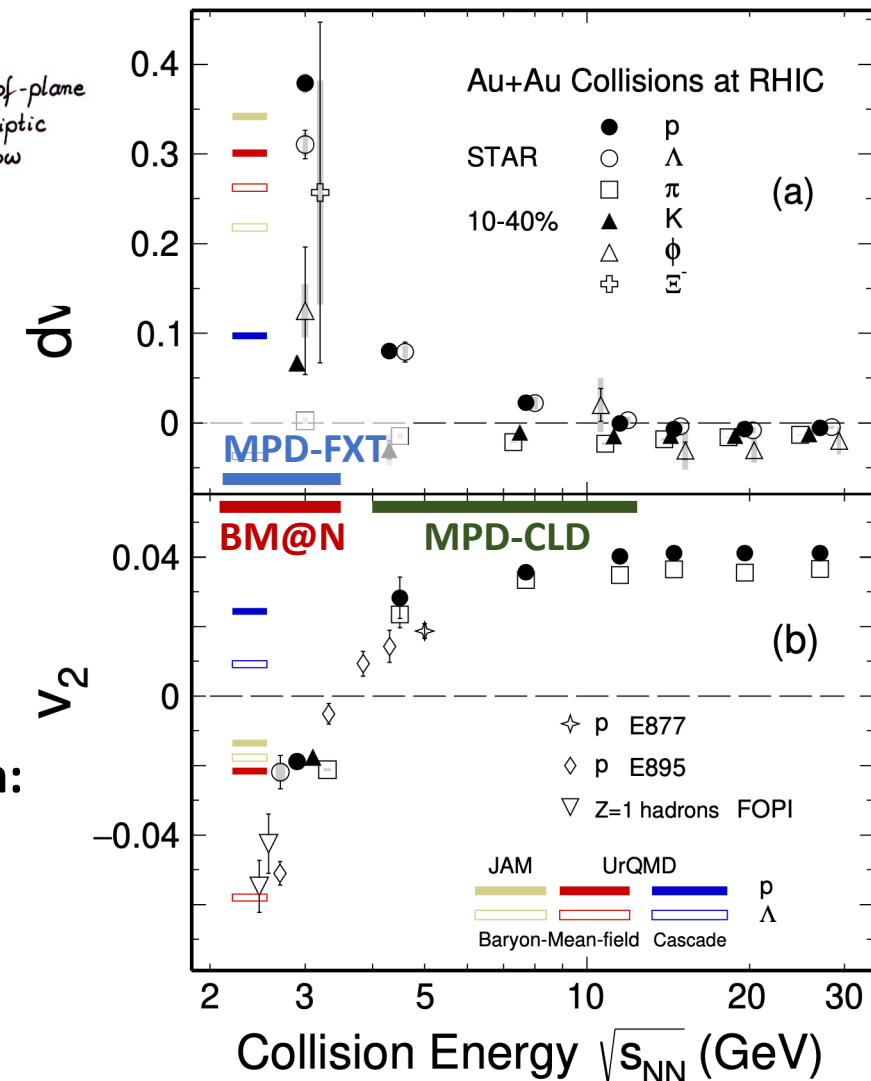
1	Abstract	1	5.7.1 The Inner Tracking System	22
2	NICA is under construction at the Joint Institute for Nuclear Research (JINR), with commissioning of the facility expected in late 2022. The Multi-Purpose Detector (MPD) has been designed to operate at NICA and its components are currently in production. The detector is expected to be ready for data taking with the first beams from NICA. This document provides an overview of the landscape of the investigation of the QCD phase diagram in the region of maximum baryonic density, where NICA and MPD will be able to provide significant and unique input. It also provides a detailed description of the MPD set-up, including its various subsystems as well as its support and computing infrastructures. Selected performance studies for particular physics measurements at MPD are presented and discussed in the context of existing data and theoretical expectations.	27	5.7.2 The miniEMC Detector	23
3	Keywords	27	5.7.3 The Cosmic Ray Detector	23
4	NICA · MPD · QCD	27	5.8 Infrastructure and support systems	24
5	Contents	27	5.8.1 MPD Hall	25
6	1 Introduction	27	5.8.2 Mechanical integration and support structure	25
7	1.1 The Multi-Purpose Detector (MPD)	27	5.8.3 Support systems	25
8	1.2 The NICA facility	27	5.9 Electronics	26
9	1.3 The MPD experiment	27	5.9.1 Slow Control System	26
10	1.4 The MPD physics goals	27	5.9.2 Data Acquisition	26
11	1.5 The MPD apparatus	27	6 Software development and computing resources for the MPD experiment	27
12	1.6 The MPD physics goals	27	6.1 Software	27
13	1.7 The MPD physics goals	27	6.2 Computing	27
14	1.8 The MPD physics goals	27	6.3 Preparation for data taking	28
15	1.9 The MPD physics goals	27	7 Examples of physics instability studies	28
16	1.10 The MPD physics goals	27	7.1 Centrality determination	29
17	1.11 The MPD physics goals	27	7.2 Bulk properties: hadron spectra, yields and ratios	31
18	1.12 The MPD physics goals	27	7.3 Hyperon reconstruction	33
19	1.13 The MPD physics goals	27	7.3.1 A, Λ and Ξ reconstruction	33
20	1.14 The MPD physics goals	27	7.3.2 Ξ and Ξ <sup>0</sup> reconstruction	33
21	1.15 The MPD physics goals	27	7.4 Reconstruction of resonances	35
22	1.16 The MPD physics goals	27	7.5 Electromagnetic probes	37
23	1.17 The MPD physics goals	27	7.6 Anisotropic Flow	40
24	1.18 The MPD physics goals	27	7.7 Event-by-event neutron and neutron studies	42
25	1.19 The MPD physics goals	27	8 Conclusions	43
26	1.20 The MPD physics goals	27	Acronyms	50

- First collaboration paper recently published EPJA (~ 50 pages): Eur.Phys.J.A 58 (2022) 7, 140
- Over 200 publications in total for hardware, software and physics studies
- Reports at all major conferences in the field
- Second collaboration paper is in progress

# Anisotropic flow at Nuclotron-NICA energies



STAR, Phys.Lett.B 827 (2022) 137003



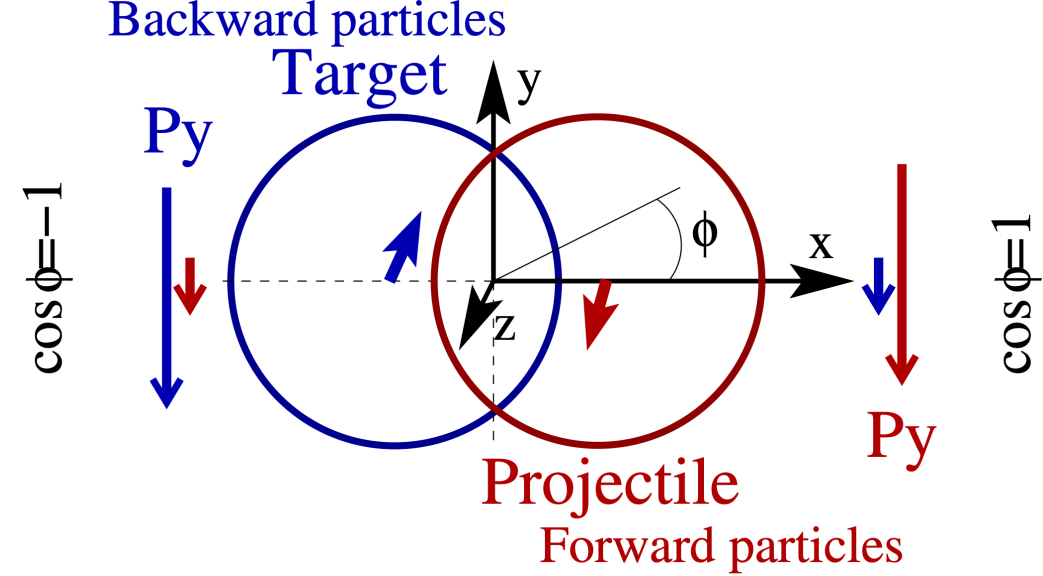
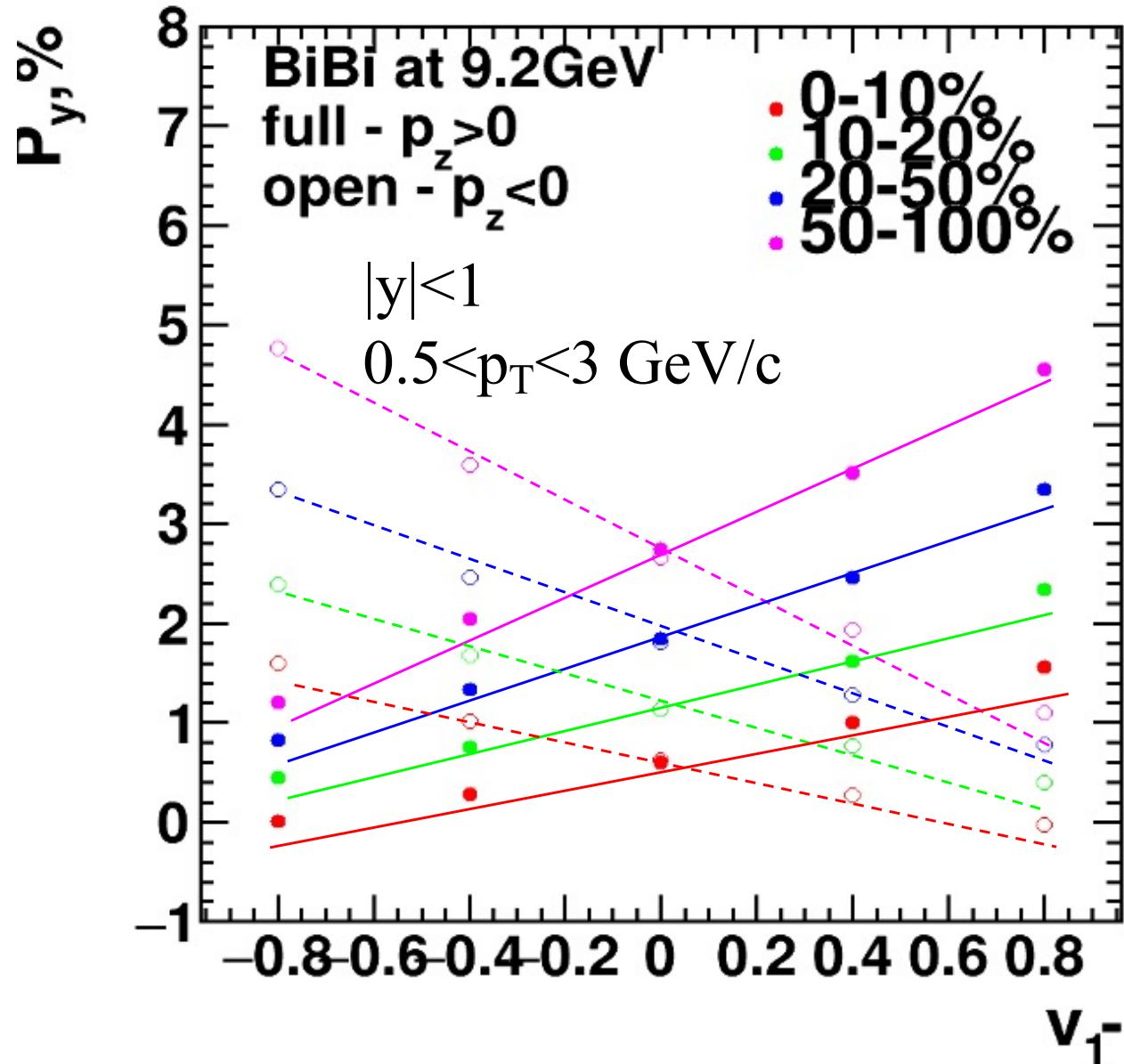
Strong energy dependence of  $dv_1/dy$  and  $v_2$  at  $\sqrt{s_{NN}}=2-11$  GeV

Anisotropic flow at Nuclotron-NICA energies is a delicate balance between:

- I. The ability of pressure developed early in the reaction zone ( $t_{exp} = R/c_s$ )
- II. The passage time for removal of the shadowing by spectators ( $t_{pass} = 2R/\gamma_{CM}\beta_{CM}$ )



# Correlation between $P_y$ and $v_1$



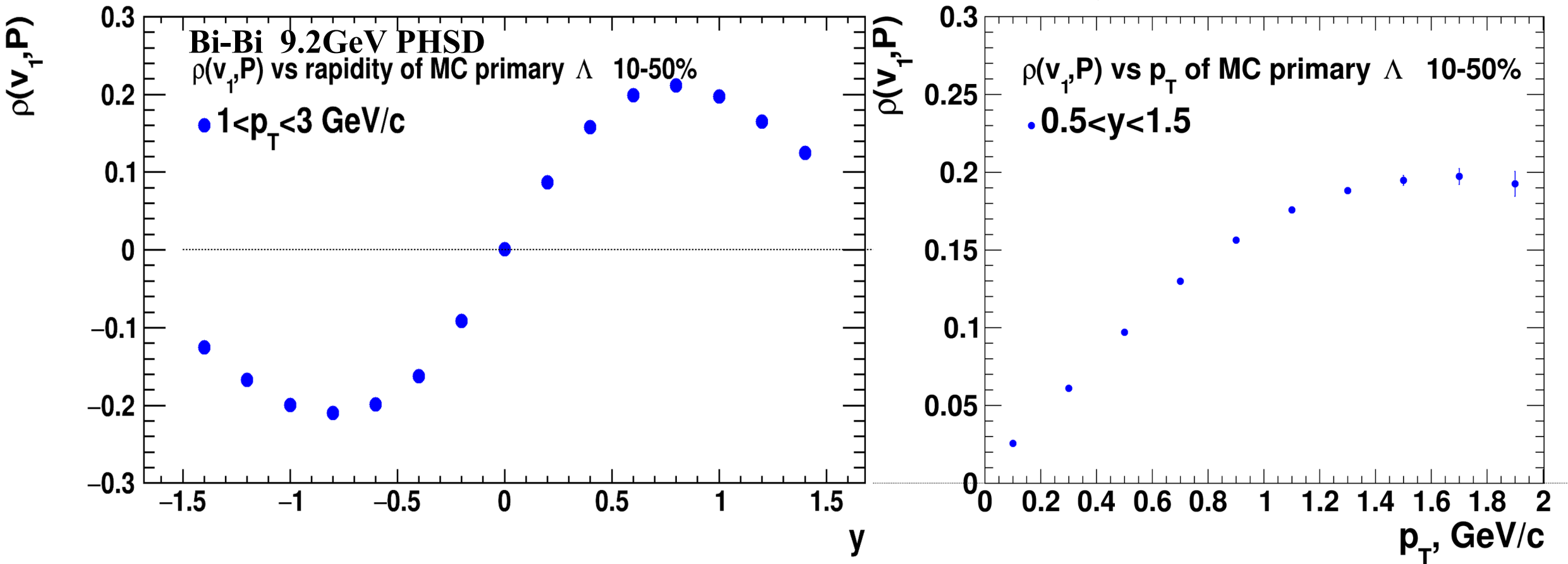
- $P_y$  vs  $v_1$  are correlated with reaction plane  $\rightarrow P_y$  vs  $v_1$  are correlated with each other
- Pearson correlation coefficient represent linear correlation between two sets of data from -1 to 1

$$\rho(X, Y) = \frac{Cov(X, Y)}{\sqrt{Var(X)Var(Y)}}$$

$$Cov(X, Y) = \langle XY \rangle - \langle X \rangle \langle Y \rangle$$

$$Var(X) = \sqrt{\langle X^2 \rangle - \langle X \rangle^2}$$

# Pearson correlation coefficient between $P_y$ and $v_1$

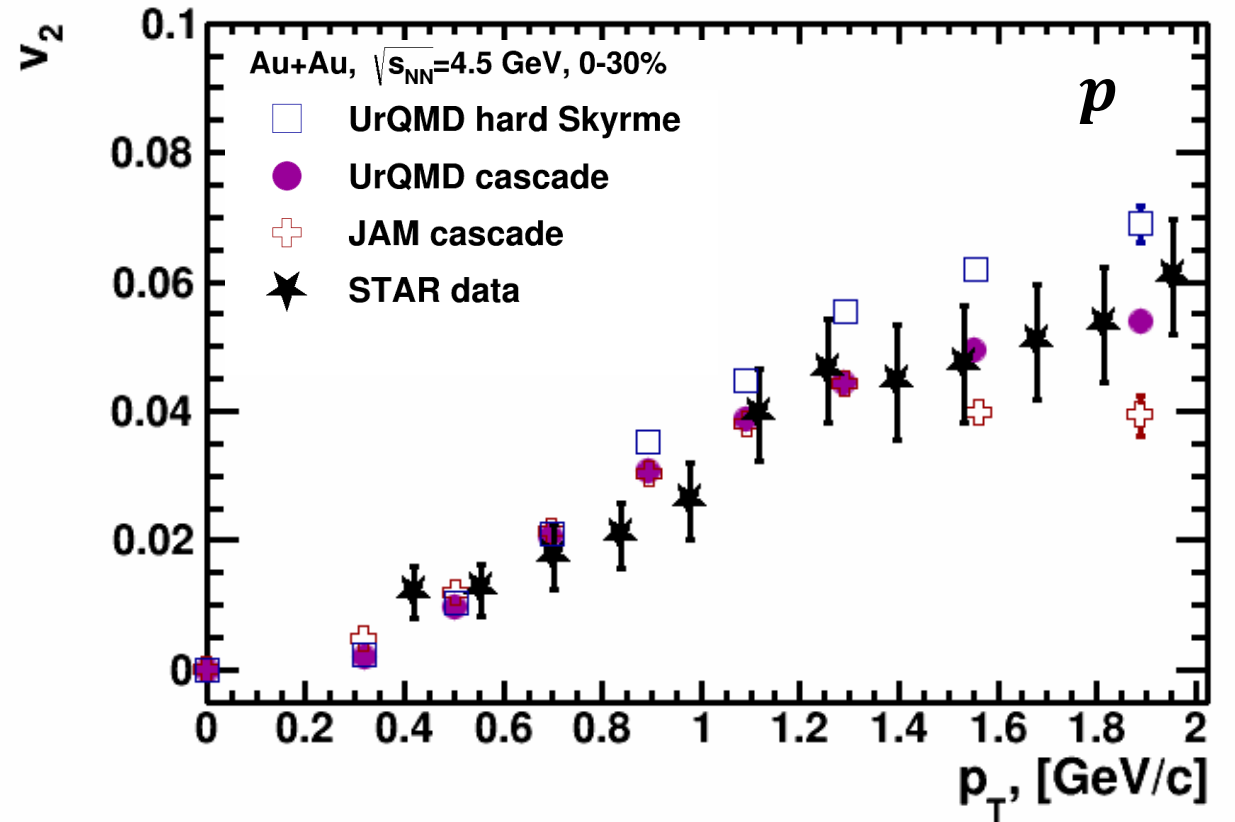
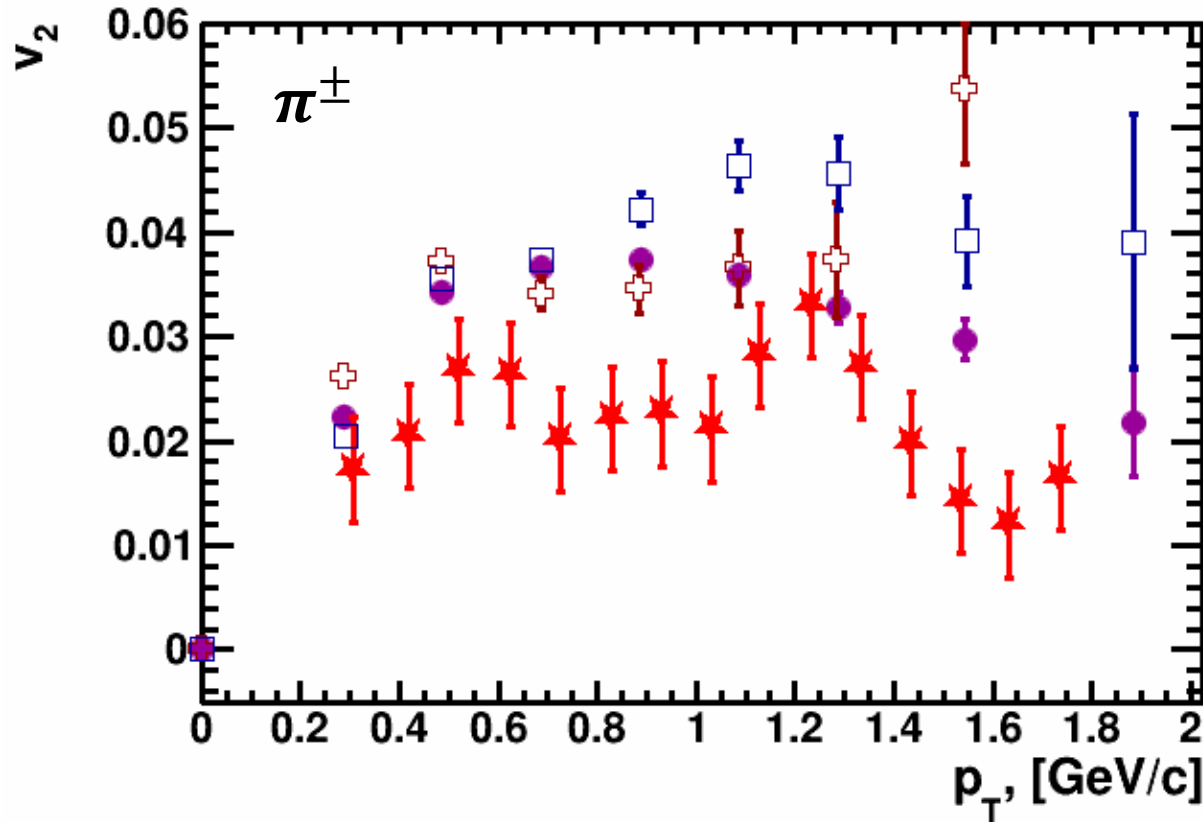


$$\rho(P, v_1) = \frac{\langle P v_1 \rangle - \langle P \rangle \langle v_1 \rangle}{(\sqrt{\langle v_1^2 \rangle - \langle v_1 \rangle^2})(\sqrt{\langle P^2 \rangle - \langle P \rangle^2})}$$

- Non-zero linear correlation between  $P_y$  and  $v_1$
- increasing with  $p_T$
- highest for  $0.5 < y < 1$

# Elliptic flow at NICA energies: Models vs. Data comparison

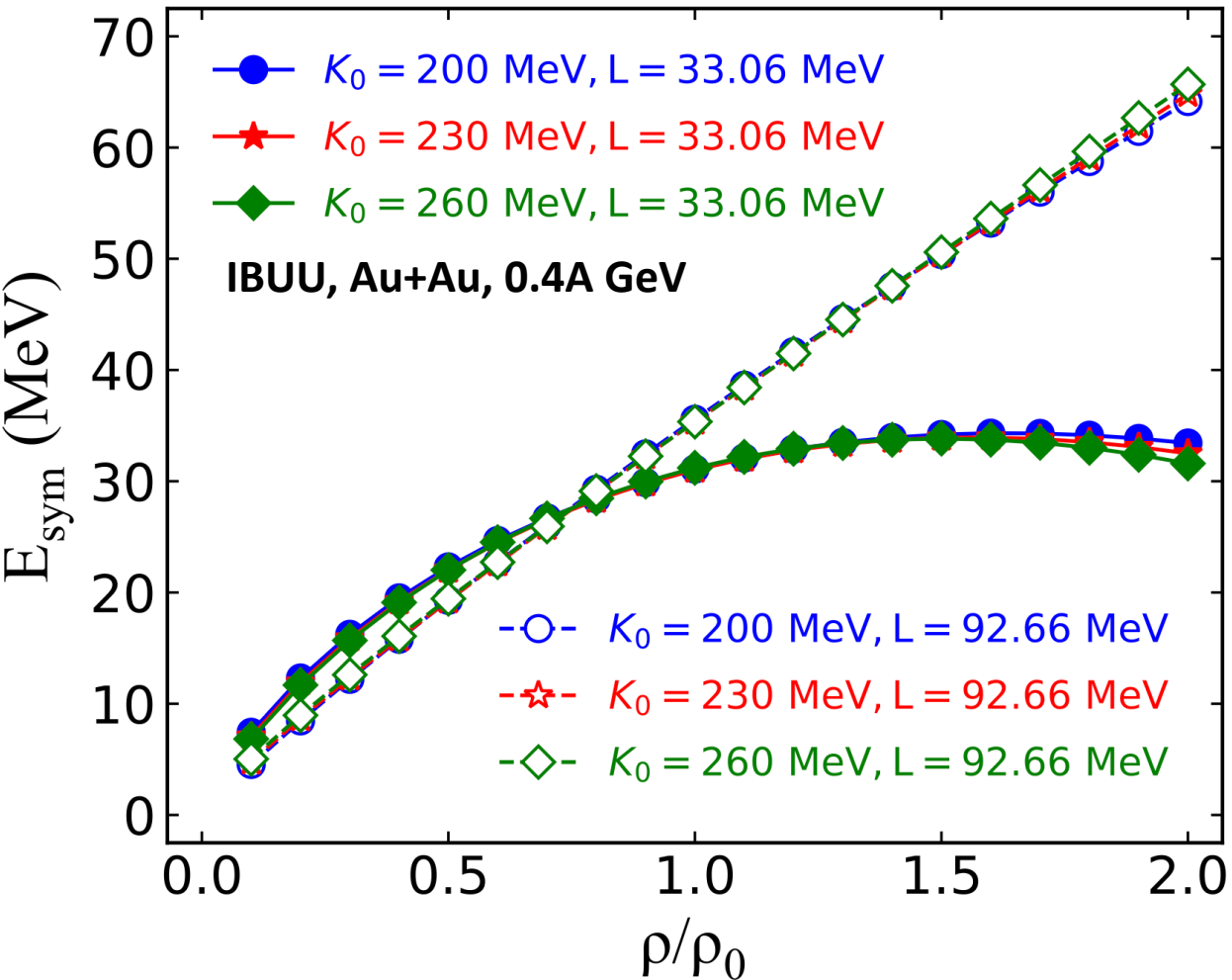
Experimental data is taken from: *Phys.Rev.C* 103 (2021) 3, 034908



Pure String/Hadronic Cascade models give similar  $v_2$  signal compared to STAR data for Au+Au  $\sqrt{s_{NN}}=4.5$  GeV

# Symmetry energy in high-density region

X.X. Long, G.F. Wei, arXiv:2402.12912 (2024)



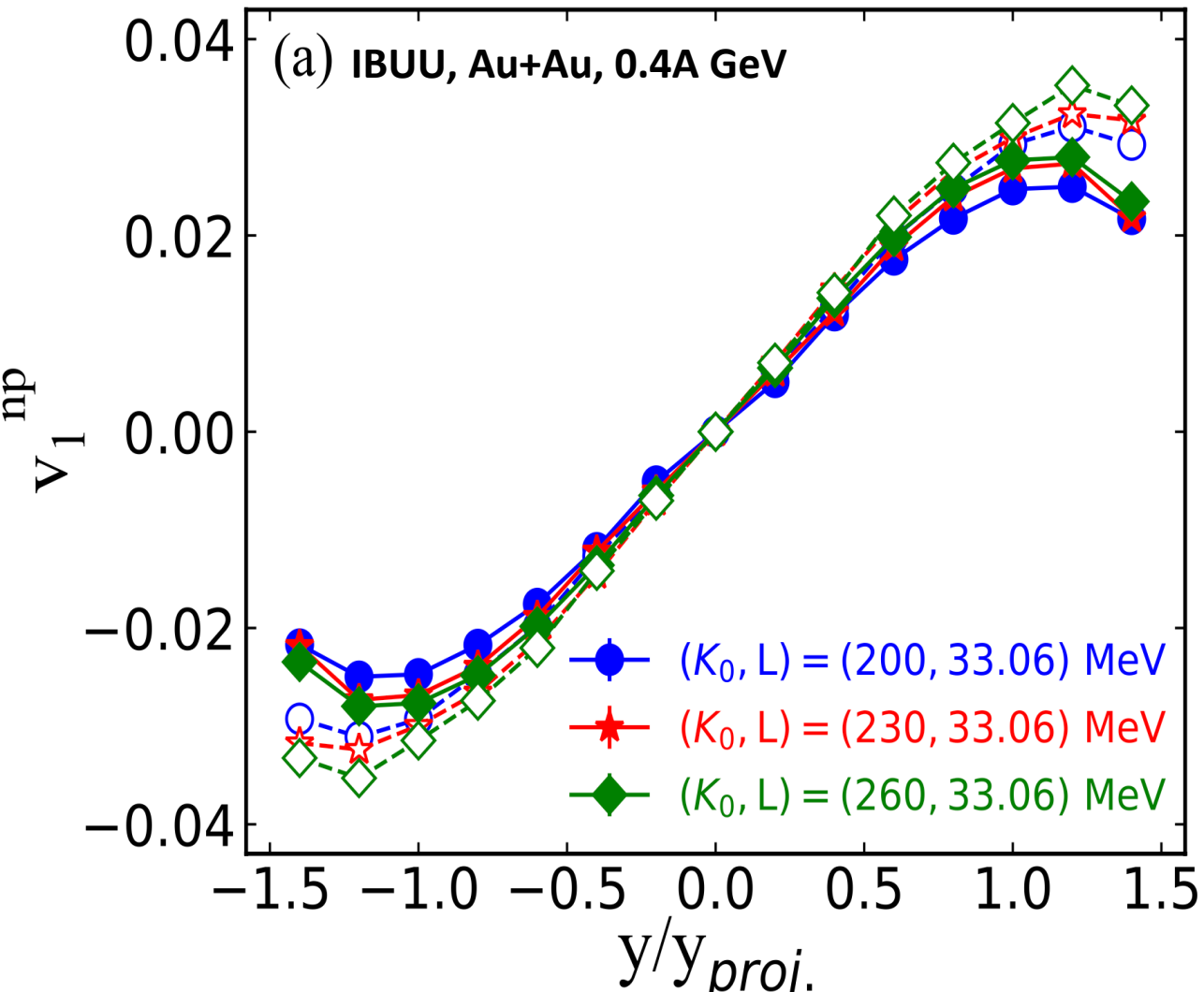
- Nuclotron-NICA density region:  
 $2 \lesssim n_B/n_0 \lesssim 8$
- Symmetry energy  $E_{sym}$  has strong density dependence and can be described with its slope  $L$ :

$$L = 3\rho \frac{dE_{sym}(\rho)}{d\rho}$$

**What observables can we use to extract information about  $L$ ?**

# Using $v_1^{np}$ to study $L$

X.X. Long, G.F. Wei, arXiv:2402.12912 (2024)



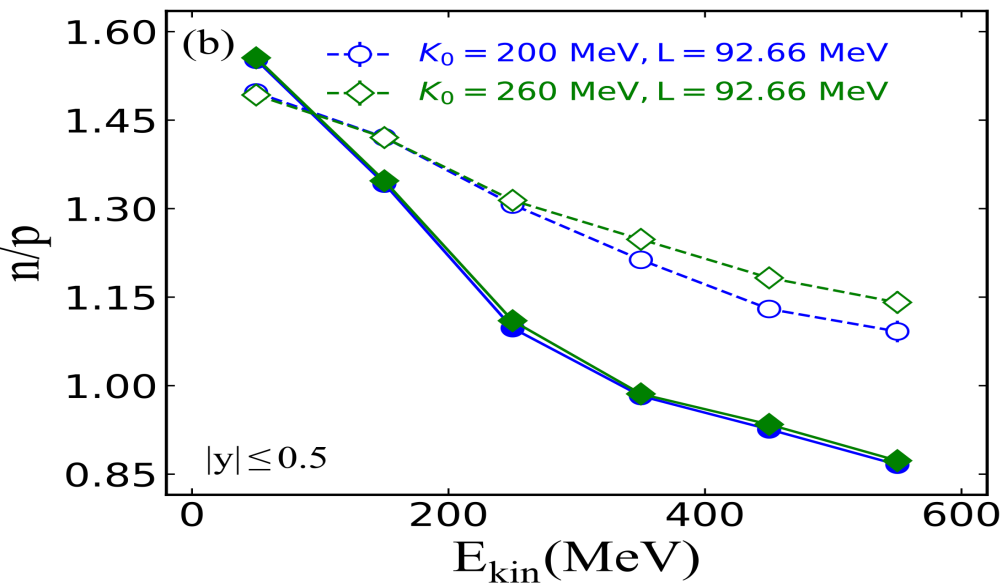
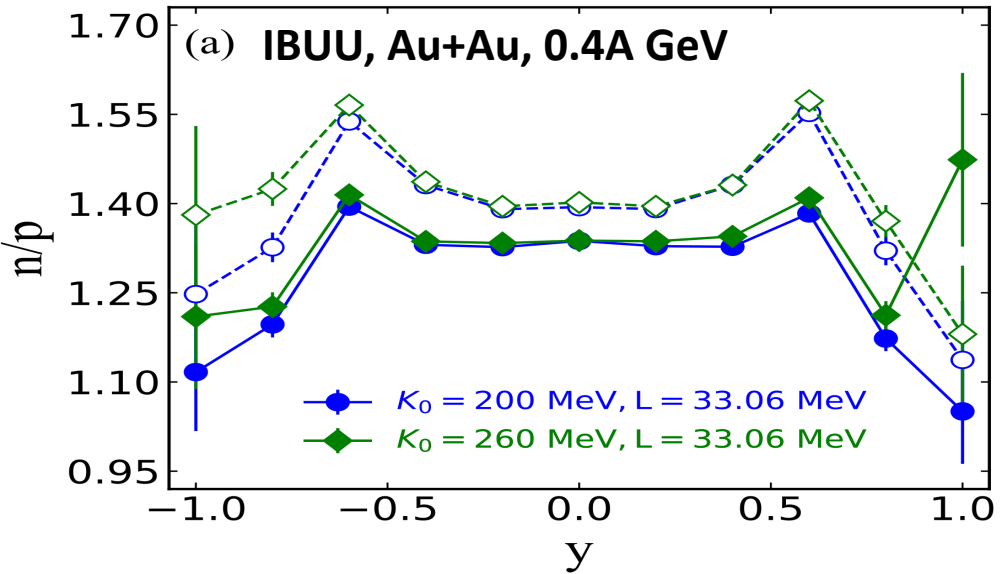
One can define free neutron-proton differential directed flow:

$$v_1^{np} = \frac{N_n(y)}{N(y)} \langle v_1^n(y) \rangle - \frac{N_p(y)}{N(y)} \langle v_1^p(y) \rangle$$

- $v_1^{np}$  sensitive to both  $K_0$  and  $L$  which may lead to ambiguous interpretation
  - More observables might be necessary for robust study of  $L$

# Using $dN/dy(n, p)$ , $dN/dE_{kin}(n, p)$ to study $L$

X.X. Long, G.F. Wei, arXiv:2402.12912 (2024)

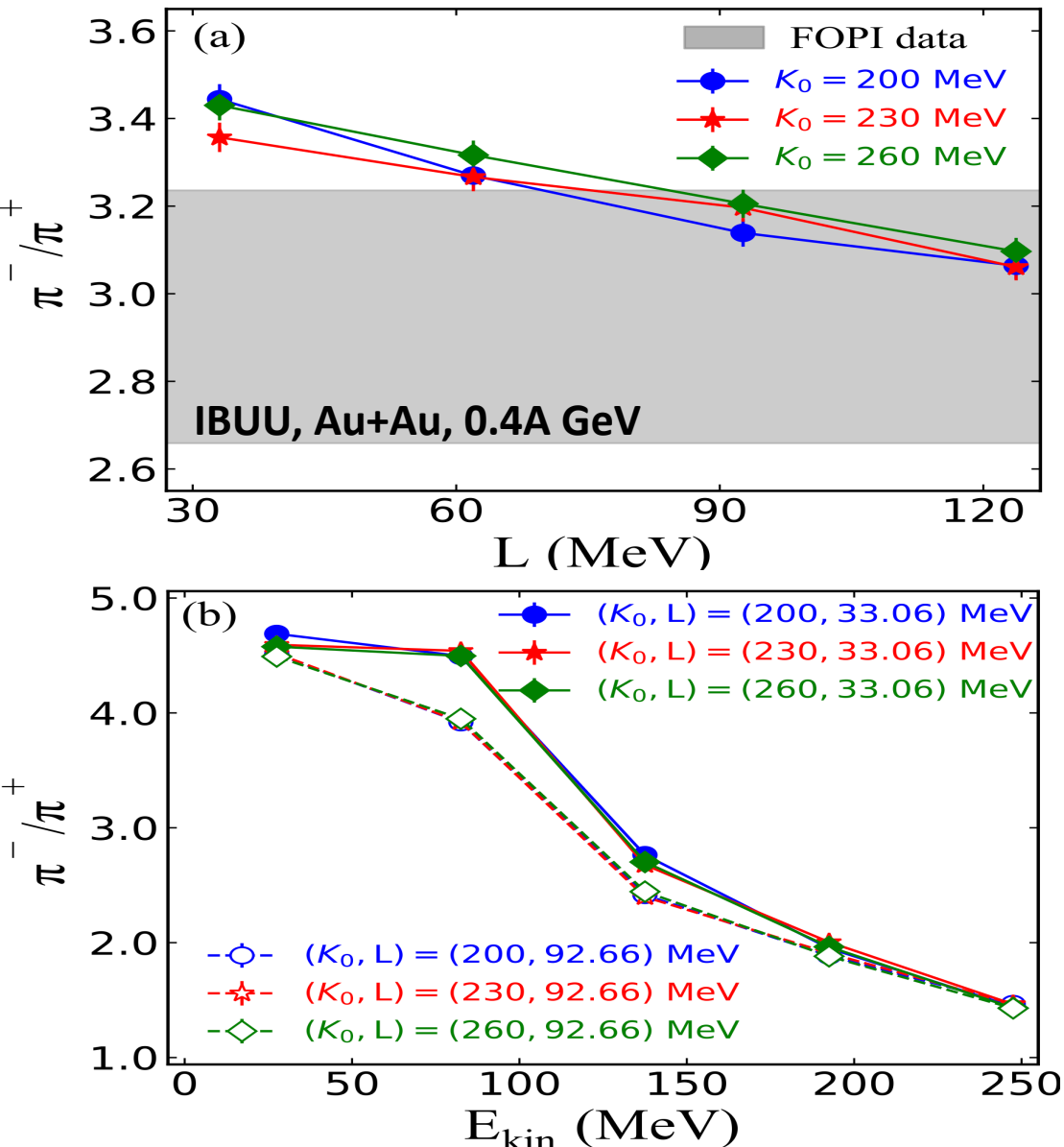


Rapidity and kinetic energy distributions of  $n/p$  ratios can be used to study  $L$

- $n/p$  ratios show strong dependence on  $L$  and significantly weaker dependence on  $K_0$
- $n/p$  ratios require less statistics than anisotropic flow measurements

# Using $dN/dE_{kin}(\pi^+, \pi^-)$ to study $L$

X.X. Long, G.F. Wei, arXiv:2402.12912 (2024)



Rapidity and kinetic energy distributions of  $\pi^-/\pi^+$  ratios can be used to study  $L$

- Noticeable dependence on  $L$  and almost no sensitivity to  $K_0$
- Requires less statistics than anisotropic flow measurements
- However, it might be a bit challenging to identify  $\pi^+$  using TOF-400, TOF-700 near midrapidity at Nuclotron energies

# MPD physics program

**G. Feofilov, P. Parfenov**

## **Global observables**

- Total event multiplicity
- Total event energy
- Centrality determination
- Total cross-section measurement
- Event plane measurement at all rapidities
- Spectator measurement

**V. Kolesnikov, Xianglei Zhu**

## **Spectra of light flavor and hypernuclei**

- Light flavor spectra
- Hyperons and hypernuclei
- Total particle yields and yield ratios
- Kinematic and chemical properties of the event
- Mapping QCD Phase Diag.

**K. Mikhailov, A. Taranenko**

## **Correlations and Fluctuations**

- Collective flow for hadrons
- Vorticity,  $\Lambda$  polarization
- E-by-E fluctuation of multiplicity, momentum and conserved quantities
- Femtoscopy
- Forward-Backward corr.
- Jet-like correlations

**D. Peresunko, Chi Yang**

## **Electromagnetic probes**

- Electromagnetic calorimeter meas.
- Photons in ECAL and central barrel
- Low mass dilepton spectra in-medium modification of resonances and intermediate mass region

**Wangmei Zha, A. Zinchenko**

## **Heavy flavor**

- Study of open charm production
- Charmonium with ECAL and central barrel
- Charmed meson through secondary vertices in ITS and HF electrons
- Explore production at charm threshold

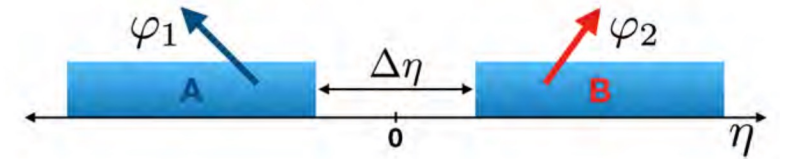


# Methods for $v_n$ measurements in MPD-CLD

- Sub-event 2-particle Q-cumulants  $v_2\{2\}$ :**

$\Delta\eta=0.1$  is applied between 2 sub-events A, B to suppress non-flow

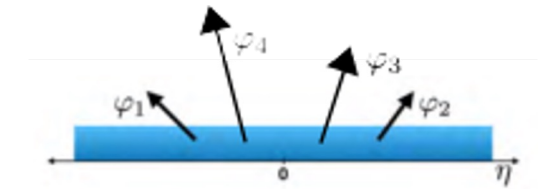
$$Q_n = \sum_{i=1}^M e^{in\phi} \quad \langle 2 \rangle_{a|b} = \frac{Q_{n_a} Q_{n_b}^*}{M_a M_b} \quad v_2\{2\} = \sqrt{\langle \langle 2 \rangle \rangle_{a|b}}$$



- 4-particle Q-cumulants  $v_2\{4\}$**

$$\langle 2 \rangle = \frac{|Q_n|^2 - M}{M(M-1)} \quad v_2\{4\} = \sqrt[4]{2 \langle \langle 2 \rangle \rangle^2 - \langle \langle 4 \rangle \rangle}$$

$$\langle 4 \rangle = \frac{|Q_n|^4 + |Q_{2n}|^2 - 2\Re[Q_{2n} Q_n^* Q_n^*] - 4(M-2)|Q_n|^2 - 2M(M-3)}{M(M-1)(M-2)(M-3)}$$



- Event plane method:  $\Delta\eta=0.1$**

$$Q_{n,x} = \sum_i w_i \cos(n\phi_i) \quad \Psi_n^{EP} = \frac{1}{n} \tan^{-1} \left( \frac{Q_{n,y}}{Q_{n,x}} \right)$$

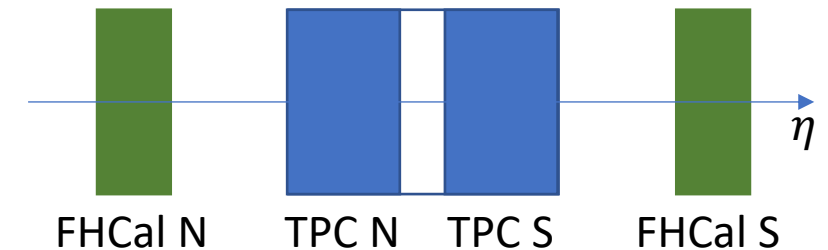
$$Q_{n,y} = \sum_i w_i \sin(n\phi_i)$$

$$v_n = \frac{\langle \cos[n(\phi - \Psi_n^{EP})] \rangle}{\sqrt{\langle \cos[n(\Psi_{n,a} - \Psi_{n,b})] \rangle}}$$

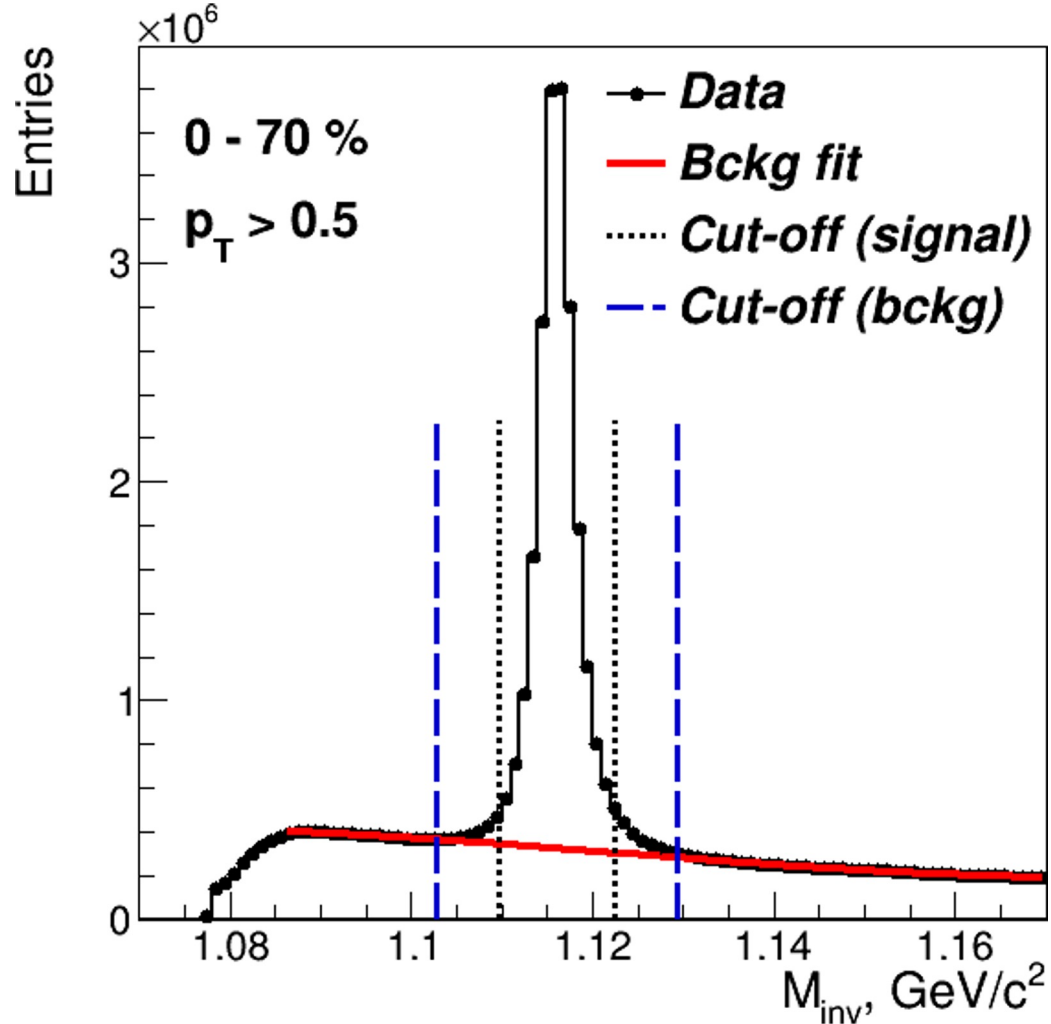
Here:  $w_i$  -  $p_{T,i}$  transverse momentum of the  $i$ -th track in the TPC

$\phi_i$  - azimuthal angle of the  $i$ -th track in the TPC

$\Psi_n$  - event plane angles

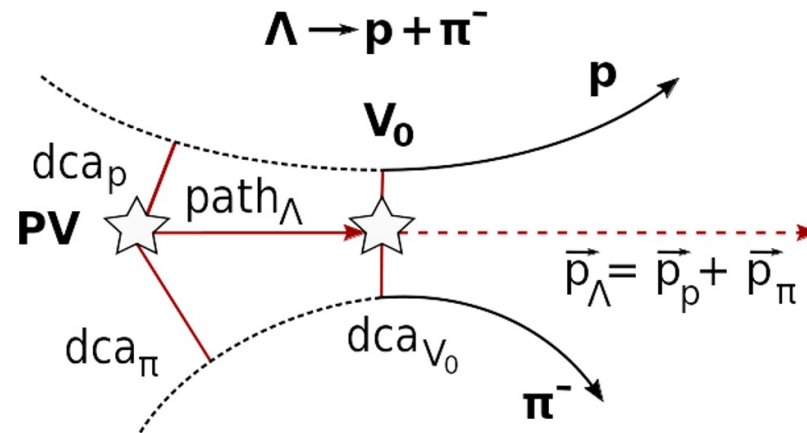


# $\Lambda$ selection in MpdRoot framework



Fitting procedure (sideband method):

- Global fit (Gauss + Legendre polynomials)
- Background fit in sidebands ( $\pm 7\sigma$ )
- Signal Cut-off:  $\langle M \rangle \pm 3\sigma$
- $\Lambda$  selection criteria:
  - $\langle \omega \rangle$ -selection (1 parameter)
  - $\langle \chi \rangle$ -selection (5 parameters)



$$\omega_2 = \ln \frac{\sqrt{\chi_\pi^2 \chi_p^2}}{\chi_\Lambda^2 + \chi_{V_0}^2}$$

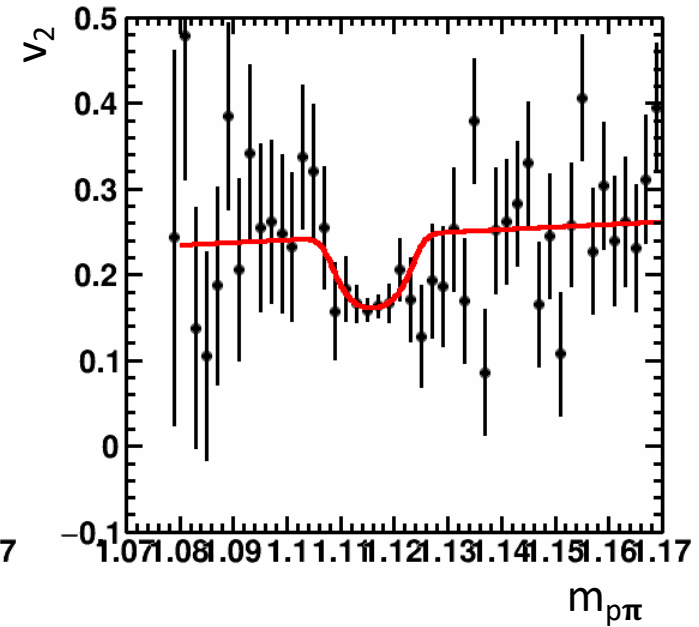
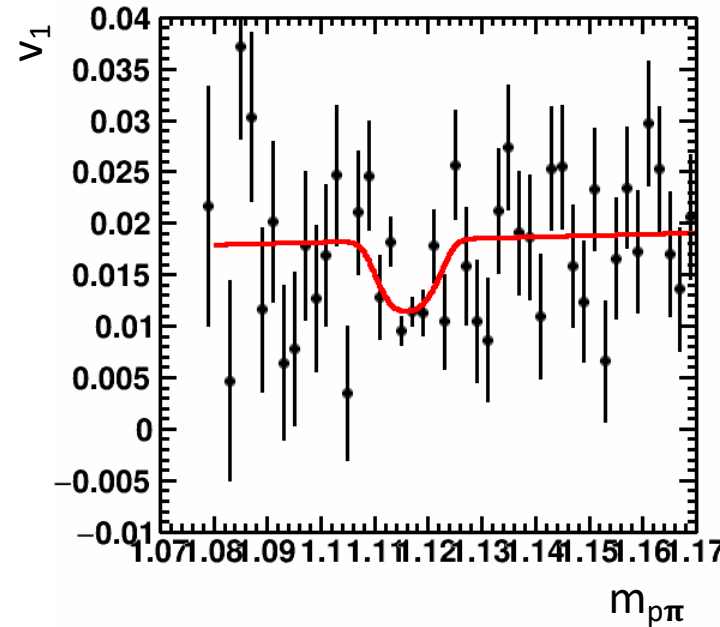
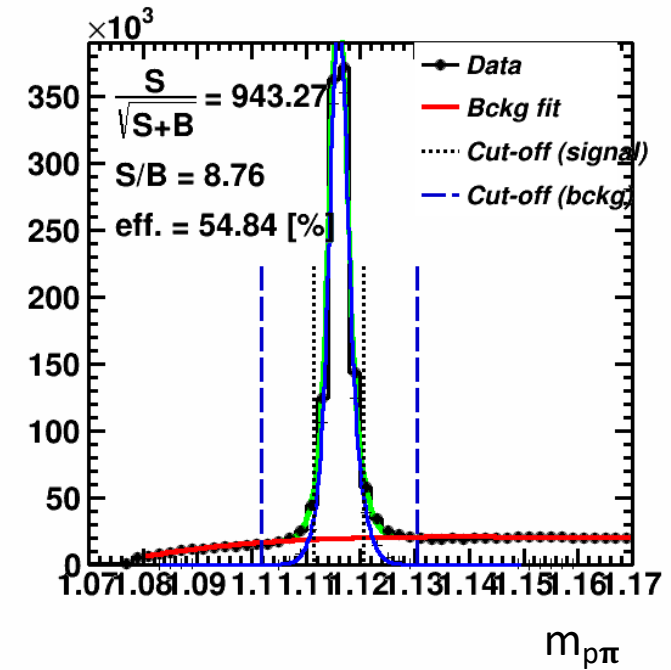
# Anisotropic flow of V0 particles

Differential flow can be defined using the following fit:

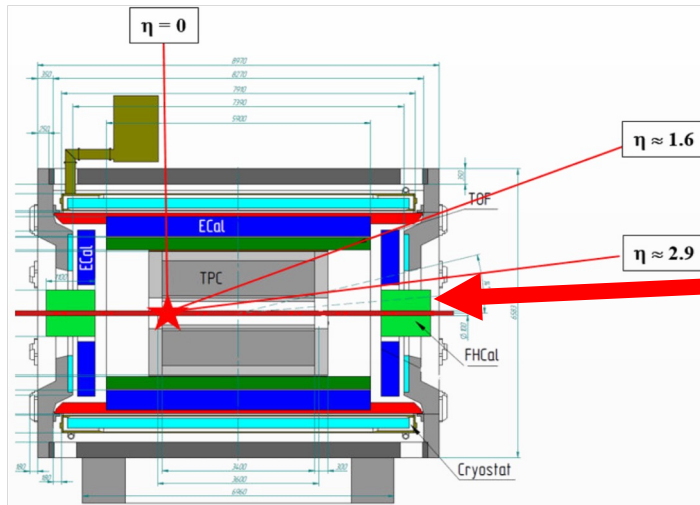
$$v_n^{SB}(m_{inv}) = v_n^S \frac{N^S(m_{inv})}{N^{SB}(m_{inv})} + v_n^B(m_{inv}) \frac{N^B(m_{inv})}{N^{SB}(m_{inv})}$$

where:

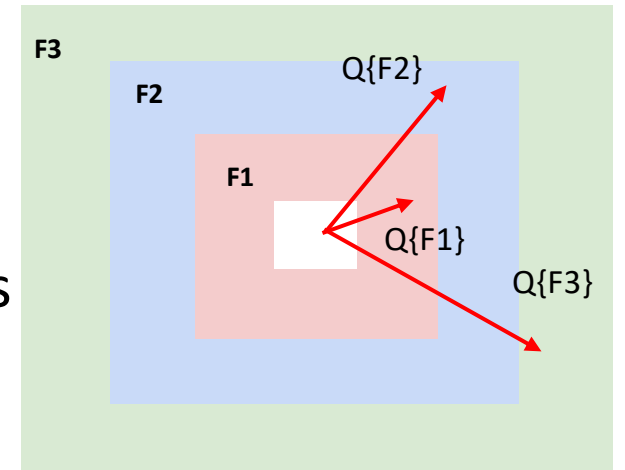
- $v_n^S$  - signal anisotropic flow (set as a parameter in the fit)
- $v_n^B(m_{inv})$  - background flow (set as polynomial function)
- $N^{SB}(m_{inv})$  -  $m_{inv}$  distribution (signal + background)
- $N^S(m_{inv})$  -  $m_{inv}$  signal distribution
- $N^B(m_{inv})$  -  $m_{inv}$  background distribution



# Flow vectors for MPD-FXT case



Modules of FHCAL  
divided into 3 groups



From momentum of each measured particle  
define a  $u_n$ -vector in transverse plane:

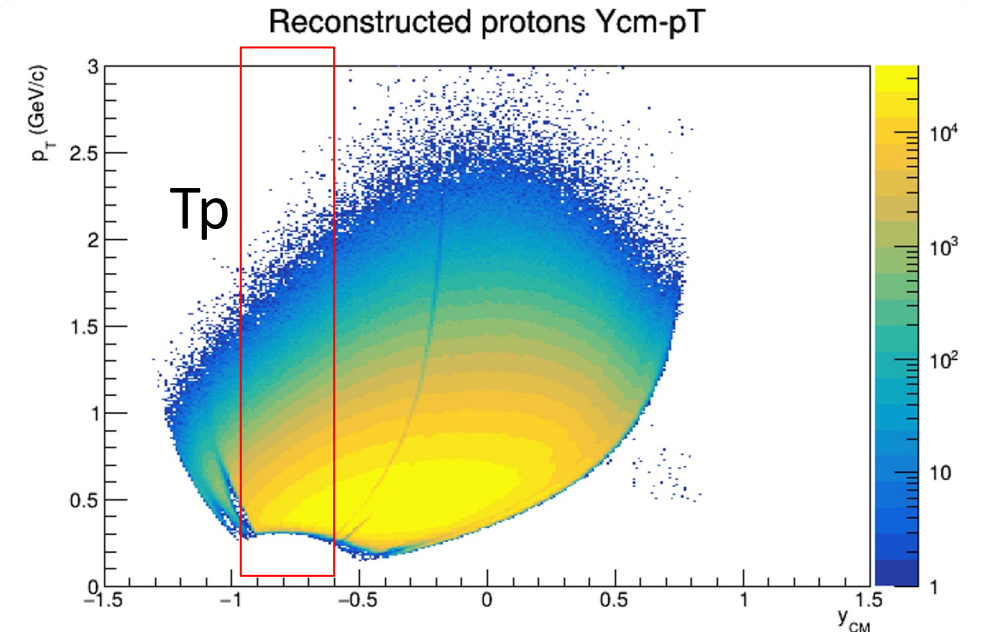
$$u_n = e^{in\phi}$$

where  $\phi$  is the azimuthal angle

Sum over a group of  $u_n$ -vectors in  
one event forms  $Q_n$ -vector:

$$Q_n = \frac{\sum_{k=1}^N w_n^k u_n^k}{\sum_{k=1}^N w_n^k} = |Q_n| e^{in\Psi_n^{EP}}$$

$\Psi_n^{EP}$  is the event plane angle



**Additional subevents from tracks not  
pointing at FHCAL:**

**Tp:** p;  $-1.0 < y < -0.6$ ;

# Flow methods for $v_n$ calculation

M Mamaev et al 2020 PPNuclei 53, 277–281

Tested in HADES: M Mamaev et al 2020 J. Phys.: Conf. Ser. 1690 012122

Scalar product (SP) method:

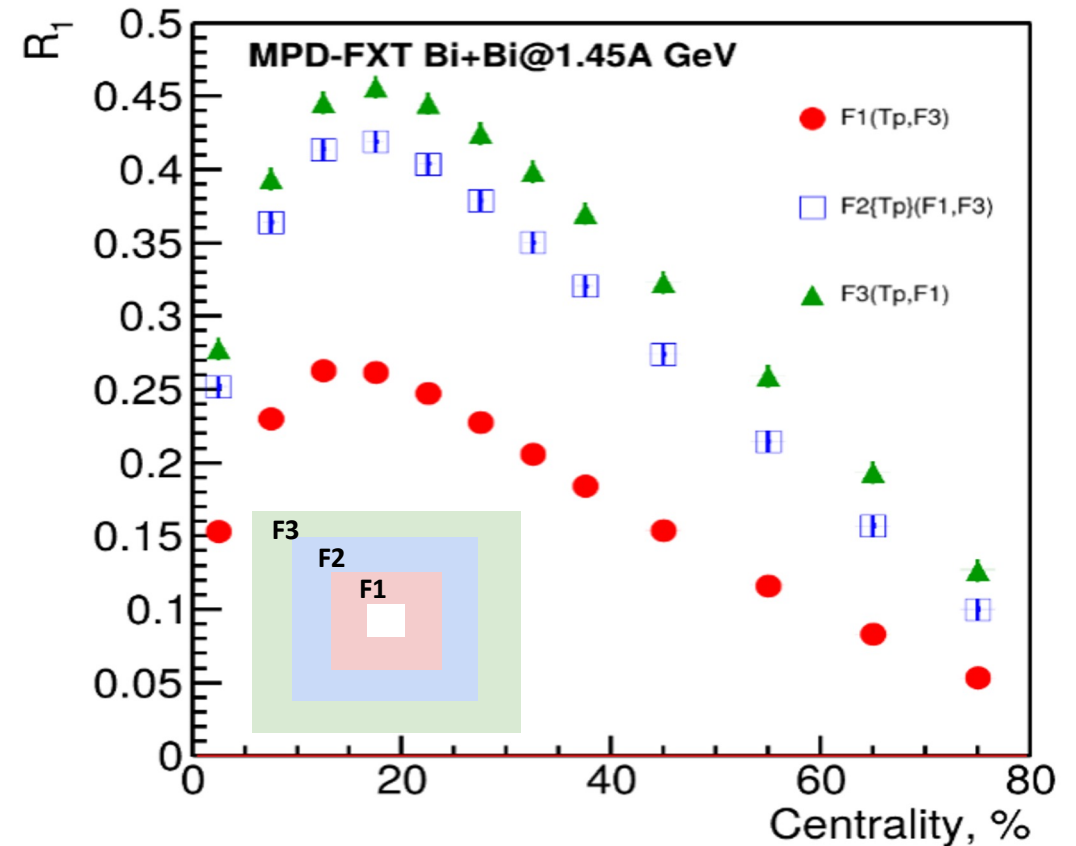
$$v_1 = \frac{\langle u_1 Q_1^{F1} \rangle}{R_1^{F1}} \quad v_2 = \frac{\langle u_2 Q_1^{F1} Q_1^{F3} \rangle}{R_1^{F1} R_1^{F3}}$$

Where  $R_1$  is the resolution correction factor

$$R_1^{F1} = \langle \cos(\Psi_1^{F1} - \Psi_1^{RP}) \rangle$$

Symbol “F2(F1,F3)” means  $R_1$  calculated via (3S resolution):

$$R_1^{F2(F1,F3)} = \frac{\sqrt{\langle Q_1^{F2} Q_1^{F1} \rangle \langle Q_1^{F2} Q_1^{F3} \rangle}}{\sqrt{\langle Q_1^{F1} Q_1^{F3} \rangle}}$$



Symbol “F2{Tp}(F1,F3)” means  $R_1$  calculated via (4S resolution):

$$R_1^{F2\{Tp\}(F1,F3)} = \langle Q_1^{F2} Q_1^{Tp} \rangle \frac{\sqrt{\langle Q_1^{F1} Q_1^{F3} \rangle}}{\sqrt{\langle Q_1^{Tp} Q_1^{F1} \rangle \langle Q_1^{Tp} Q_1^{F3} \rangle}}$$

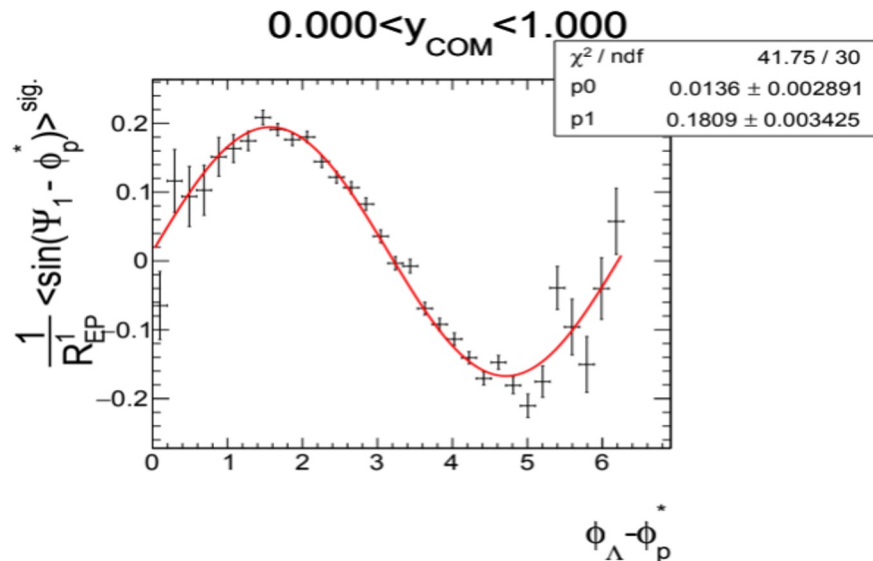
# $P_H$ measurements: inv. mass fit method

- Use invariant mass distribution
- Calculate Sig/All, Bg/All ratios
- Fit  $\langle \sin(\Psi_{EP} - \phi_p^*) \rangle$  as a function of inv. mass:

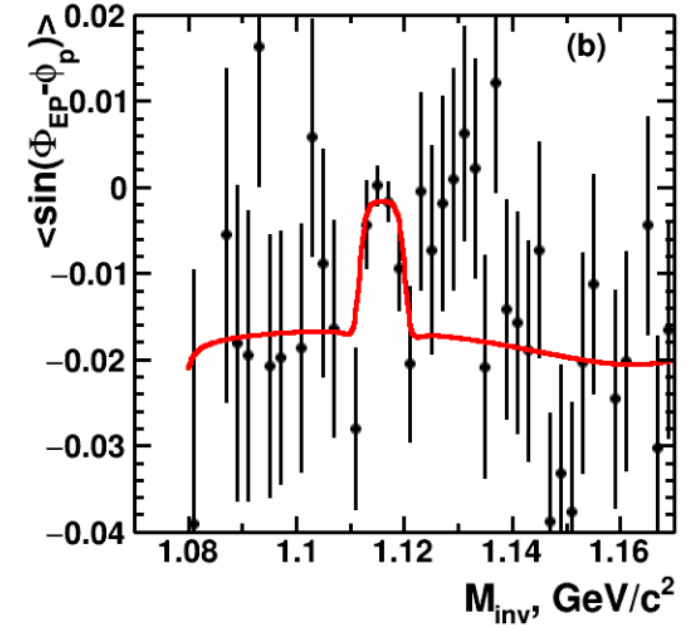
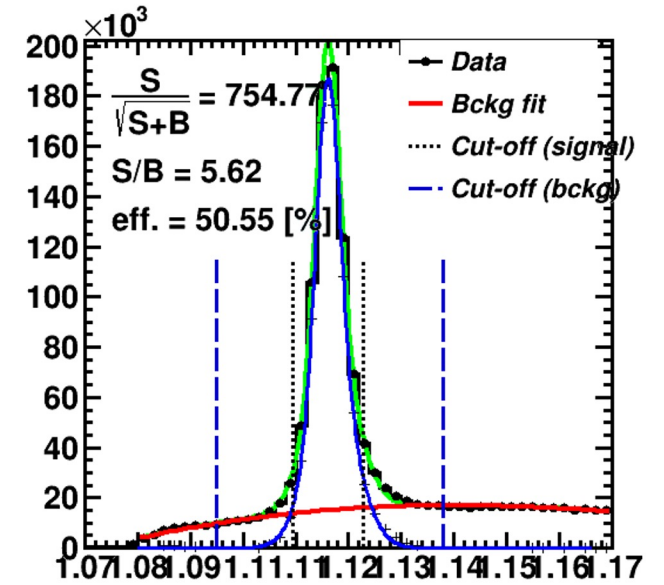
$$P^{SB}(m_{inv}, p_T) = P^S(p_T) \frac{N^S(m_{inv}, p_T)}{N^{SB}(m_{inv}, p_T)} + P^B(m_{inv}, p_T) \frac{N^B(m_{inv}, p_T)}{N^{SB}(m_{inv}, p_T)}$$

- Use  $P^S(p_T) = \langle \sin(\Psi_{RP} - \phi_p^*) \rangle^{sig}$  to find  $P_H^{true}$  using fit:

$$\frac{8}{\pi\alpha_\Lambda} \frac{1}{R_{EP}^{(1)}} \langle \sin(\Psi_1 - \phi_p^*) \rangle^{sig} = \overline{P}_\Lambda^{true} + cv_1 \sin(\phi_\Lambda - \phi_p^*)$$



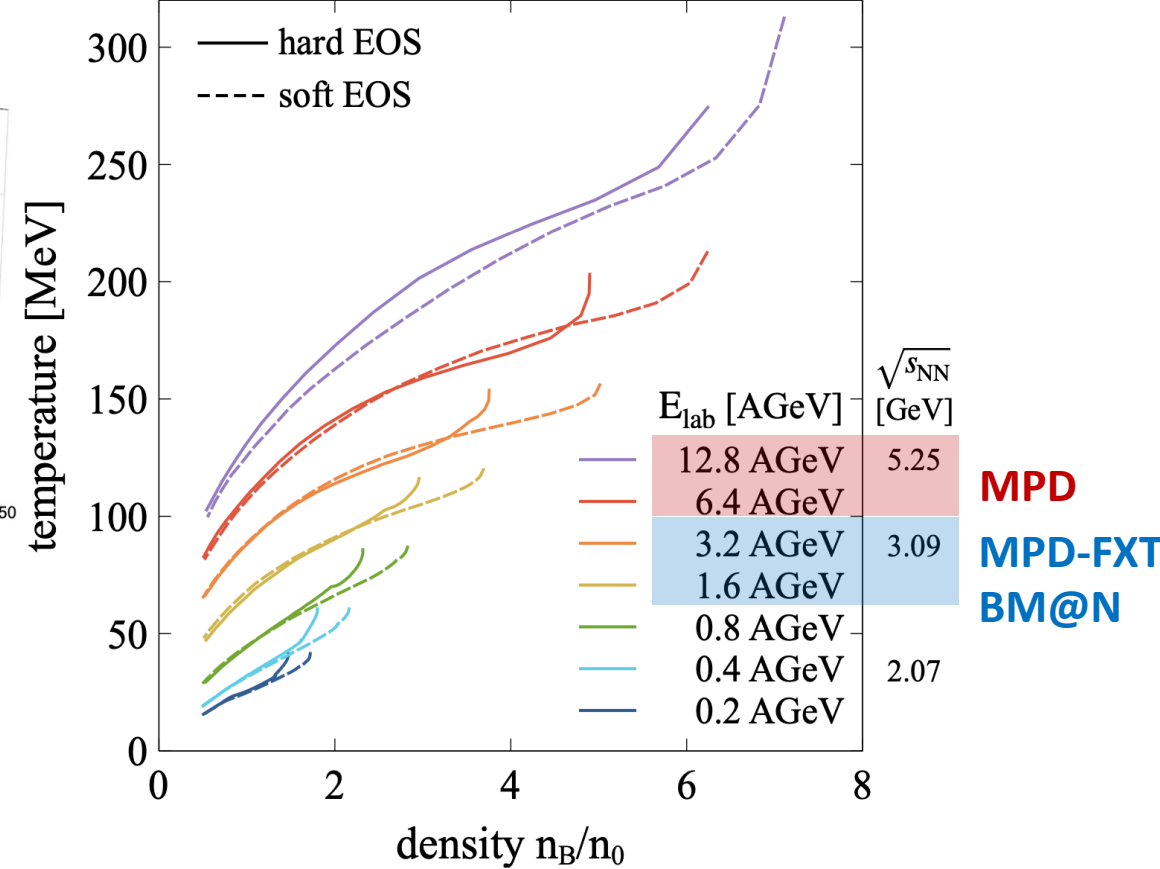
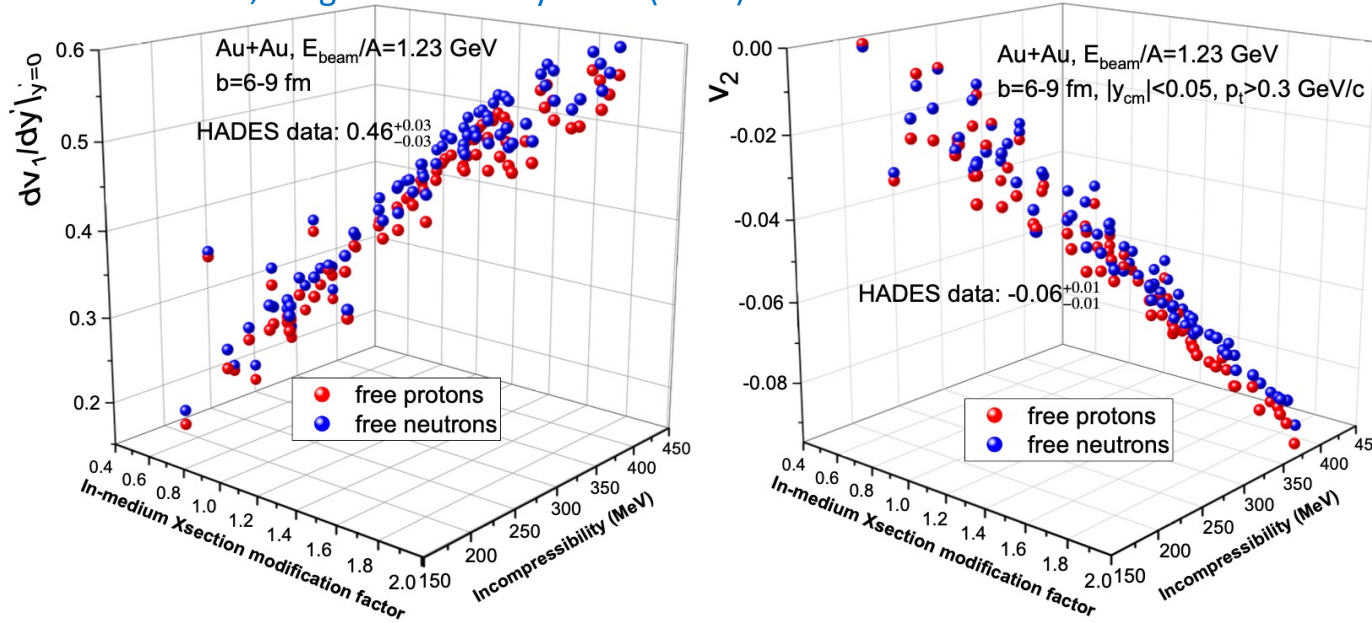
**Last fit corrects effects of directed flow and acceptance contributions to  $P_H$**



# Sensitivity of the collective flow to the EOS

A. Sorensen et. al., Prog.Part.Nucl.Phys. 134 (2024) 104080

A. Sorensen et. al., Prog.Part.Nucl.Phys. 134 (2024) 104080



## Incompressibility $K_0$ :

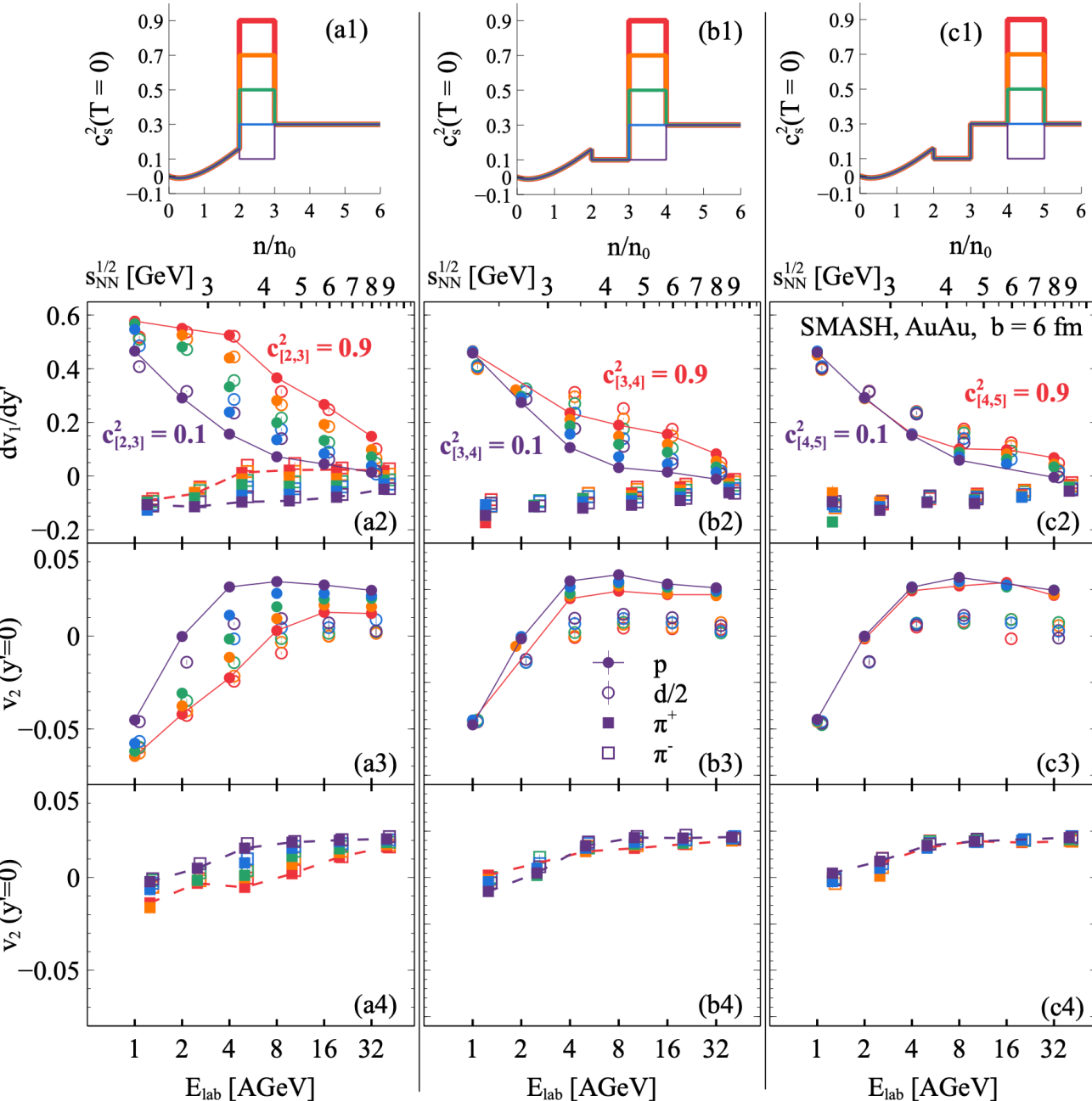
parameter which specifies the behavior of EOS in the given baryon densities  $K_0 = K_0(n_B)$

Models with flexible EOS for different  $(K_0, n_B)$  are required

Nuclotron-NICA coverage in terms of density:  $2 \lesssim n_B/n_0 \lesssim 8$

# Sensitivity of the collective flow to the EOS

A. Sorensen et. al., Prog.Part.Nucl.Phys. 134 (2024) 104080



- SMASH model with flexible EOS was used to test the sensitivity of the  $v_n$  to changes of EOS in a specific density range  $n/n_0$ :

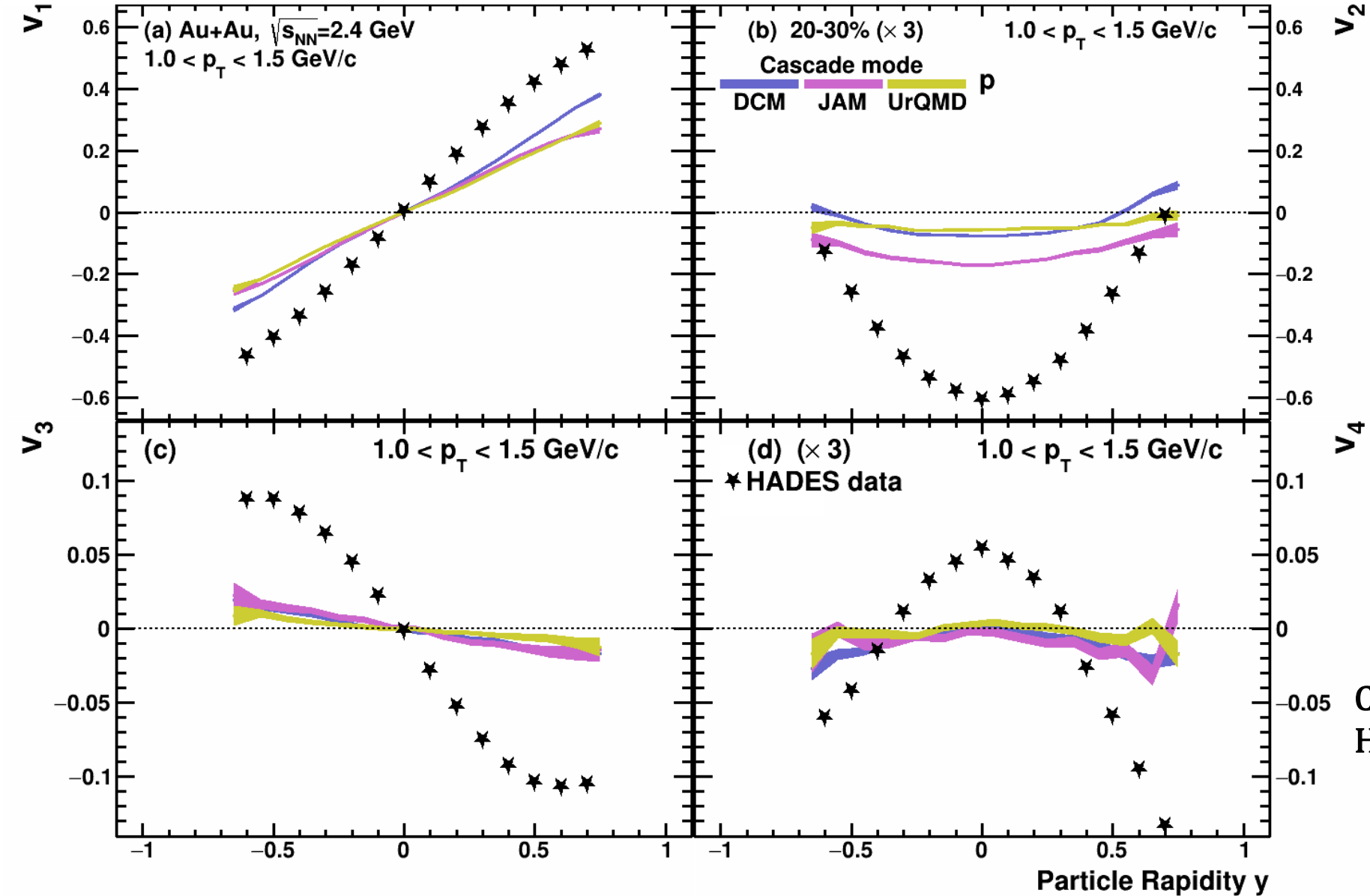
- $2 < n_B/n_0 < 3$ :  $dv_1/dy'$  and  $v_2$  of pions, protons and deuterons are very sensitive to the EOS
- $3 < n_B/n_0 < 4$ :  $dv_1/dy'$  and  $v_2$  of protons and deuterons are sensitive to the EOS
- $4 < n_B/n_0 < 5$ : weak sensitivity to the EOS

The most precise constraints can be achieved from the flow of identified hadrons ( $\pi^\pm, K^\pm, p, \dots$ ) and light nuclei ( $d, t, \dots$ )



# $v_n(y)$ in Au+Au $\sqrt{s_{NN}}=2.4$ GeV: cascade models

P. Parfenov, Particles 5, no.4, 561-579 (2022)



Kinematic cuts:

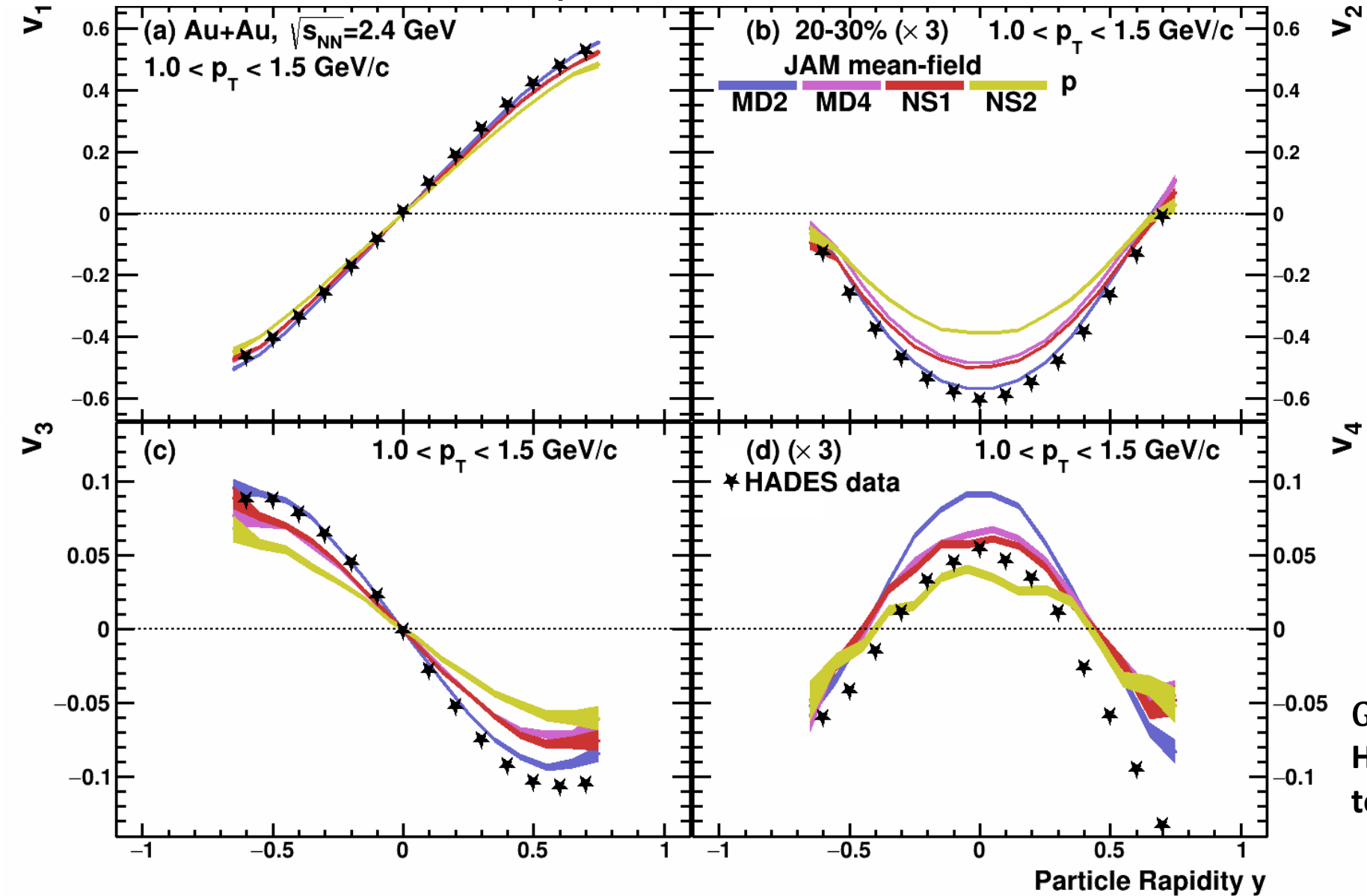
$V_{1,3}(y): 1.0 < p_T < 1.5$  GeV/c

$V_{2,4}(y): 1.0 < p_T < 1.5$  GeV/c

Cascade models fail to reproduce HADES experimental data

# $v_n(y)$ in Au+Au $\sqrt{s_{NN}}=2.4$ GeV: models vs. HADES data

P. Parfenov, Particles 5, no.4, 561-579 (2022)



Kinematic cuts:

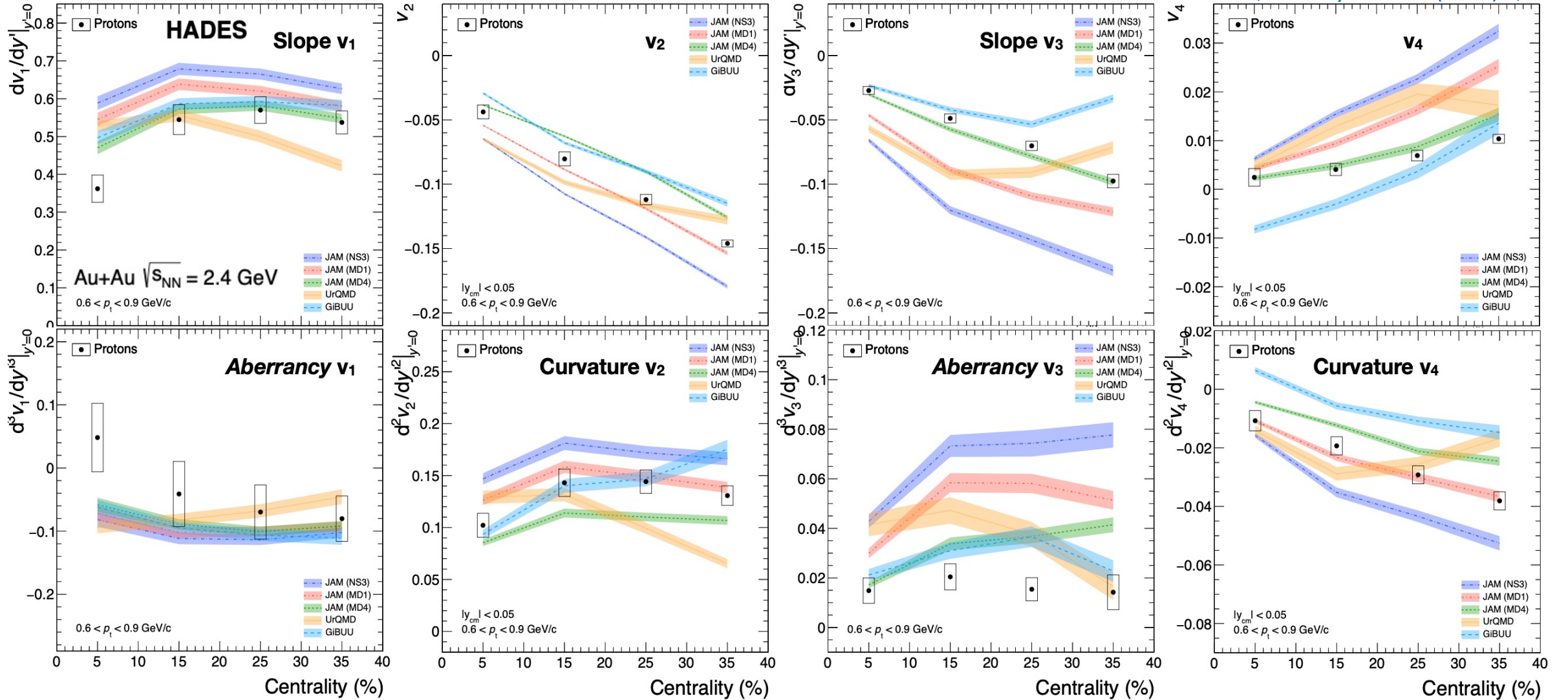
$V_{1,3}(y)$ :  $1.0 < p_T < 1.5$  GeV/c

$V_{2,4}(y)$ :  $1.0 < p_T < 1.5$  GeV/c

Good agreement for  $v_n(y)$   
 Higher harmonics are more sensitive  
 to different EOS than  $v_1$

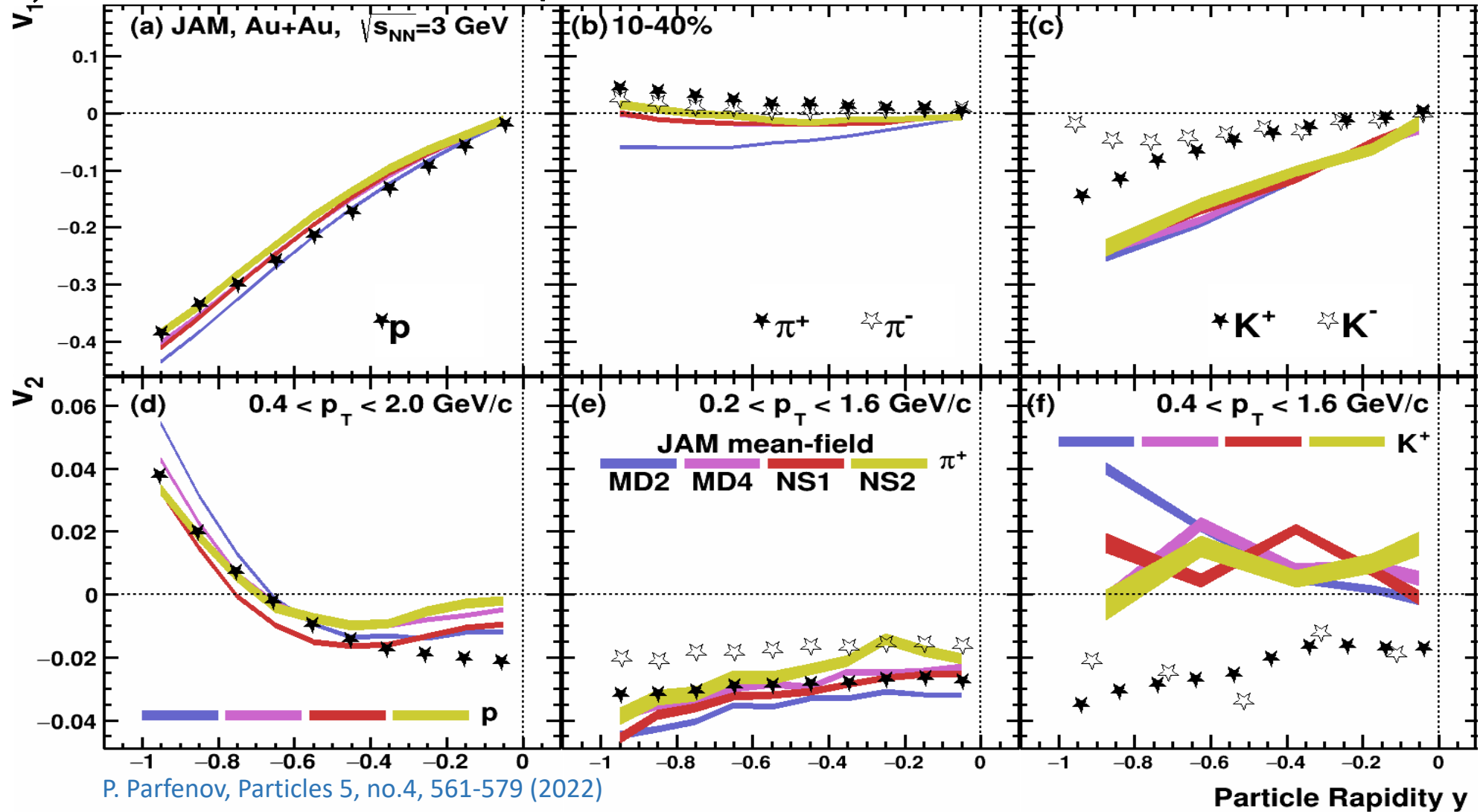
# $v_n(y)$ in Au+Au $\sqrt{s_{NN}}=2.4$ GeV: models vs. HADEES data

HADES, Eur. Phys. J. A 59 (2023) 4, 80



Overall trend reasonably well described, but no model works everywhere

# $v_{1,2}(y)$ in Au+Au $\sqrt{s_{NN}}=3$ GeV: model vs. STAR data

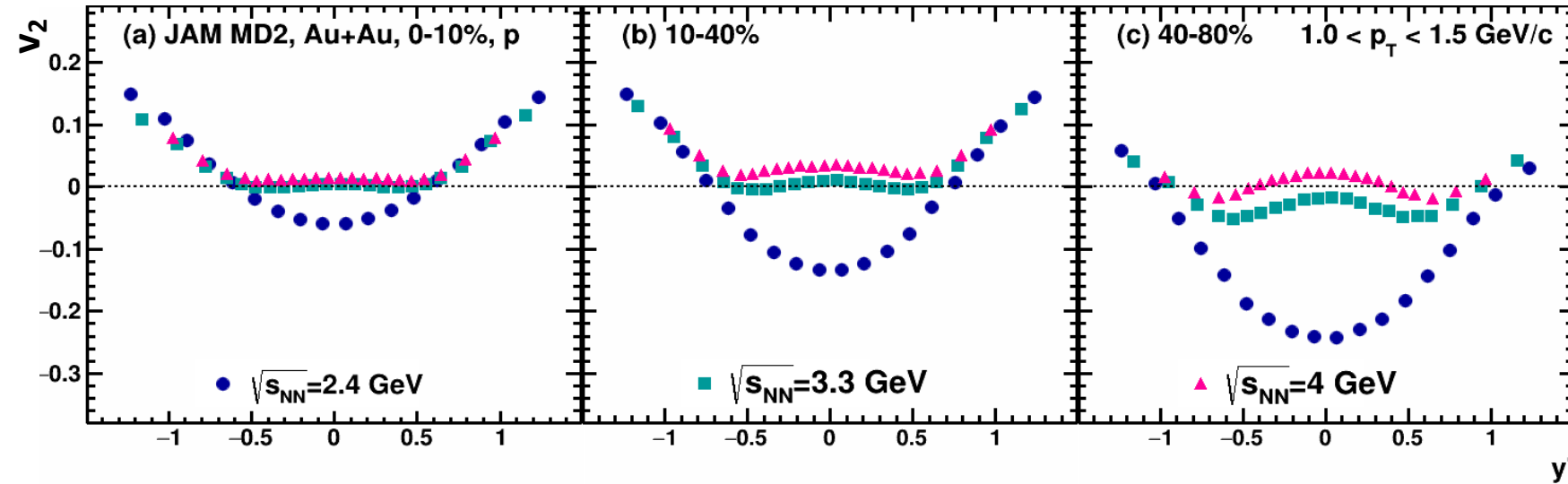
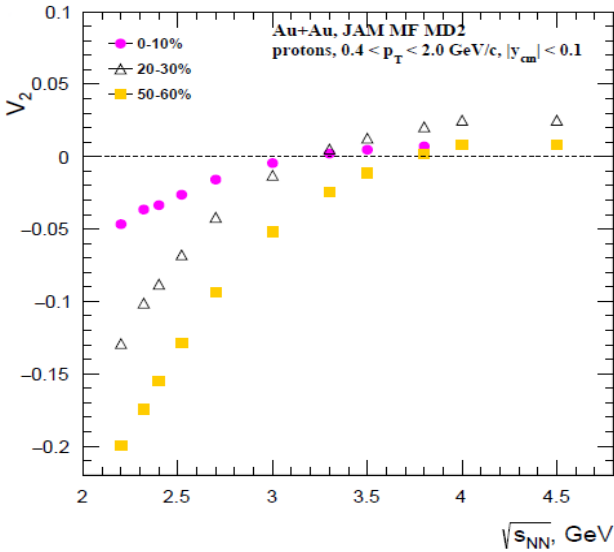


Models do not describe all particle species equally well

$v_1, v_2$  of protons are described by JAM, UrQMD (hard EOS) and SMASH (hard EOS with softening at higher densities)

# $v_2$ transition from out-of-plane to in-plane

P. Parfenov, Particles 5, no.4, 561-579 (2022)

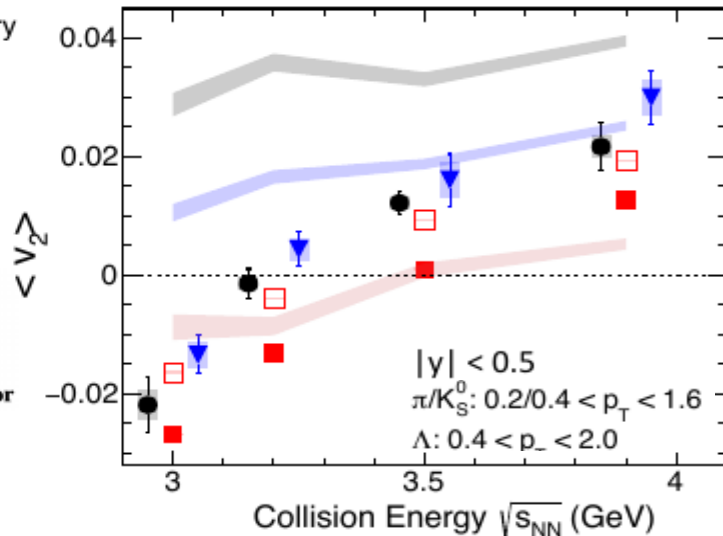


Results from QM 2023

STAR preliminary  
Au+Au, 10-40%

$\blacksquare \pi^+$   $\bullet \Lambda$   
 $\square \pi^-$   $\blacktriangledown K_S^0$

$\Lambda$  JAM2  
Cascade  
Mean Field  
MF w/o Spectator



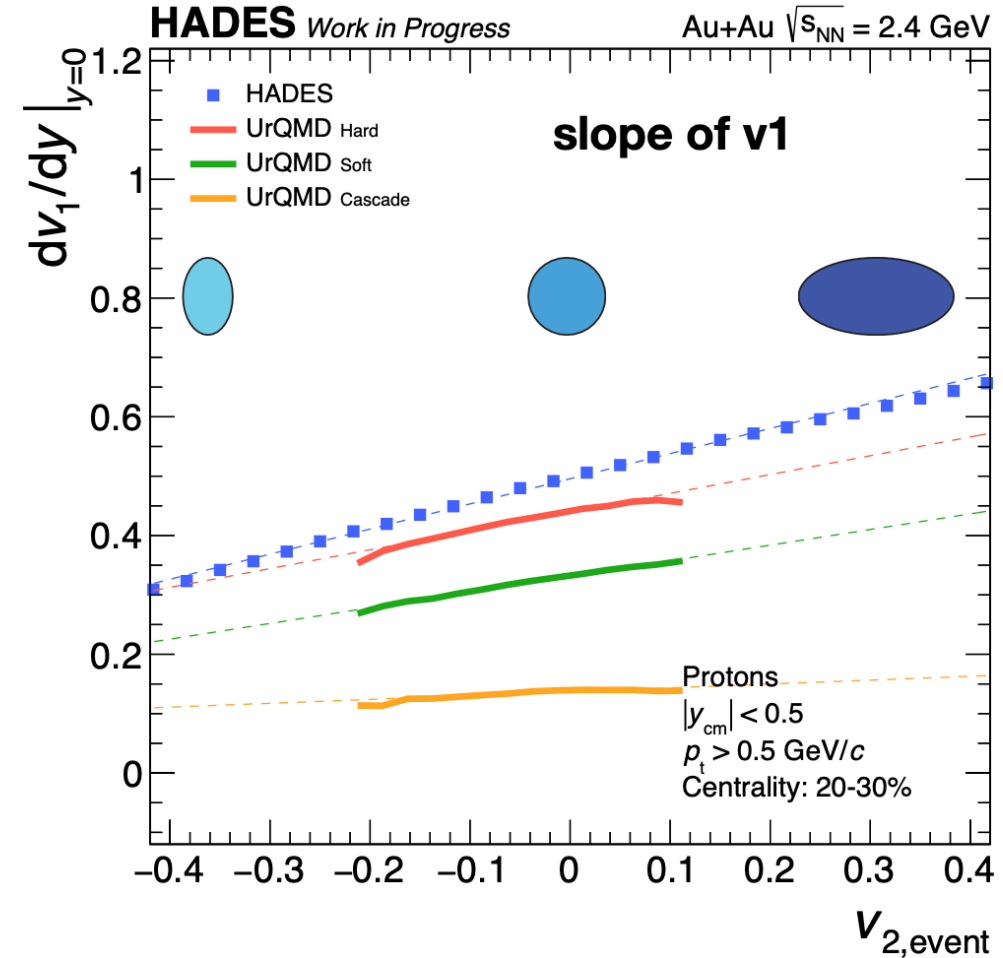
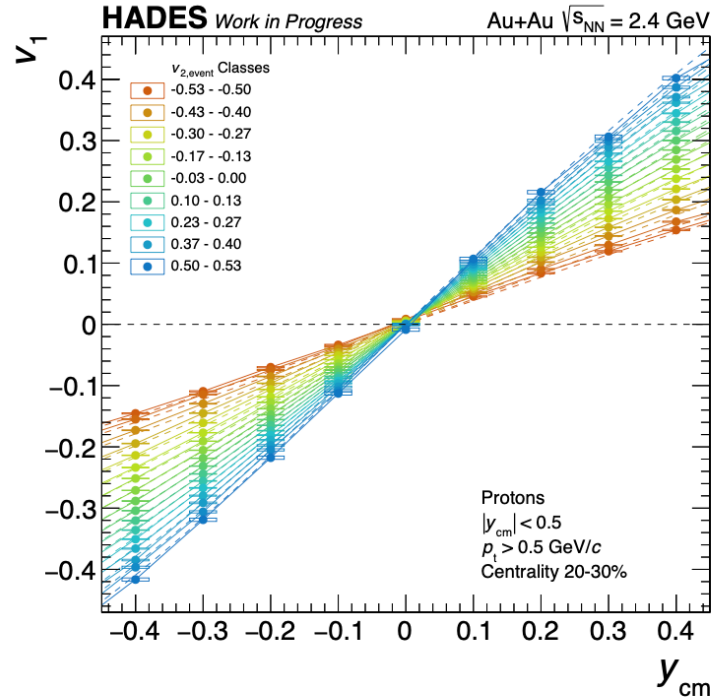
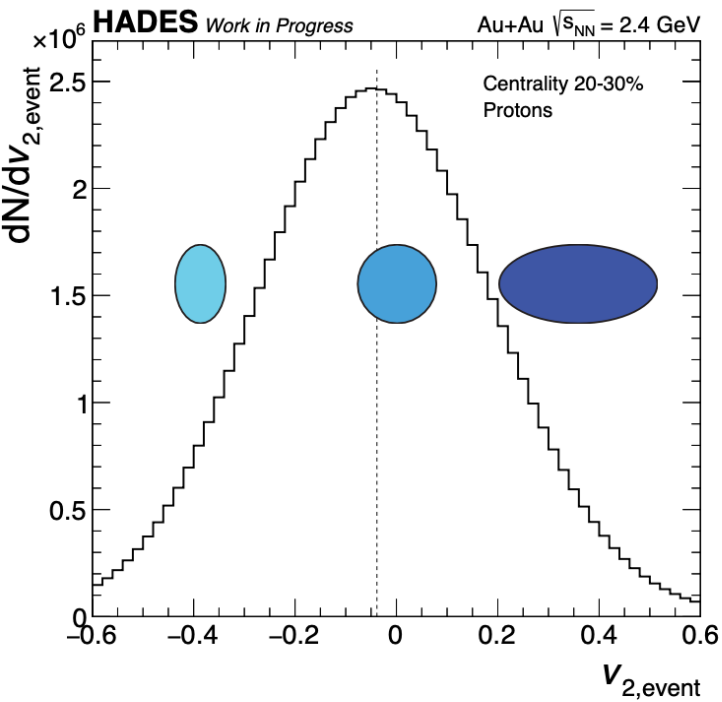
Transition of  $v_2$  from out-of-plane to in-plane can be a good tool to constrain models and extract information about EOS

- $v_2 \approx 0$  in midrapidity at  $\sqrt{s_{NN}}=3.3$  GeV for central and mid-central collisions for protons
- $v_2 < 0$  for peripheral collisions
- Models can not reproduce  $v_2$  of  $\pi^\pm$ ,  $K^\pm$ ,  $K_S^0$ ,  $\Lambda$

**Transition from out-of-plane to in-plane depends on centrality, rapidity and particle species**

# Event-wise flow correlations

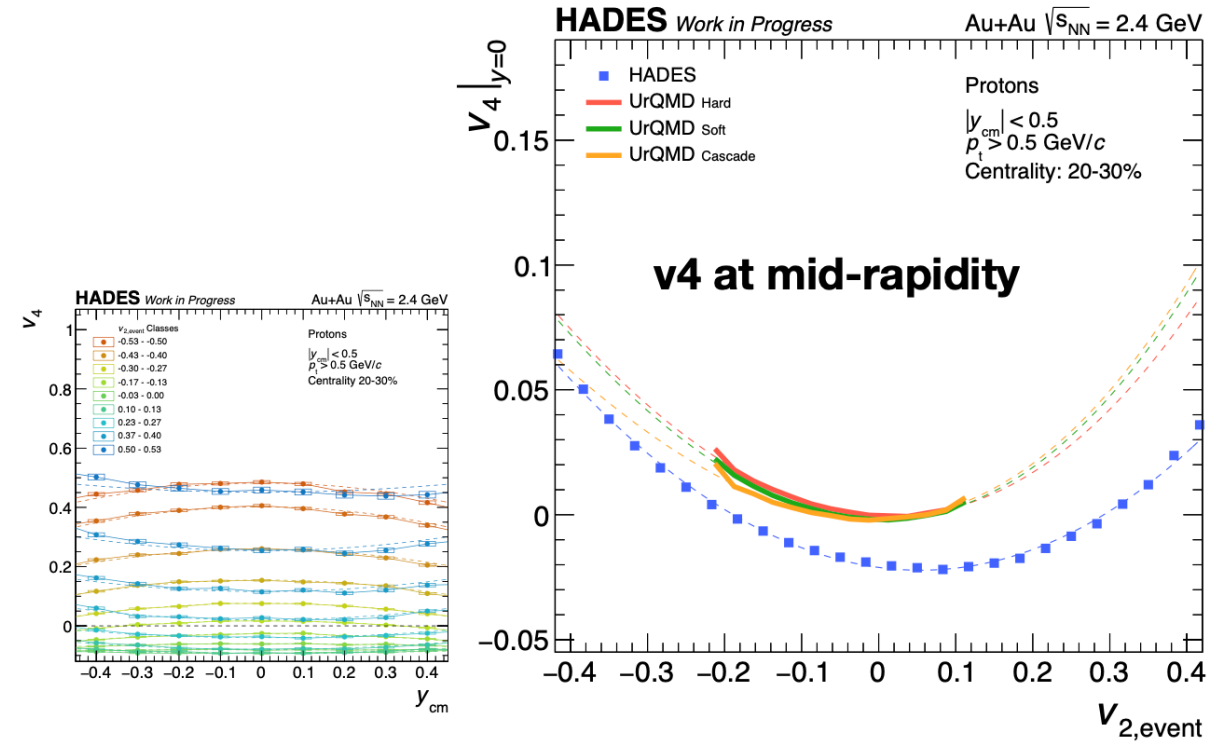
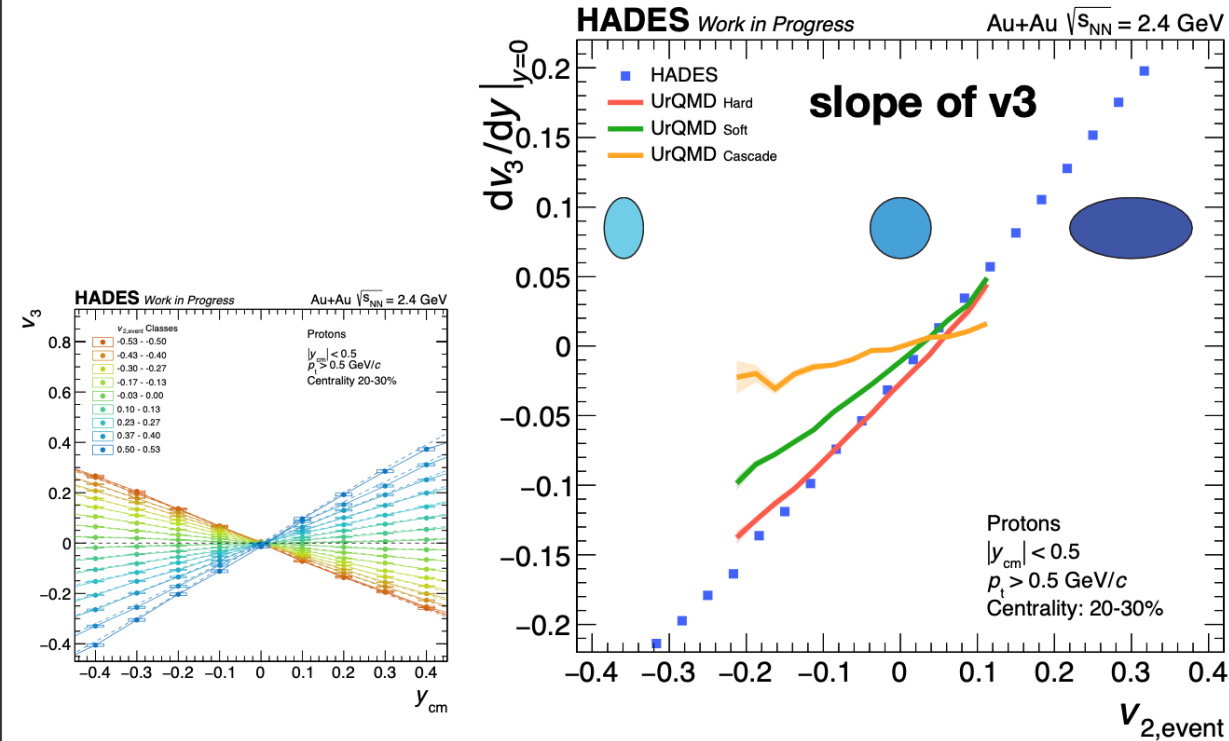
B. Kardan, EMMI Workshop 2024



- Events can be characterized based on the event-wise magnitude of the elliptic flow  $v_{2,event}$
- UrQMD can not describe  $dv_1/dy|_{y=0}$  of protons as a function of  $v_{2,event}$
- Strong sensitivity to the EOS

# Event-wise flow correlations

B. Kardan, EMMI Workshop 2024

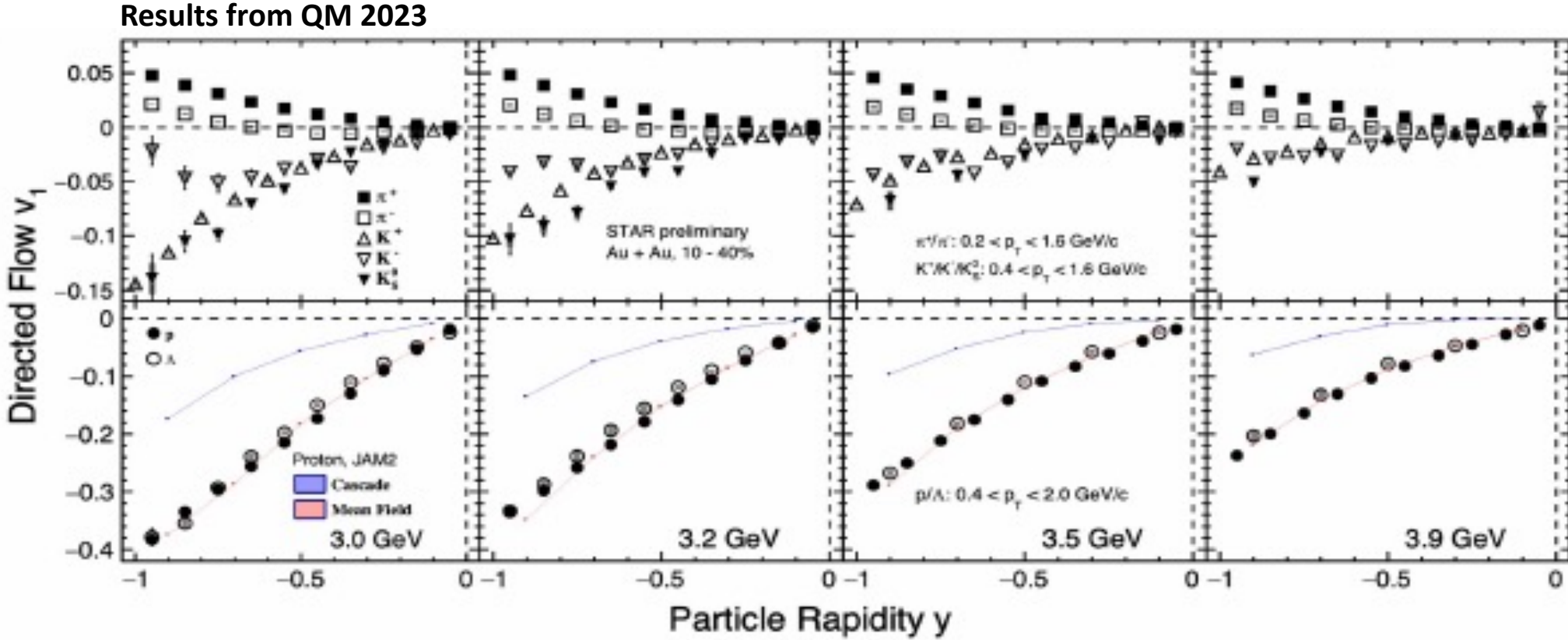


$dv_3/dy|_{y=0}$  of protons as a function of  $v_{2,event}$  shows strong sensitivity to EoS

Models overestimate  $v_4$  of protons as a function of  $v_{2,event}$  compared to the HADES data

**Mean-field models do not reproduce experimental data on the event-wise flow correlations of protons**

# New STAR results from BES-II



New preliminary results from STAR BES-II were presented at QM-2023 for Au+Au at  $\sqrt{s_{NN}}=3, 3.2, 3.5, 3.9 \text{ GeV}$



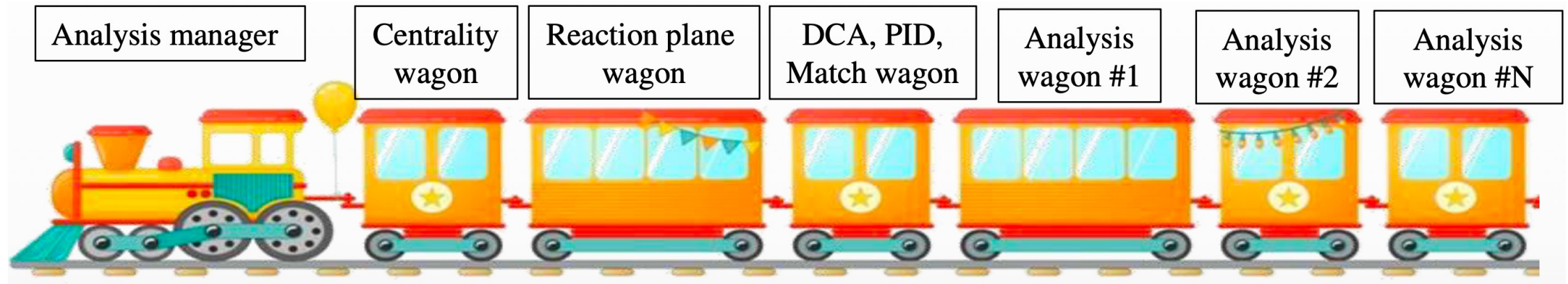
# Feasibility studies: centralized analysis framework

**Physics feasibility studies are done using centralized large-scale MC productions**

**Requirements for the analysis framework:**

- Consistency of approaches and results across the collaboration – robust crosscheck of the analysis
- Ability to easily implement analysis in the framework – modular structure of the software, code standardization
- Easy data storage and reduced number of I/O operations – execution of the modules in one sequence

**Solution: Analysis Train**



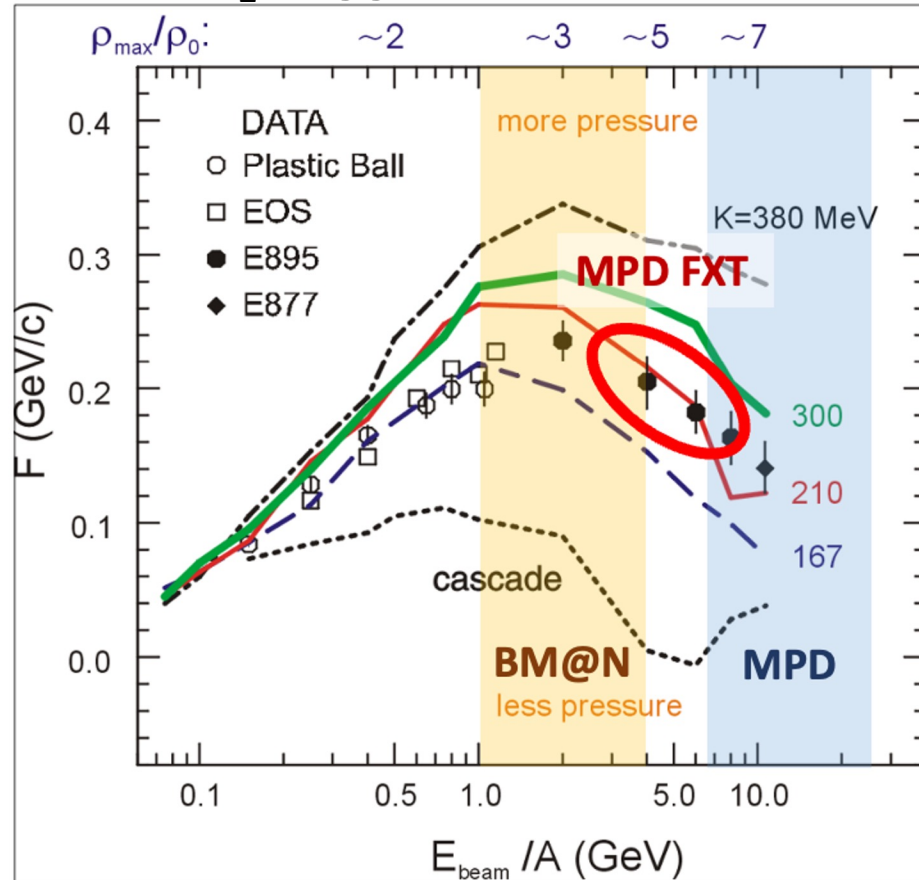
- First Analysis Train runs started in September 2023 – regular runs on request
- Continuous development:
  - Improvements to the current analysis wagons (improved PID parameters)
  - Implementation of the new wagons

**Analysis Train became a new standard for physics (feasibility) studies in MPD**

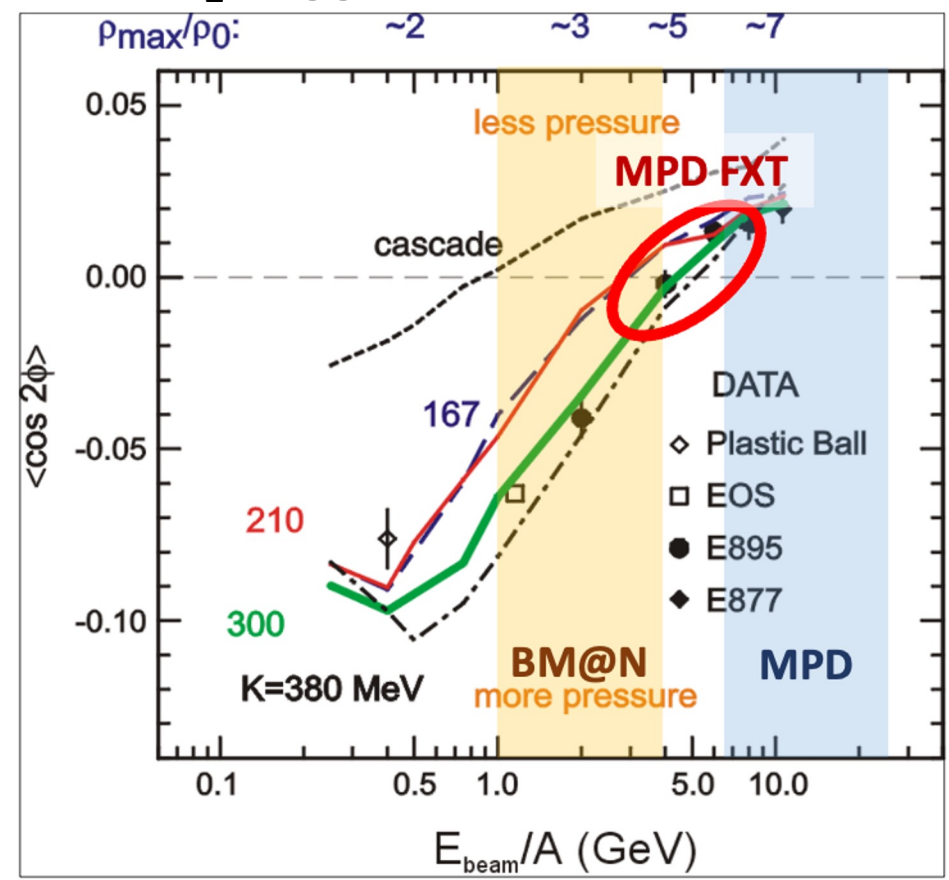
# $v_n$ at Nuclotron-NICA energies

P. DANIELEWICZ, R. LACEY, W. LYNCH  
10.1126/science.1078070

$v_1$  suggests soft EoS



$v_2$  suggests hard EoS



- $v_n$  results from the E895 experiment are ambiguous:
  - $v_1$  suggests EoS and  $v_2$  suggests hard EoS
- Additional experimental data are required to address such discrepancies

# The Bayesian inversion method ( $\Gamma$ -fit)

Relation between multiplicity  $N_{ch}$  and impact parameter  $b$  is defined by the fluctuation kernel:

$$P(N_{ch}|c_b) = \frac{1}{\Gamma(k(c_b))\theta^k} N_{ch}^{k(c_b)-1} e^{-N_{ch}/\theta} \quad \frac{\sigma^2}{\langle N_{ch} \rangle} = \theta \approx const, k = \frac{\langle N_{ch} \rangle}{\theta}$$

$$c_b = \int_0^b P(b') db' \text{ - centrality based on impact parameter}$$

Mean multiplicity as a function of  $c_b$  can be defined as follows:

$$\langle N_{ch} \rangle = N_{knee} \exp\left(\sum_{j=1}^3 a_j c_b^j\right) \quad N_{knee}, \theta, a_j \text{ - parameters}$$

Fit function for  $N_{ch}$  distribution

$$P(N_{ch}) = \int_0^1 P(N_{ch}|c_b) dc_b$$

b-distribution for a given  $N_{ch}$

range:

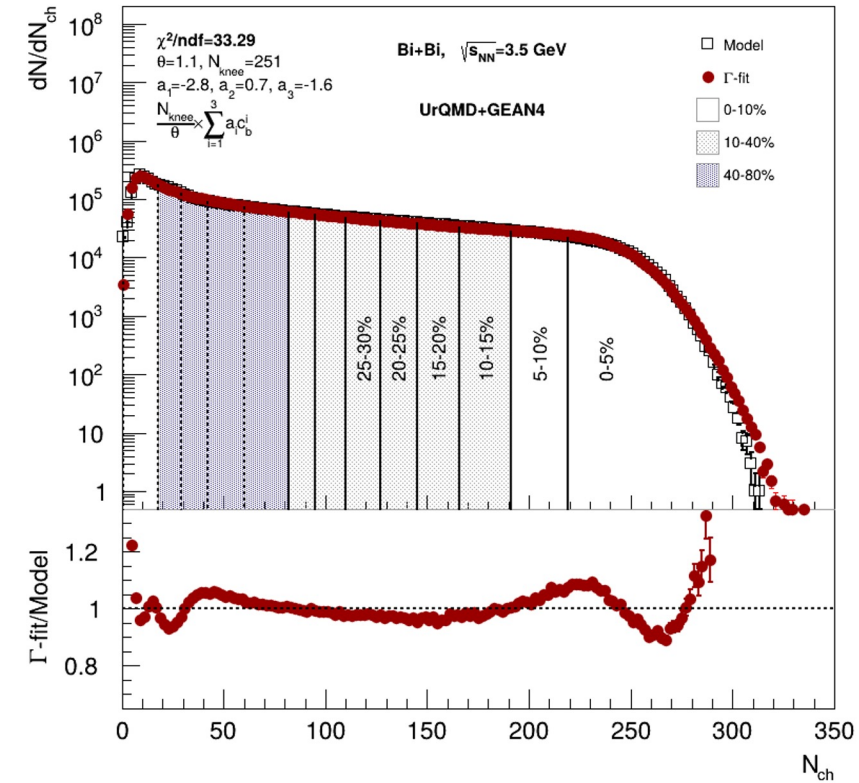
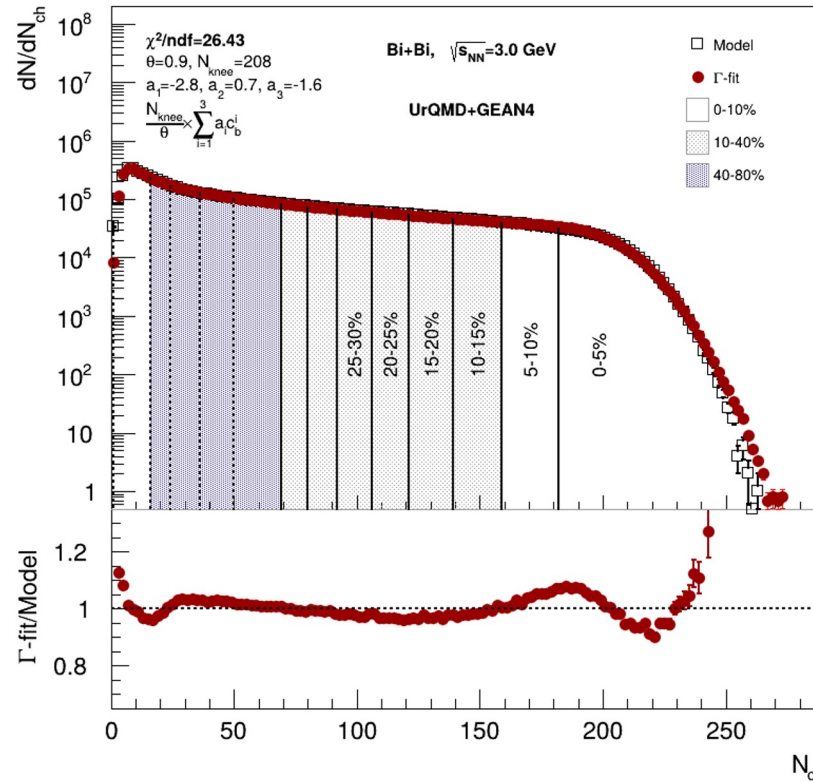
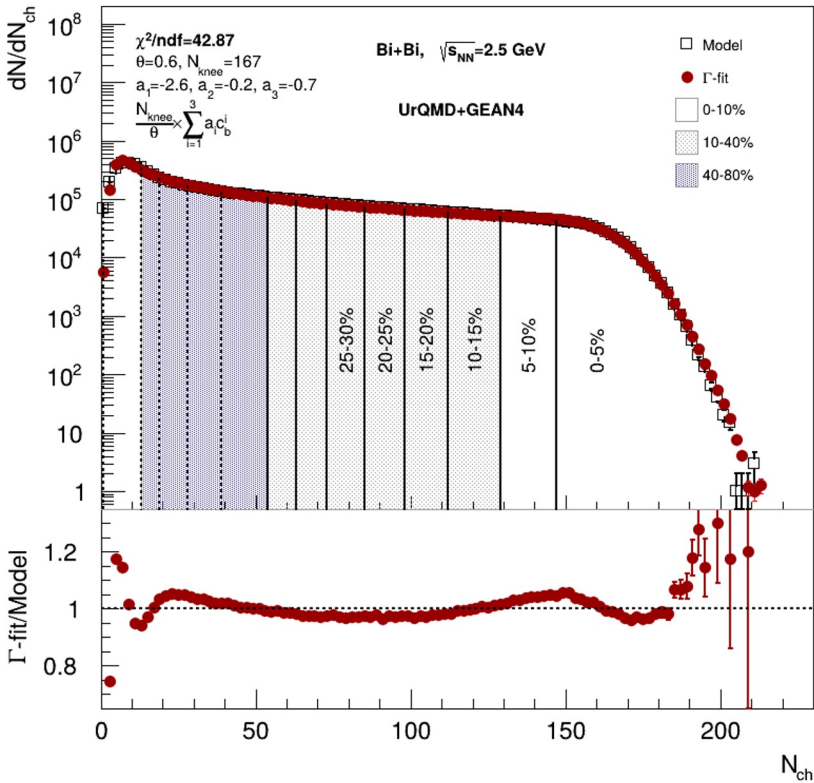
$$P(b|n_1 < N_{ch} < n_2) = P(b) \frac{\int_{n_1}^{n_2} P(N_{ch}|b) dN_{ch}}{\int_{n_1}^{n_2} P(N_{ch}) dN_{ch}}$$

**2 main steps of the method:**

Fit experimental (model) distribution with  $P(N)$

Construct  $P(b|E)$  using Bayes' theorem:  
 $P(b|N) = P(b)P(N|b)/P(N)$

# Centrality determination: multiplicity fit



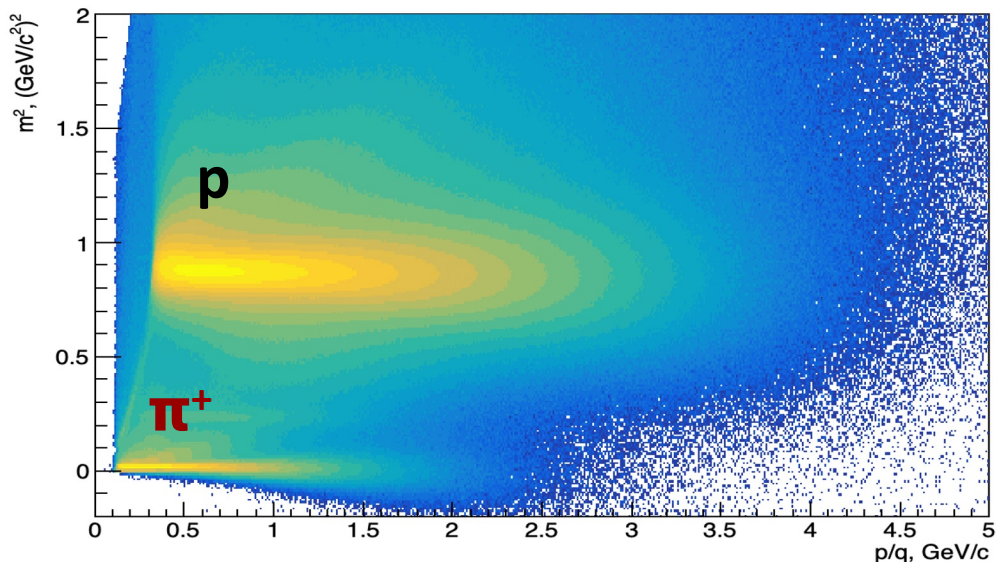
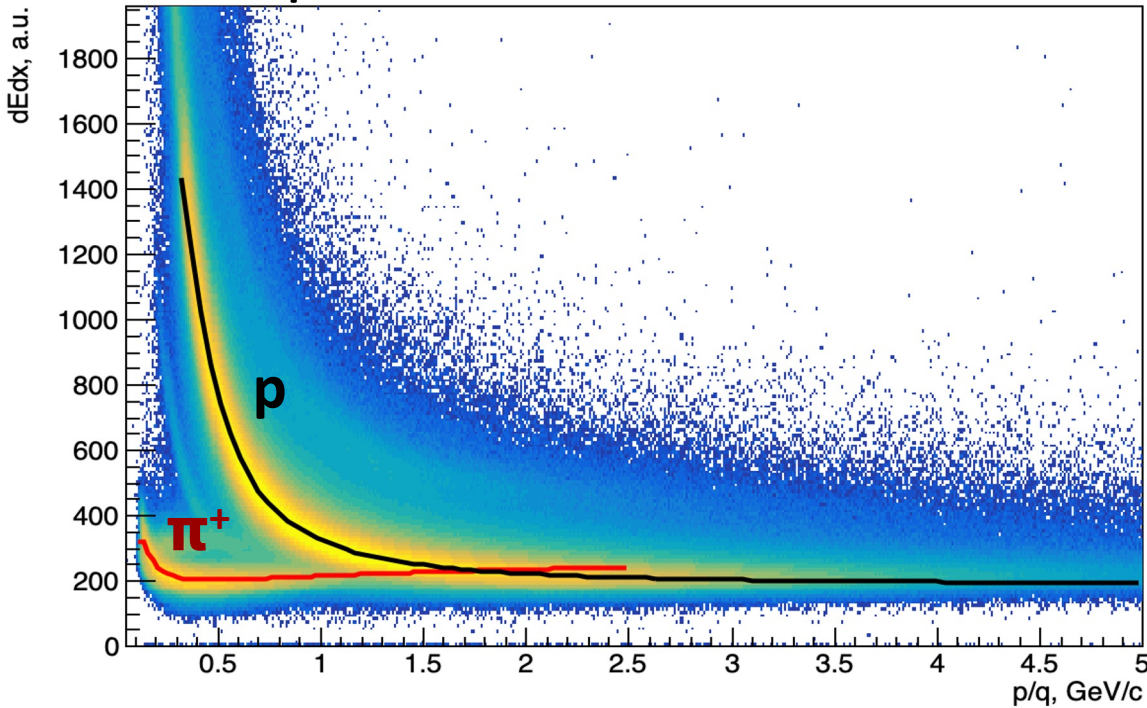
Cuts on tracks:

- $N_{\text{hits}} > 16$
- $0 < \eta < 2$

Good agreement between fit and data

Multiplicity-based centrality determination ( $\Gamma$ -fit) was used

# PID procedure



Fit  $dE/dx$  distributions with Bethe-Bloch parametrization:

$$f(\beta\gamma) = \frac{p_1}{\beta p^4} \left( p_2 - \beta p^4 - \ln \left( p_3 + \frac{1}{(\beta\gamma)p^5} \right) \right)$$

$$\beta^2 = \frac{p^2}{m^2 + p^2}, \quad \beta\gamma = \frac{p}{m}$$

$p_i$  - fit parameters

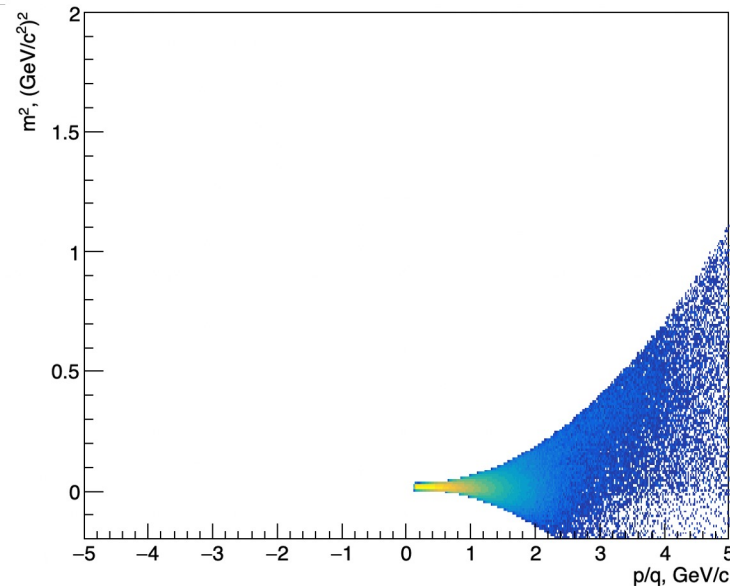
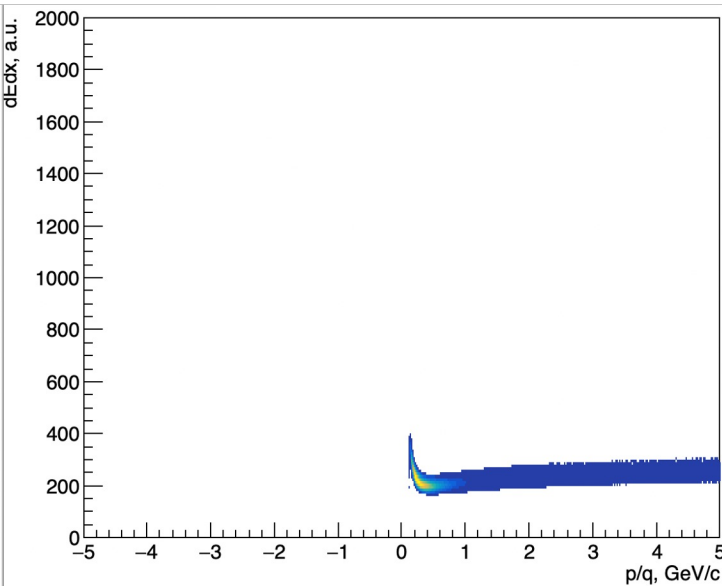
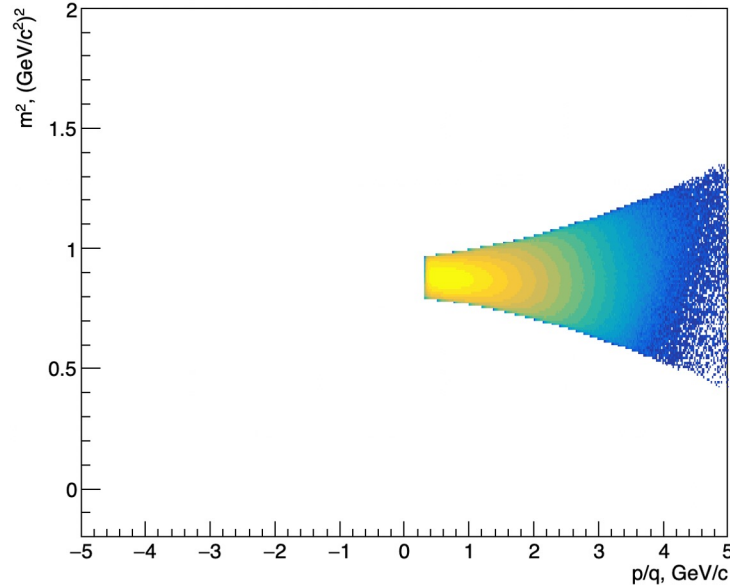
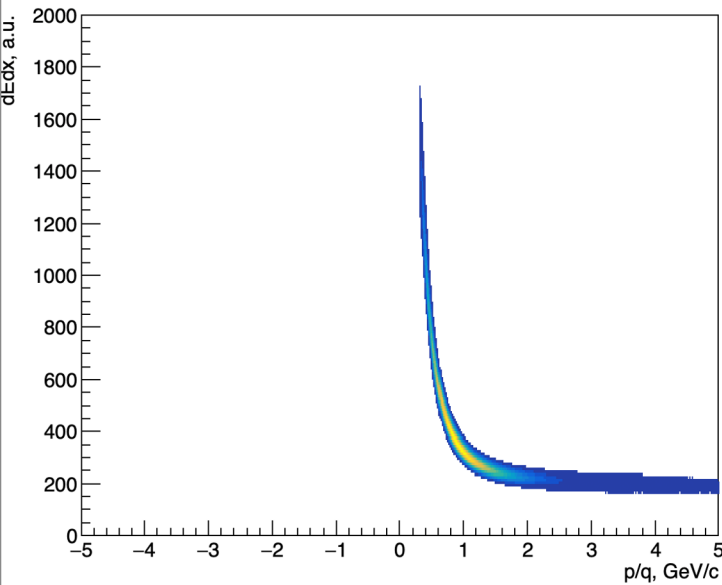
Fit  $(dE/dx - f(\beta\gamma))/f(\beta\gamma)$  with gaus in the slices of  $p/q$  and get  $\sigma_p(dE/dx)$

Fit  $m^2$  with gaus in the slices of  $p/q$  and get  $\sigma_p(m^2)$

**$(dE/dx, m) \rightarrow (x, y)$  coordinates for PID:**

$$x_p = \frac{(dE/dx)^{meas} - (dE/dx)_p^{fit}}{(dE/dx)_p^{fit} \sigma_p^{dE/dx}}, \quad y_p = \frac{m^2 - m_p^2}{\sigma_p^{m^2}}$$

# PID procedure: Results



$$x_p = \frac{(dE/dx)^{meas} - (dE/dx)_p^{fit}}{(dE/dx)_p^{fit} \sigma_p^{dE/dx}}$$

$$y_p = \frac{m^2 - m_p^2}{\sigma_p^{m^2}}$$

Protons:

$$\sqrt{x_p^2 + y_p^2} < 2, \sqrt{x_\pi^2 + y_\pi^2} > 3$$

Pions ( $\pi^+$ ):

$$\sqrt{x_\pi^2 + y_\pi^2} < 2, \sqrt{x_p^2 + y_p^2} > 3$$

Pions ( $\pi^-$ ):

charge < 0

# (y-pt) distribution, efficiency and $\delta p_T$

$$\text{eff} = \frac{\frac{dN}{dydp_T}(\text{reco})}{\frac{dN}{dydp_T}(\text{sim})}$$

$$\Delta p_T = \frac{|p_T^{\text{reco}} - p_T^{\text{mc}}|}{p_T^{\text{mc}}}$$

**Bi+Bi vs<sub>NN</sub>=2.5 GeV**

Cuts for reco tracks:

- Nhits>27
- DCA< 1 cm
- PID (TPC+TOF)
- Primary (DCA<1 cm)

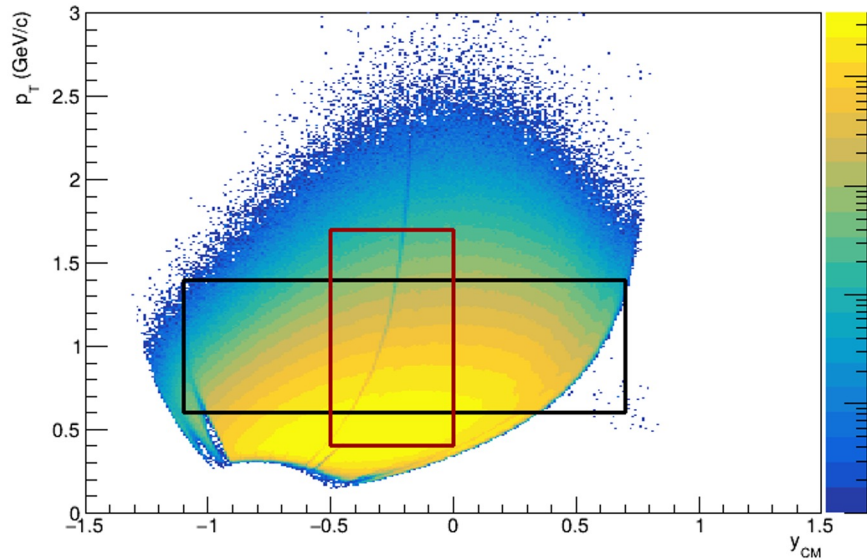
Cuts for sim particles:

- PID (pdg code)
- Primary (motherId)

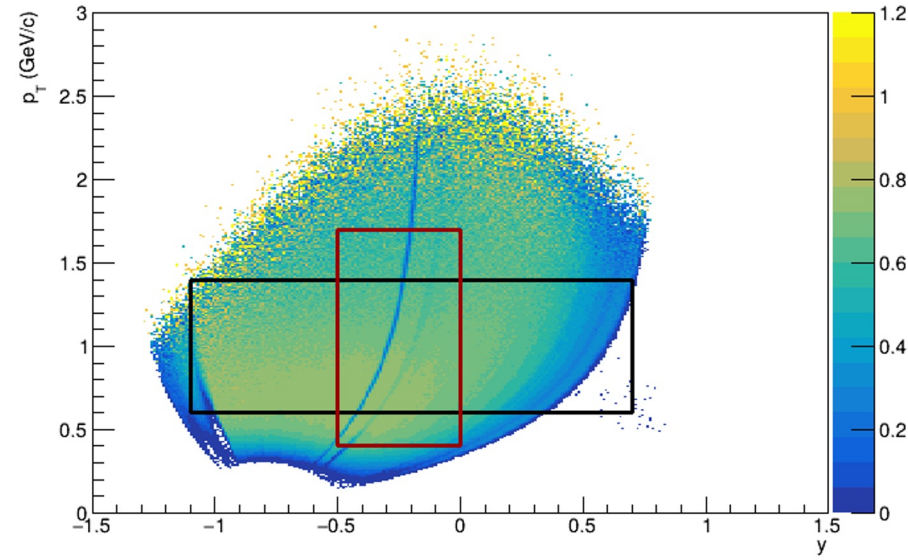
**Black box:**  
acceptance window  
for  $v_n(y)$

**Red box:**  
acceptance window

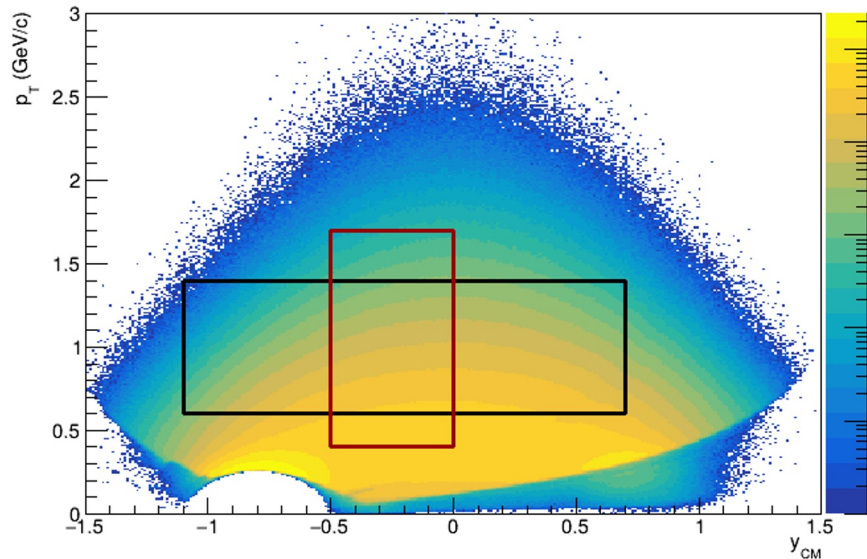
Reconstructed protons Ycm-pT



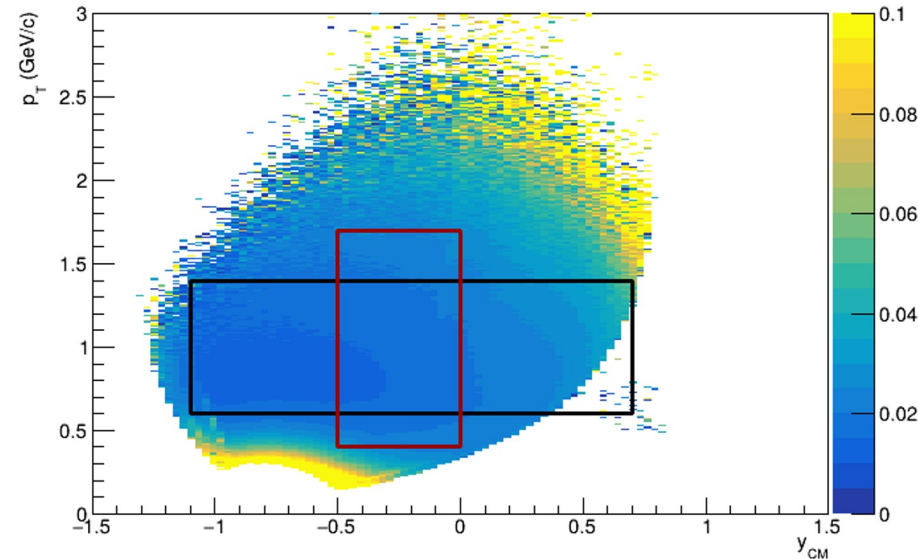
Efficiency (Y-pT) of primary protons



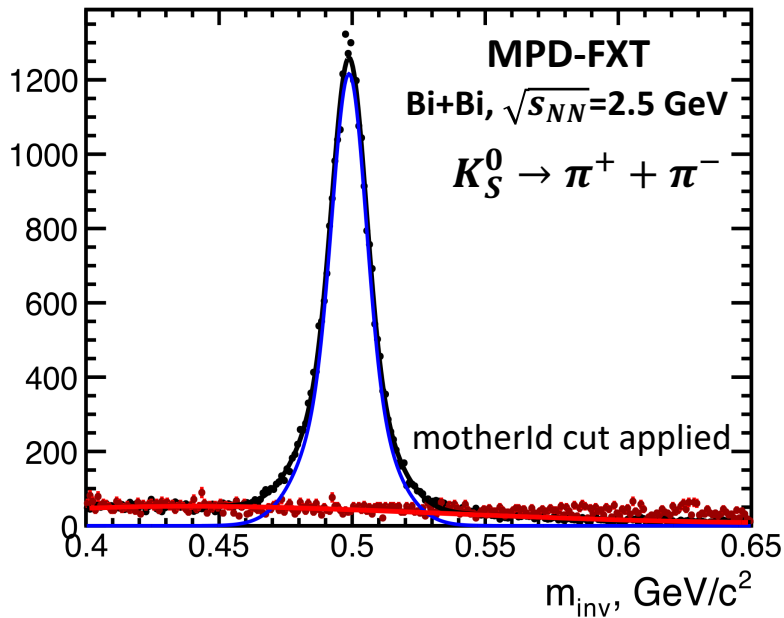
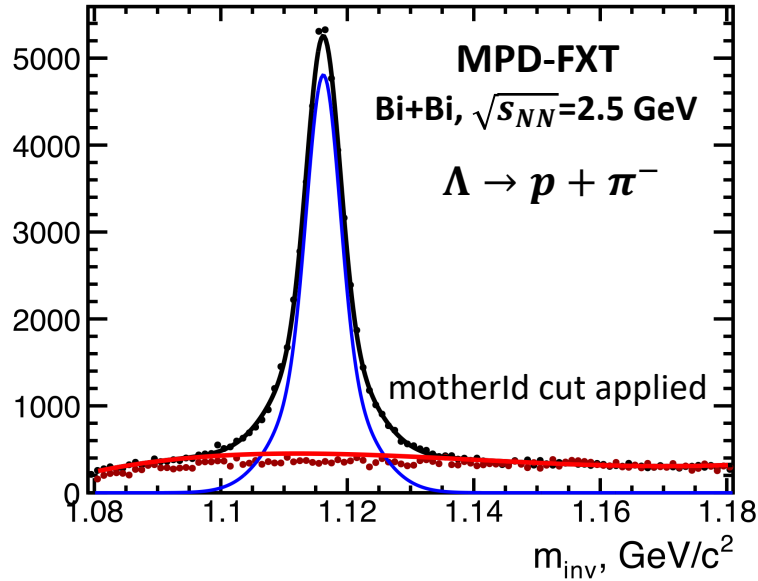
Simulated protons Ycm-pT



Pt-resolution for reconstructed protons in Ycm-pT plane



# V0 selection: PFSimple



**PFSimple:** interface for the KFParticle package

**KFParticle:** package developed for complete reconstruction of short-lived particles

- Successfully used in many experiments
- Based on the Kalman filter mathematics
- Independent in the sense of experimental setup (collider, fixed target)

First tests for  $\Lambda$ ,  $K_S^0$  from the MPD-FXT production are ready:

- Basic topological cuts:

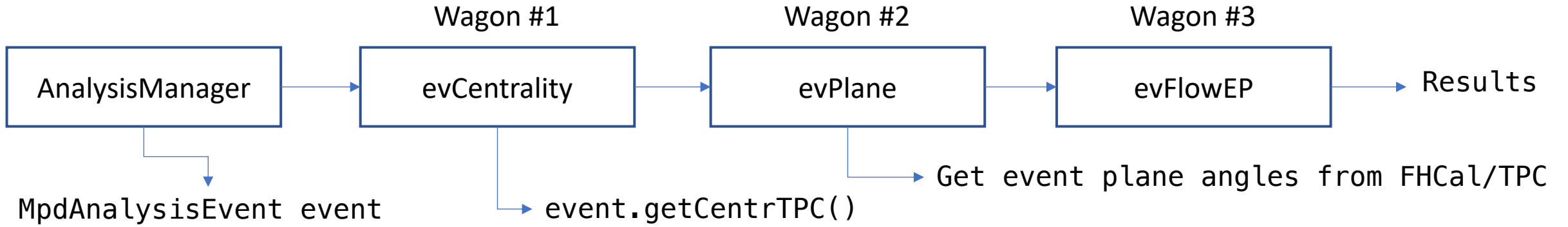
$$\chi_{topo}^2 < 50, \chi_{geo}^2 < 50, L > 3 \text{ cm}, \frac{L}{dL} > 5 \text{ cm}$$

- Signal extraction: sideband fits, rotation background were tested

**PFSimple is already available as a module in the cvmfs**



# Flow measurements in MPD-CLD: evFlowEP wagon

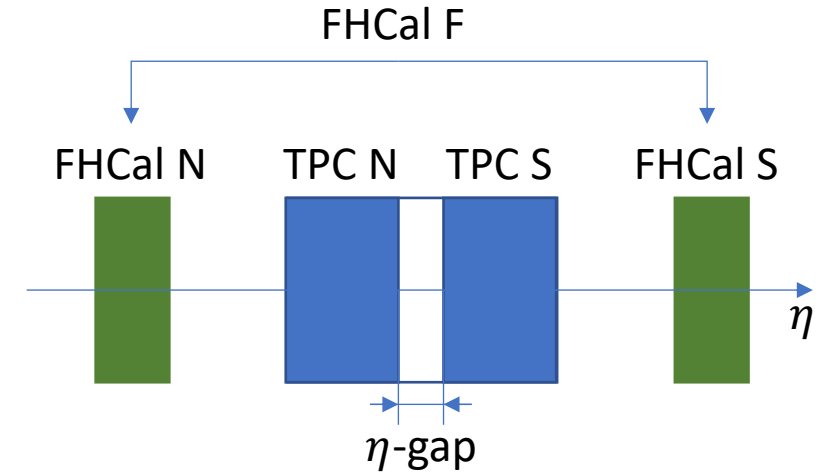
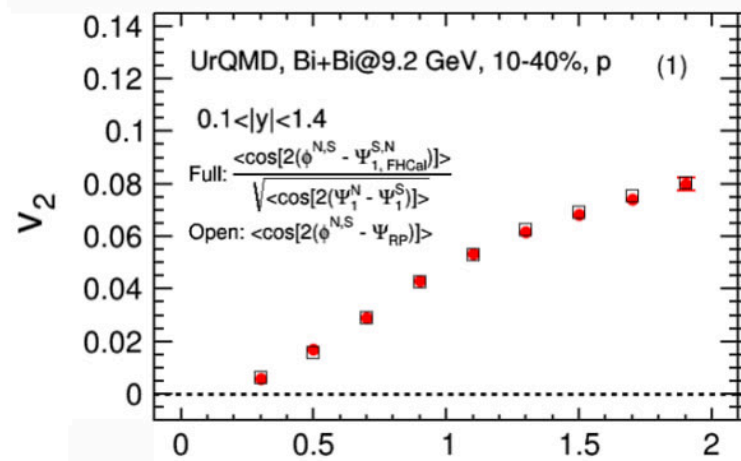
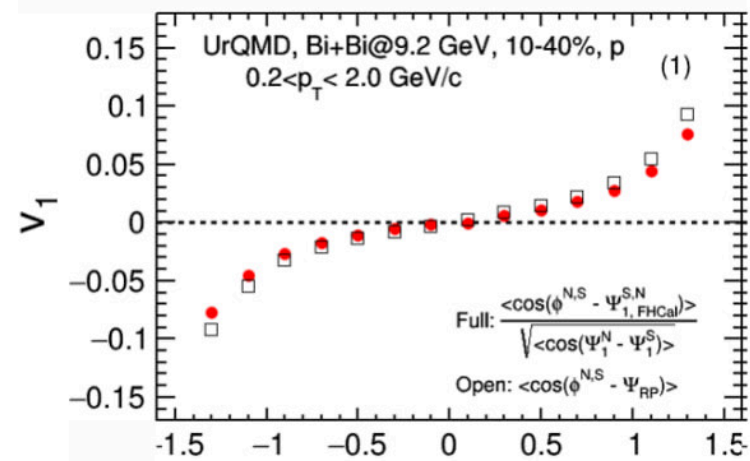


**Directed flow:**

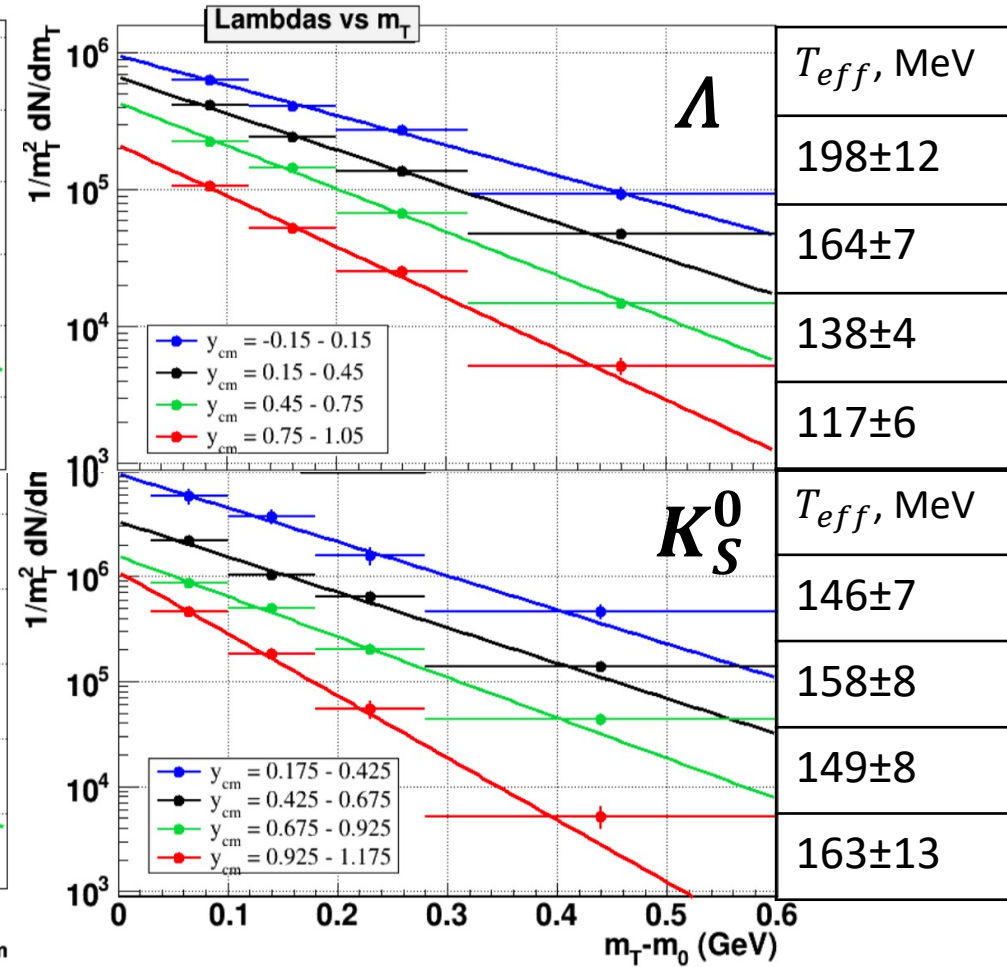
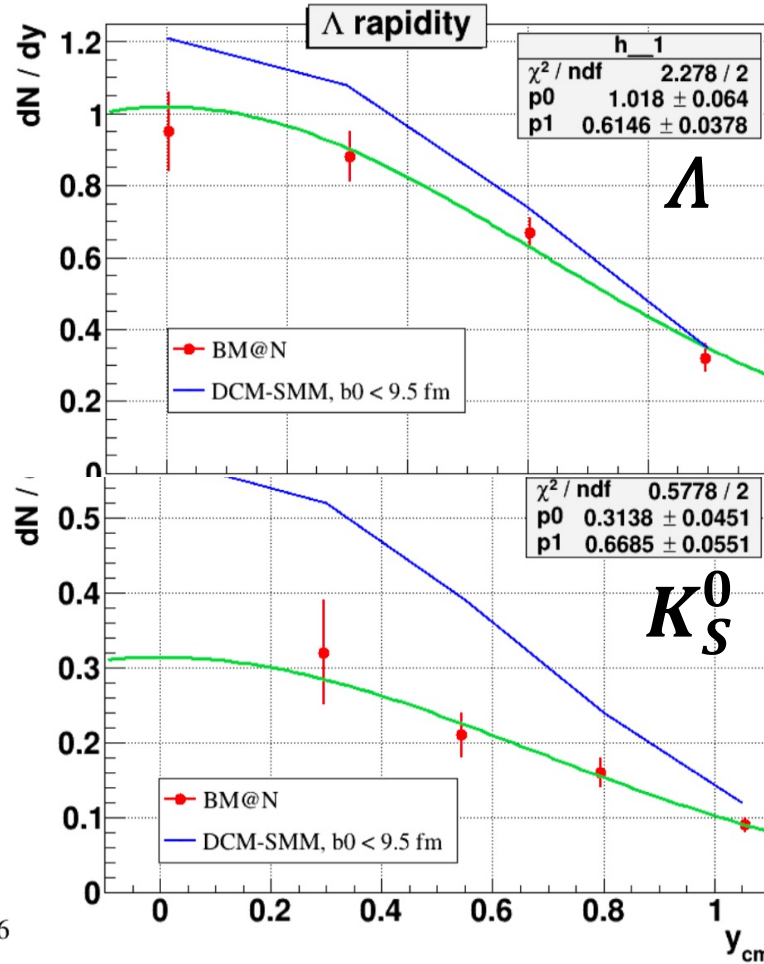
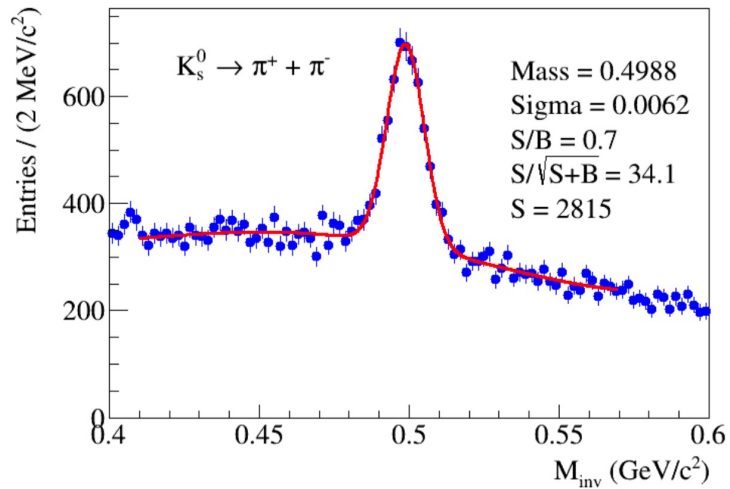
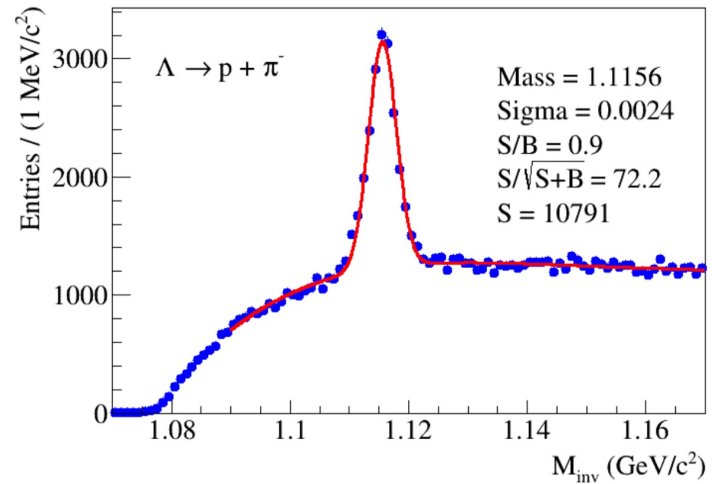
$$v_1 = \frac{\langle \cos(\phi - \Psi_1^{EP}) \rangle}{Res(\Psi_1)}$$

**Elliptic flow:**

$$v_2(\Psi_2) = \frac{\langle \cos[2(\phi - \Psi_2^{EP})] \rangle}{Res(\Psi_2)} \quad v_2(\Psi_1) = \frac{\langle \cos[2(\phi - \Psi_{1,FHCaI}^{EP})] \rangle}{Res(\Psi_1)}$$



# First results from the Xe run at BM@N



Procedure for  $\Lambda$  and  $K_S^0$  measurements is implemented and tested – first results are ready  
Next: analysis on the full statistics from the Xe run, anisotropic flow and global polarisation